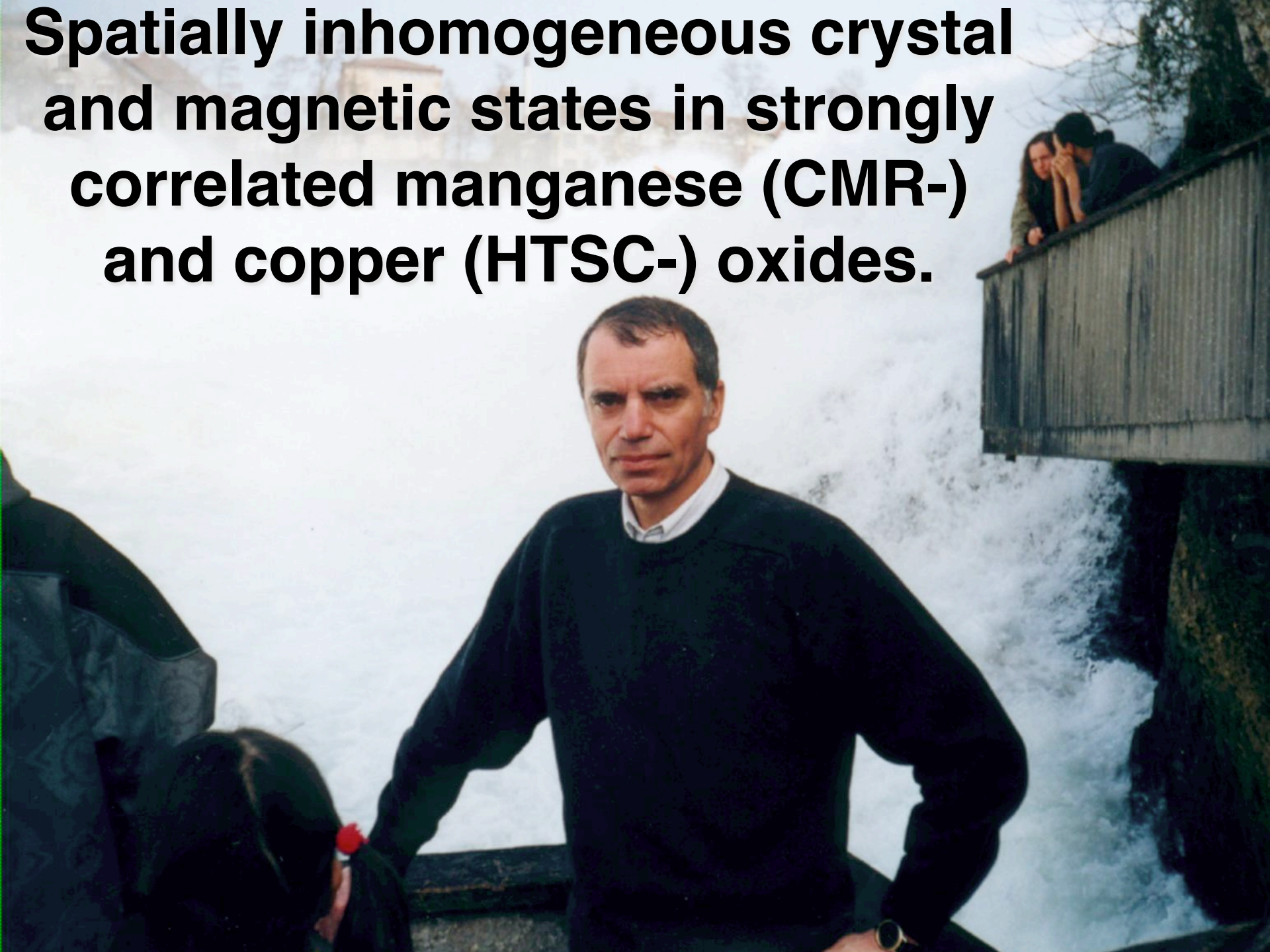


**Spatially inhomogeneous crystal
and magnetic states in strongly
correlated manganese (CMR-)
and copper (HTSC-) oxides.**



Spatially inhomogeneous crystal and magnetic states in strongly correlated manganese (CMR¹-) and copper (HTSC²-) oxides.

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¹ CMR= Colossal negative MagnetoResistance $[R(H)-R(0)]/R(0)$

¹ HTSC= High Temperature SuperConductivity

Most cited (>20hits) Balagurov' papers 1996-

- Aksenov, VL; **Balagurov, AM**; Sikolenko, VV; Simkin, VG; Alyoshin, VA; Antipov, EV; Gippius, AA; Mikhailova, DA; Putilin, SN; Bouree, F. 1997. Precision neutron-diffraction study of the high-T-c superconductor HgBa₂CuO_{4+delta}. *PHYSICAL REVIEW B* 55 (6): 3966-3973. (Cited: 43)
- Balagurov, AM**; Pomjakushin, VY; Sheptyakov, DV; Aksenov, VL; Babushkina, NA; Belova, LM; Taldenkov, AN; Inyushkin, AV; Fischer, P; Gutmann, M; Keller, L; Gorbenko, OY; Kaul, AR. 1999. Effect of oxygen isotope substitution on the magnetic structure of (La_{0.25}Pr_{0.75})(0.7)Ca_{0.3}MnO₃. *PHYSICAL REVIEW B* 60 (1): 383-387. (39)
- Lobanov, MV; **Balagurov, AM**; Pomjakushin, VJ; Fischer, P; Gutmann, M; Abakumov, AM; D'yachenko, OG; Antipov, EV; Lebedev, OI; Van Tendeloo, G. 2000. Structural and magnetic properties of the colossal magnetoresistance perovskite La_{0.85}Ca_{0.15}MnO₃. *PHYSICAL REVIEW B* 61 (13): 8941-8949. (27)
- Aksenov, VL; **Balagurov, AM**; Glazkov, VP; Kozlenko, DP; Naumov, IV; Savenko, BN; Sheptyakov, DV; Somenkov, VA; Bulkin, AP; Kudryashev, VA; Trounov, VA. 1999. DN-12 time-of-flight high-pressure neutron spectrometer for investigation of microsamples. *PHYSICA B* 265 (1-4): 258-262. (25)
- Aksenov, VL; **Balagurov, AM**; Savenko, BN; Sheptyakov, DV; Glazkov, VP; Somenkov, VA; Shilshtein, SS; Antipov, EV; Putilin, SN. 1997. Investigation of the HgBa₂CuO_{4+delta} structure under external pressures up to 5 GPa by neutron powder diffraction. *PHYSICA C* 275 (1-2): 87-92. (25)
- Abakumov, AM; Aksenov, VL; Alyoshin, VA; Antipov, EV; **Balagurov, AM**; Mikhailova, DA; Putilin, SN; Rozova, MG. 1998. Effect of fluorination on the structure and superconducting properties of the Hg-1201 phase. *PHYSICAL REVIEW LETTERS* 80 (2): 385-388. (23)

Phase separation in high- T_c 's and colossal magnetoresistance manganites

- La_2CuO_4 story: macro- and micro-phase separation, twinning, concomitance of SC & AFM.
- CMR manganites: phase separation, ordering effects, electron-phonon interactions and large (and giant) isotope effect

Phase separation scales

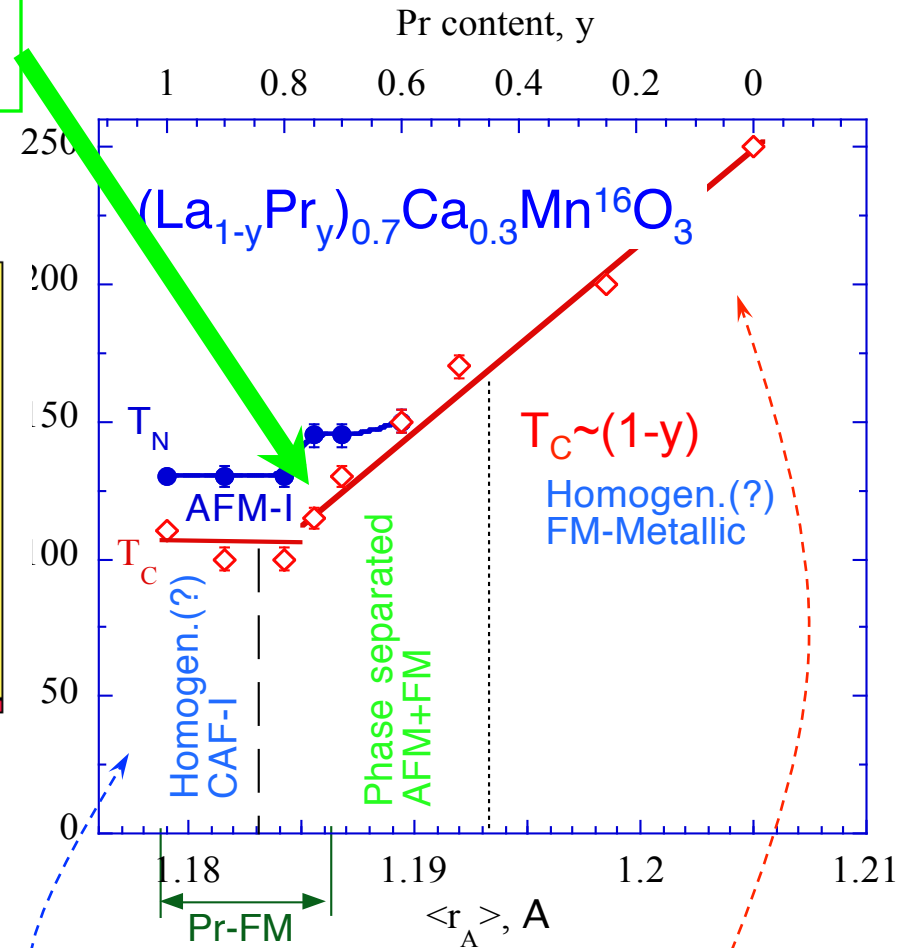
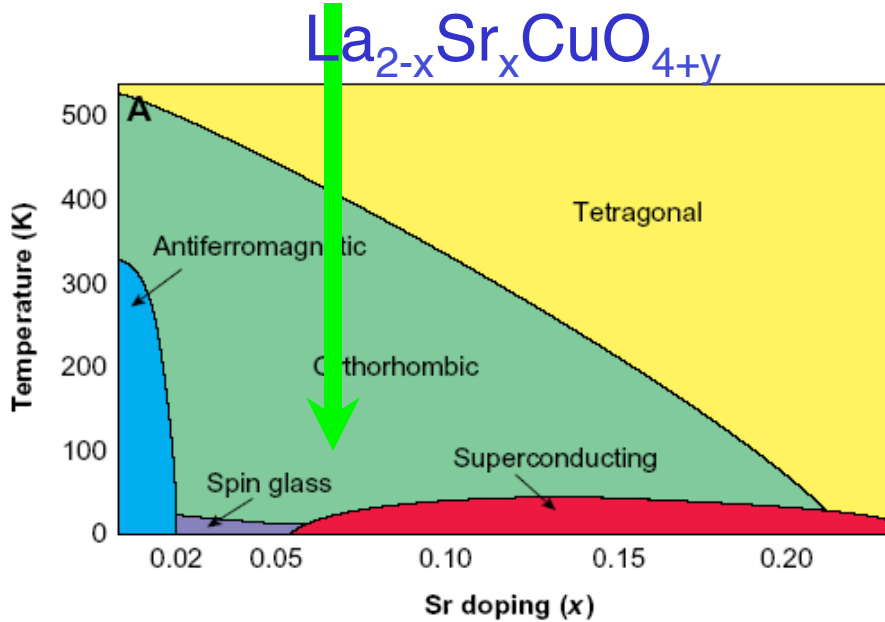
- Micro- or “electronic” $\sim 10^1 \text{Å}$
 - HTSC¹: striped Hubbard, t-J, SO(5), “striped” BCS...
 - CMR: FM Kondo, 1-,2-orbital DE
- Meso- or (nano-, macro) $\geq 10^3 \text{Å}$
 - “Chemical” (structural) separation: miscibility gap.
 - Intrinsic quenched (correlated) disorder + Ising, or 1-,2-orbital DE, etc²

e.g. [1] Arrigoni, et al PRB 2004; H-D.Chen, et al 2004; Bianconi, et al PRL 1996.

[2] Burgy, Moreo, Dagotto et al PRL,PRB 2000-2004.

Intrinsic inhomogeneities in “HTSC” and “CMR”

Competition between insulating and metallic states

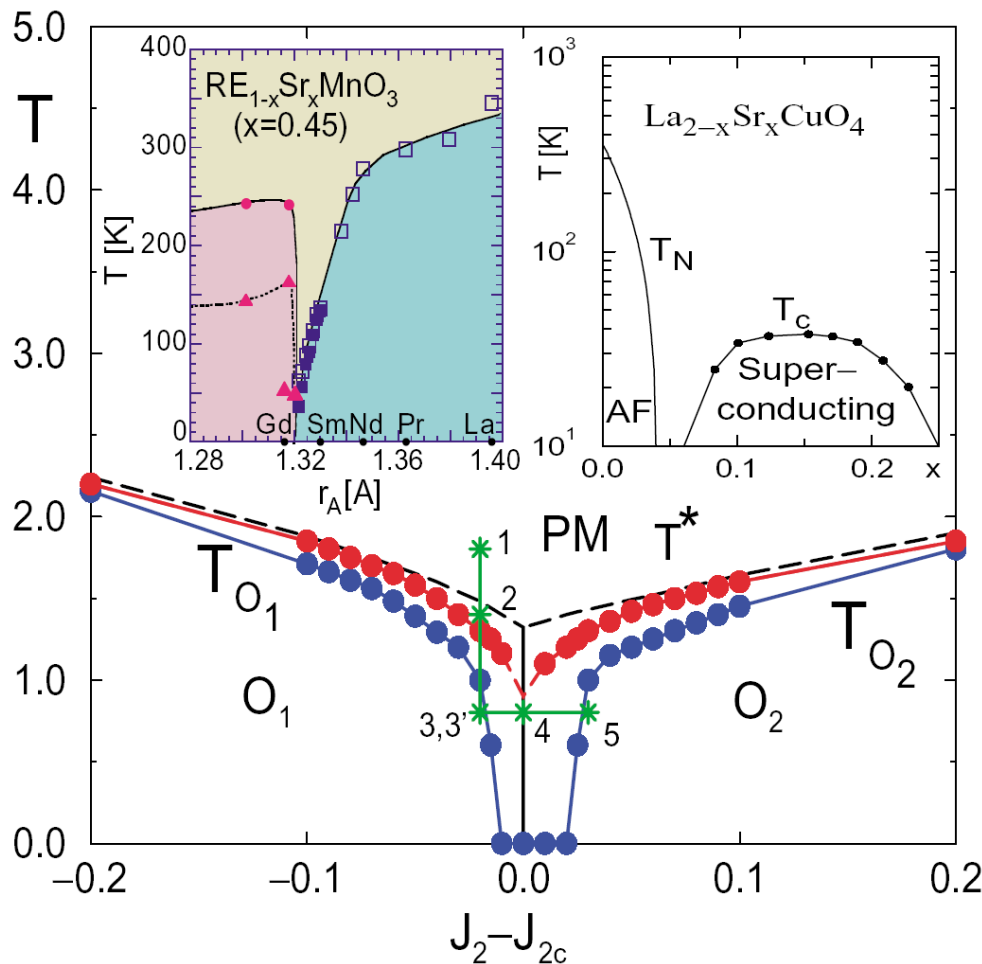


Y.Imry, S.Ma (PRL 1975): random field instability

CAFMO Mott insulator \rightarrow FM double exchange metal

Influence of quenched disorder on the competition between ordered states separated by a first-order transition

J.Burgy, A.Moreo, M. Mayr, E.Dagotto, et al, PRL, PRB 2000-2004



3D RFIM + correlated disorder

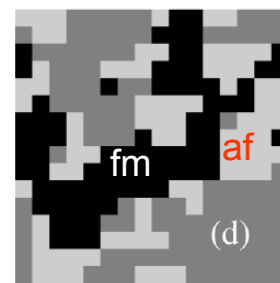
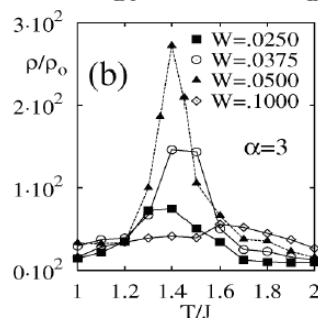
$$H = -J \sum_{\langle ij \rangle} s_i s_j + J' \sum_{[ik]} s_i s_k + \Delta \sum_{i,j} h_i s_j / d_{ij}^\alpha,$$

$\alpha \sim 3$ elasticity mechanism of the distortion propagation (Khomskii, Kugel, 2001)

Ising spin configuration



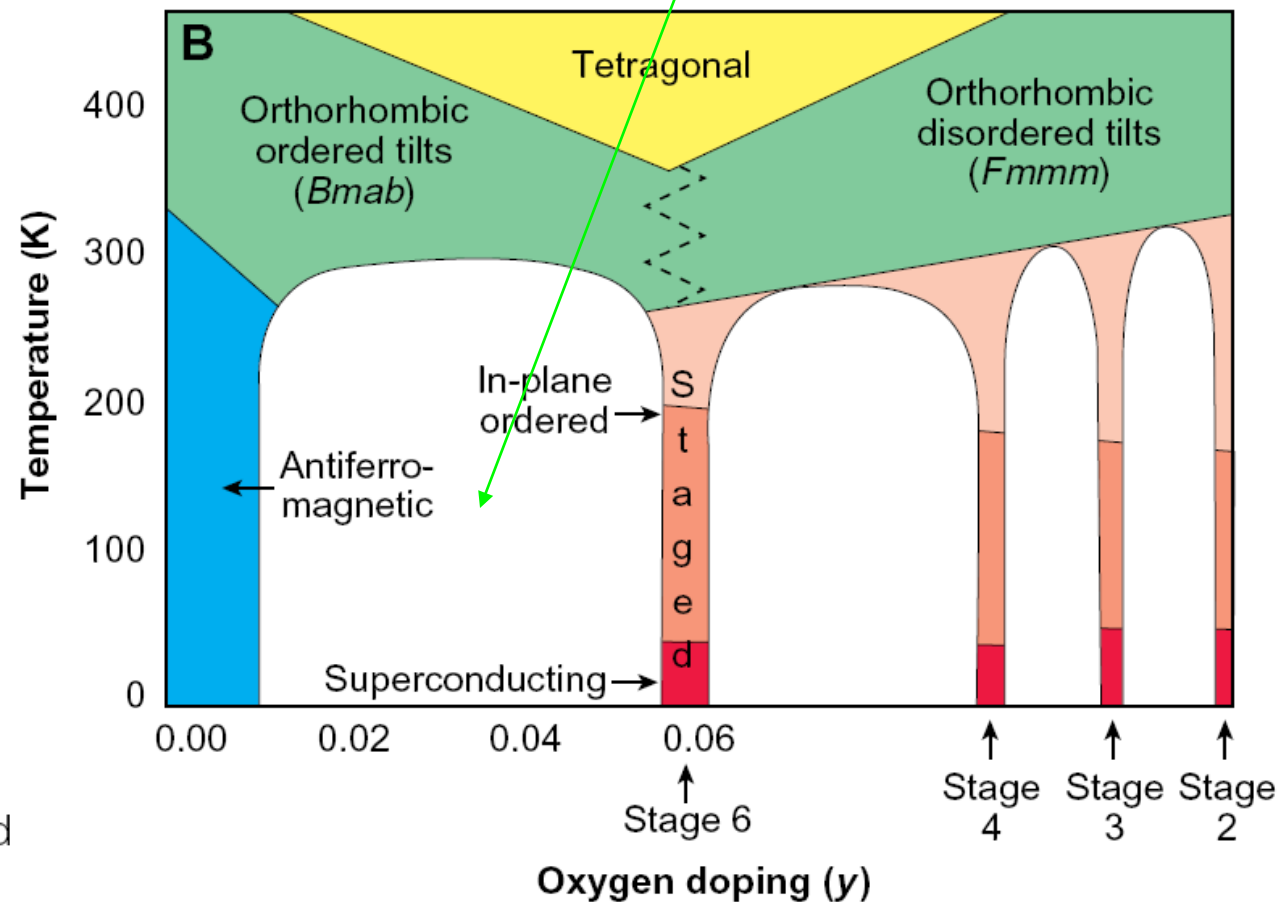
2D
FM



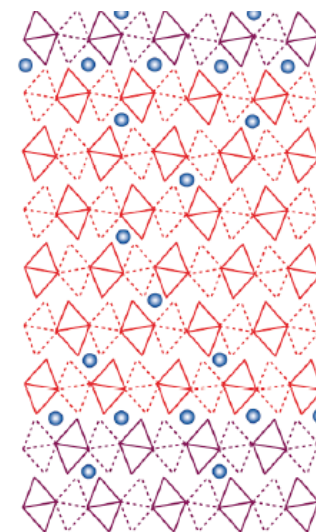
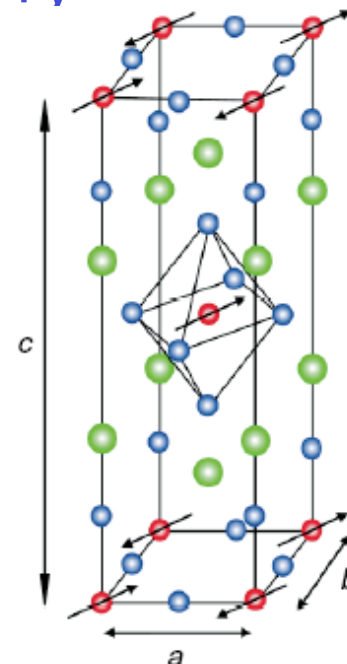
3D

Phase diagram of $\text{La}_2\text{CuO}_{4+y}$

Macroscopically ($>10^3\text{\AA}$!) separated

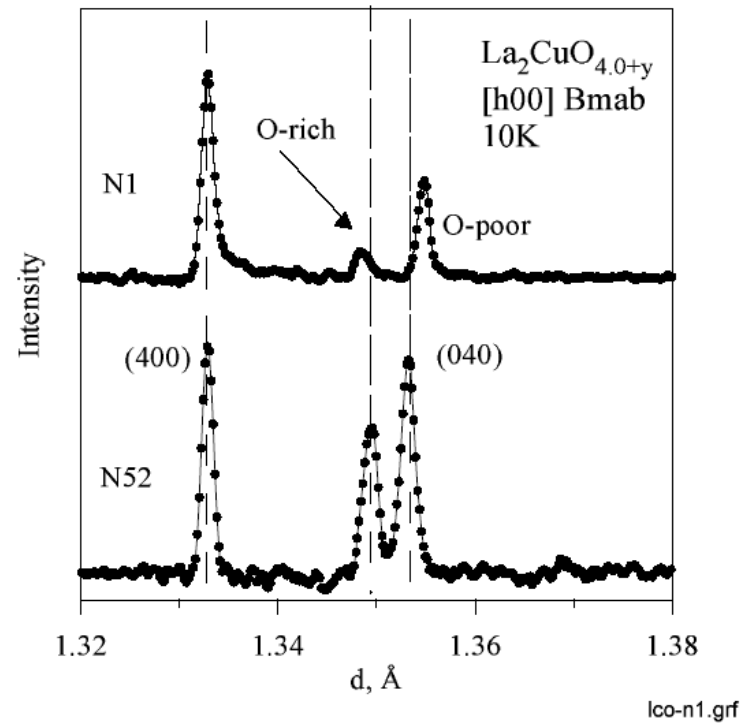
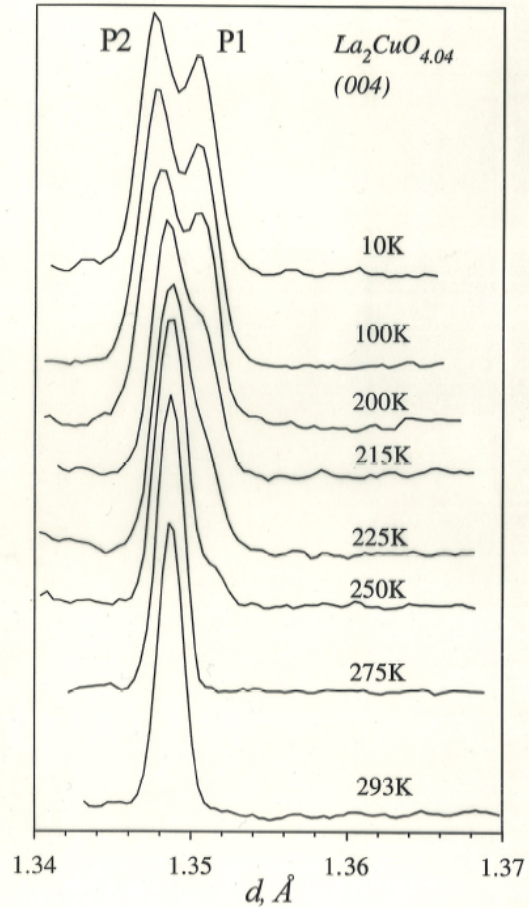


Wells et al, Science 1997



High res ND evidence of macroscopic PS

Single crystal experiment on powder diffractometer $\Phi\Delta\text{BPR}$

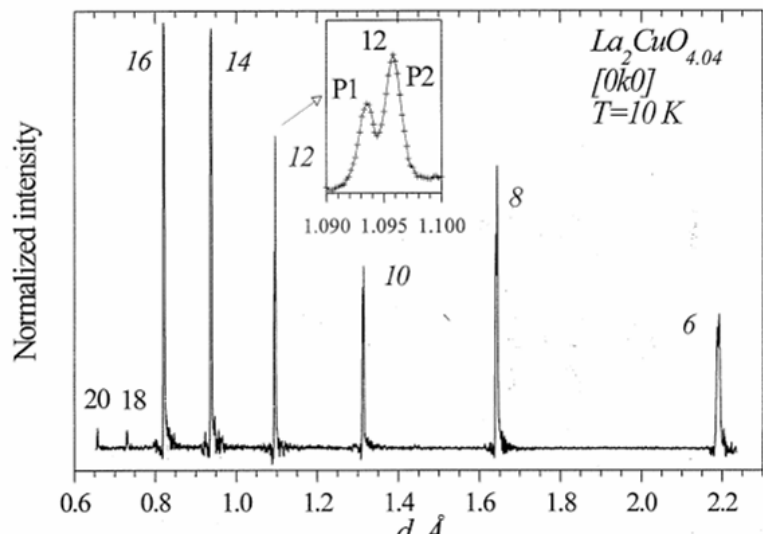


Balagurov et al, Physica C, 1997

Domain sizes from high-res neutron diffraction in $\text{La}_2\text{CuO}_{4+y}$

Balagurov et al, Physica C, 1997

Φ ДВР



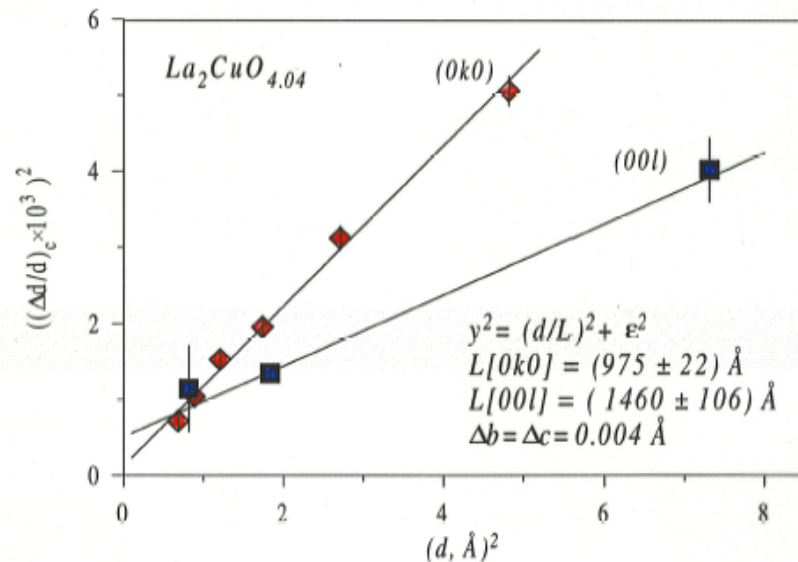
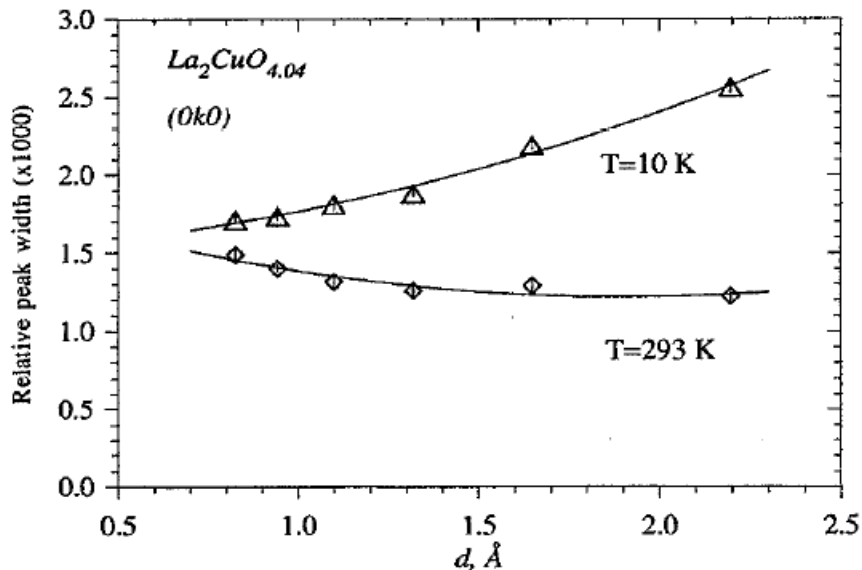
Broadening of the diffraction peaks

1. Size effect: $\Delta d^* = 1/L = \text{const} \Rightarrow (\Delta d/d)^2 = (d/L)^2$
2. Strain effect: $\Delta a/a = \epsilon = \text{const} \Rightarrow (\Delta d/d)^2 = \epsilon^2$

$$(\Delta d/d)_{\text{exp}}^2 = (d/L)^2 + \epsilon^2$$

where:

- $d^* = 1/d$
- $2 d \sin\Theta = \lambda$
- L - size of coherently scattered region

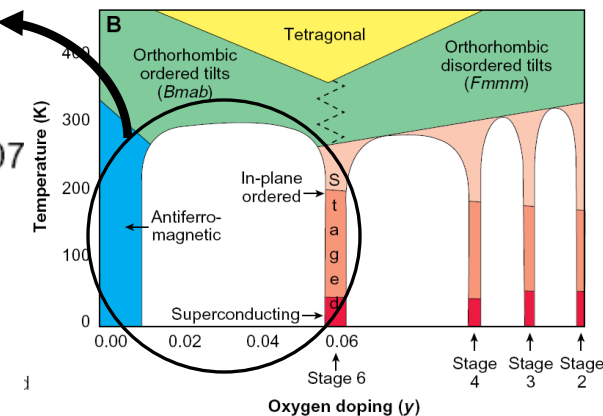
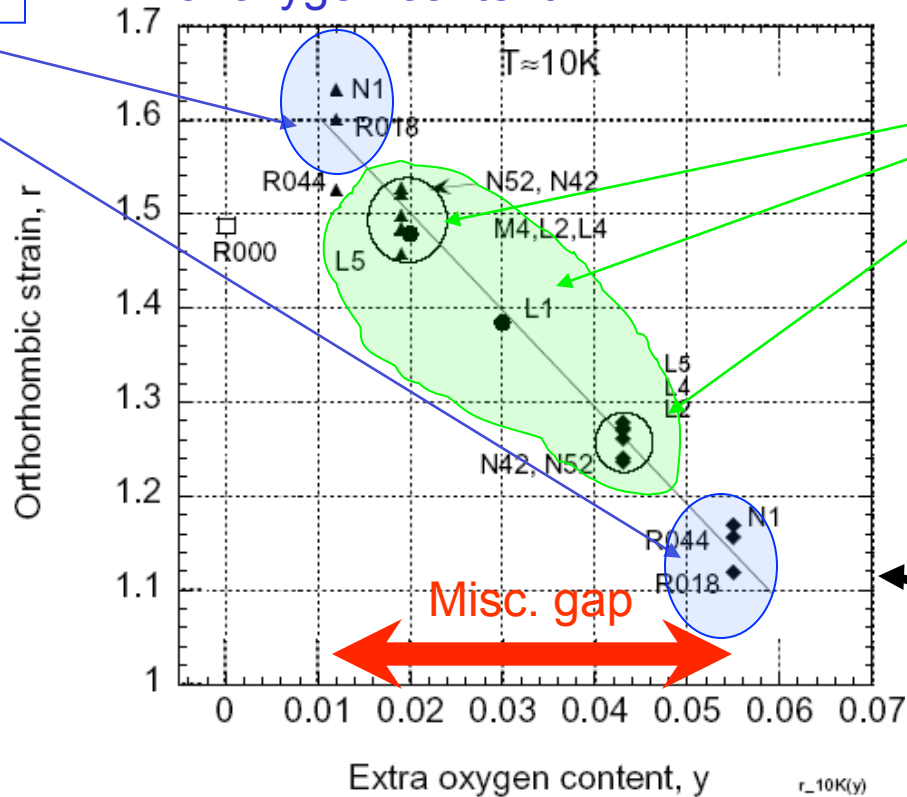


Low & high oxygen mobility in $\text{La}_2\text{CuO}_{4+y}$

High oxygen mobility crystals

Orthorhombic strain as a function of oxygen content

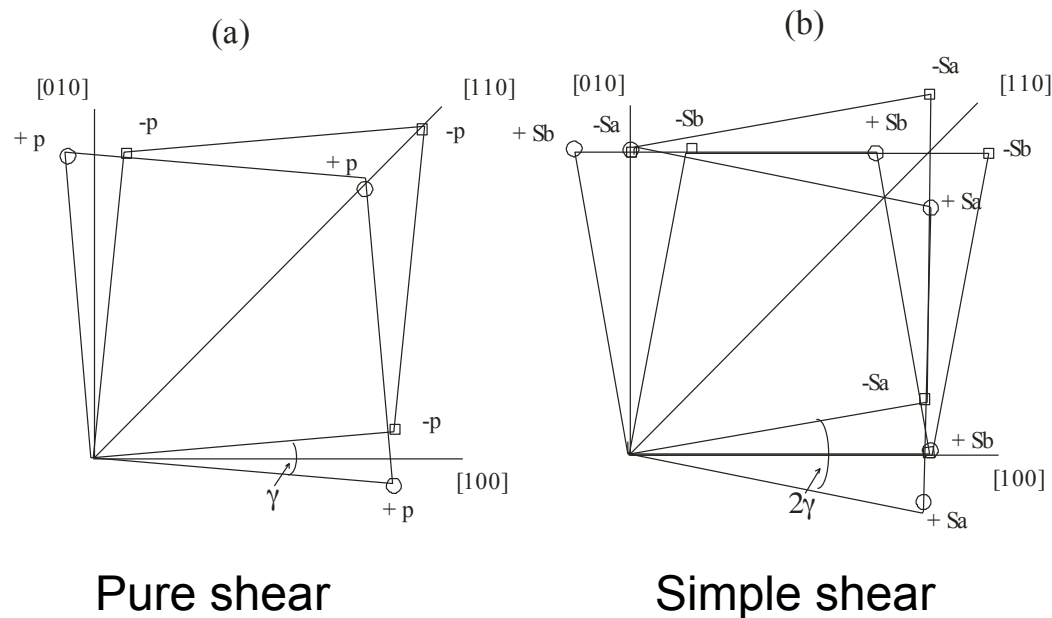
Low oxygen mobility crystals



Balagurov et al, Physica C, 1997, Phys Rev **B** 1999
 Pomjakushin et al, Physica C, 2000;
 Sheptyakov, et al. PHYSICA C 1999

Can real crystal structure effect on oxygen mobility?

1. Single crystal structure analysis (D9) : no principal difference between PS and non-PS crystals (Sheptyakov, Pomjakushin, Balagurov, et al. PHYSICA C 1999)
2. Real crystal structure (HRFD, DN2, high-res Xray)

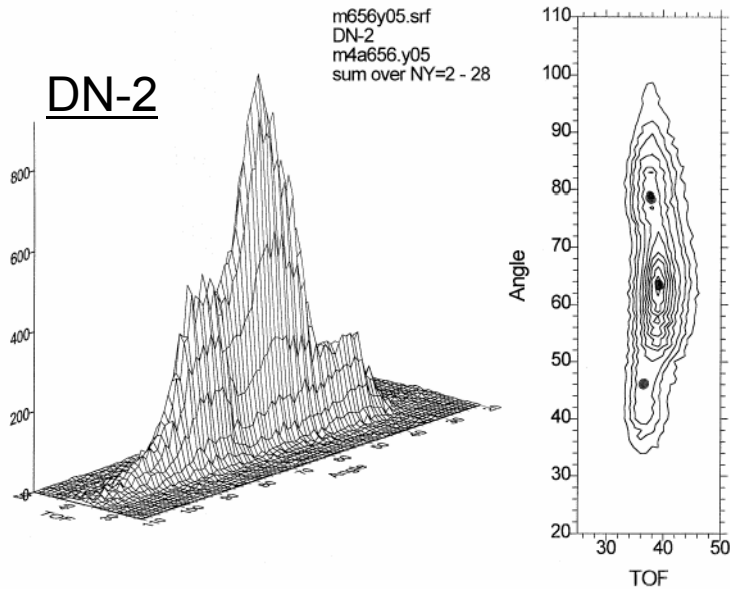


$P4/mmm \rightarrow Bmab$

Balagurov AM, et al. [Twinned La2CuO4 structure](#)
CRYSTALLOGRAPHY REPORTS 44 1999

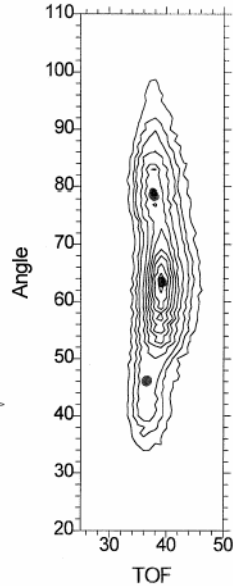
High res. X-ray and neutron diffraction

Balaurov AM. et al. CRYSTALLOGRAPHY REPORTS (Кристаллография) 1999

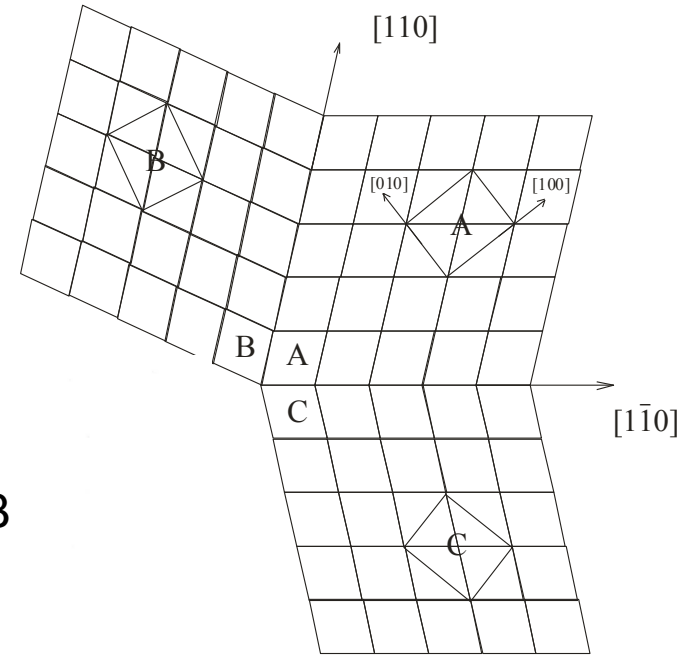


DN-2

m656y05.srf
DN-2
m4a656.y05
sum over NY=2 - 28

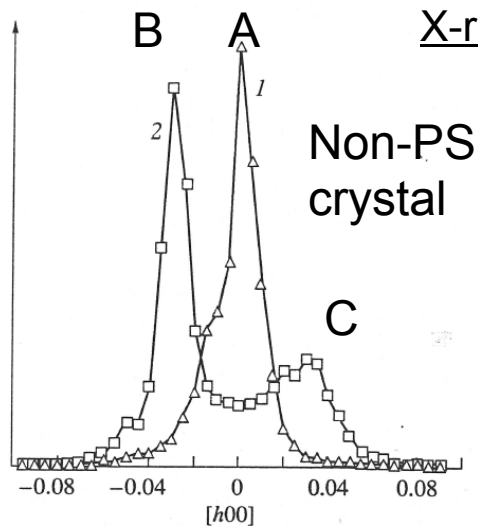


3 transformational twins:



X-ray, Chernogolovka

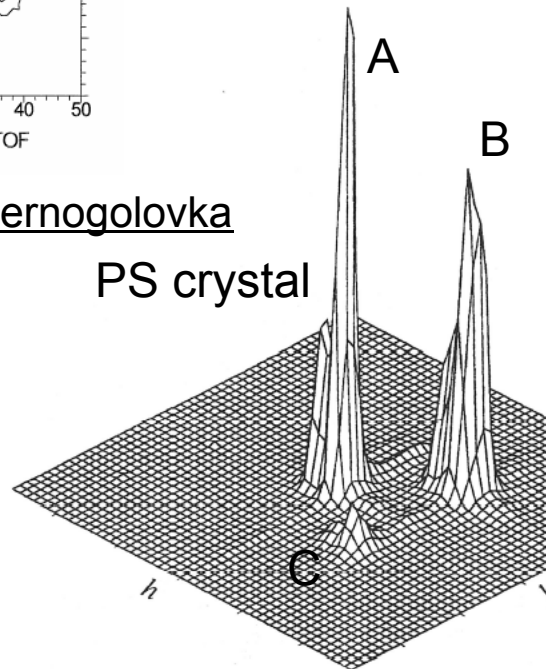
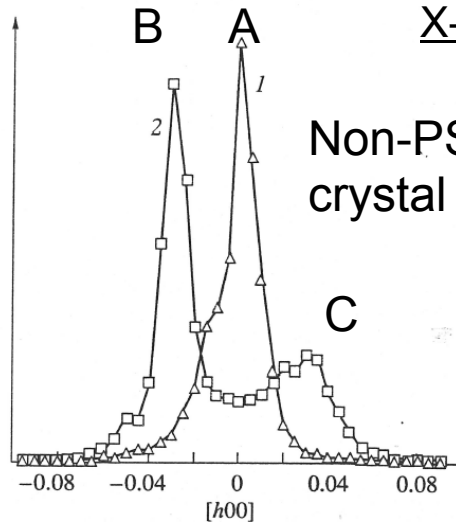
PS crystal



B A

Non-PS
crystal

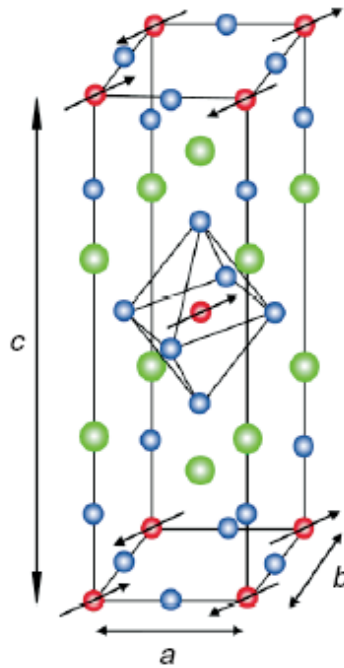
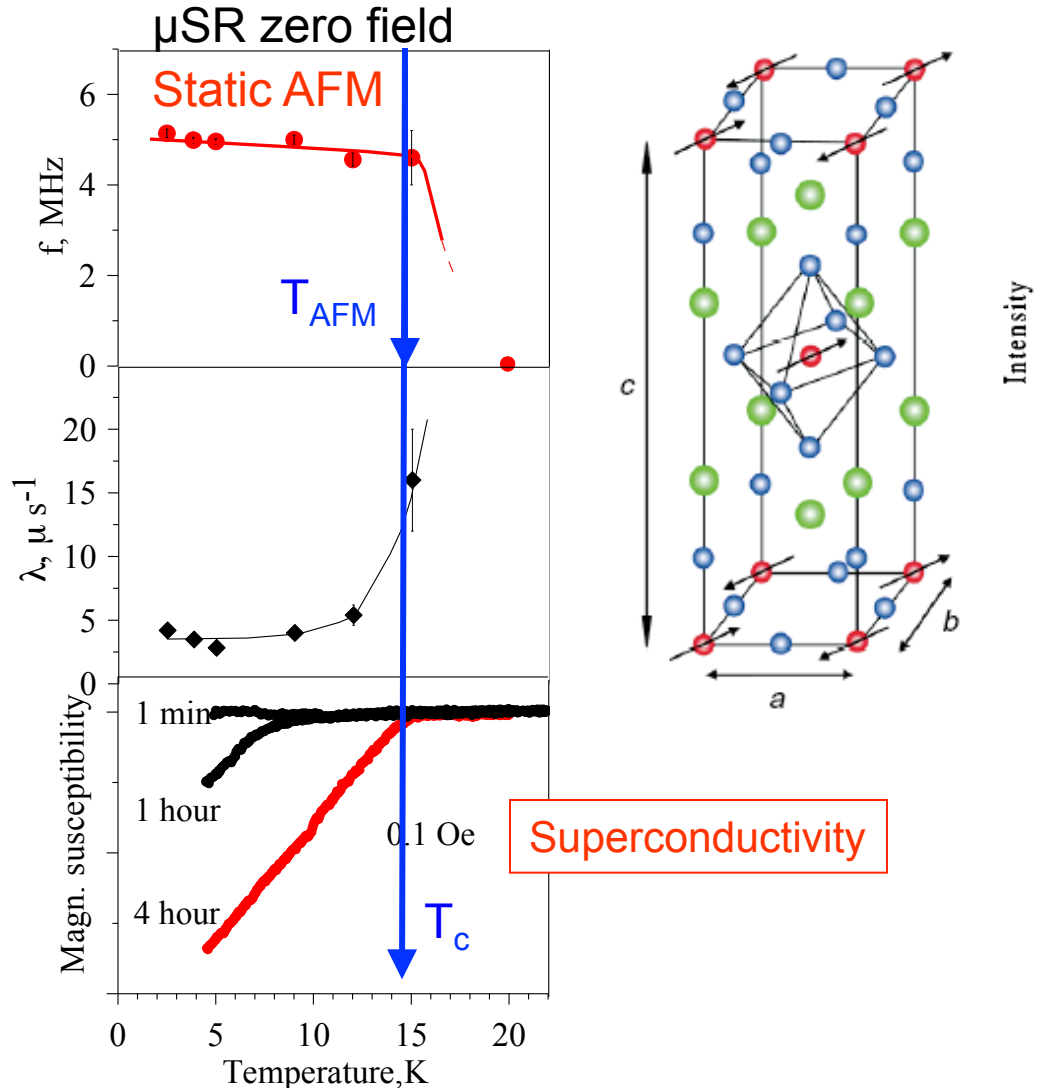
C



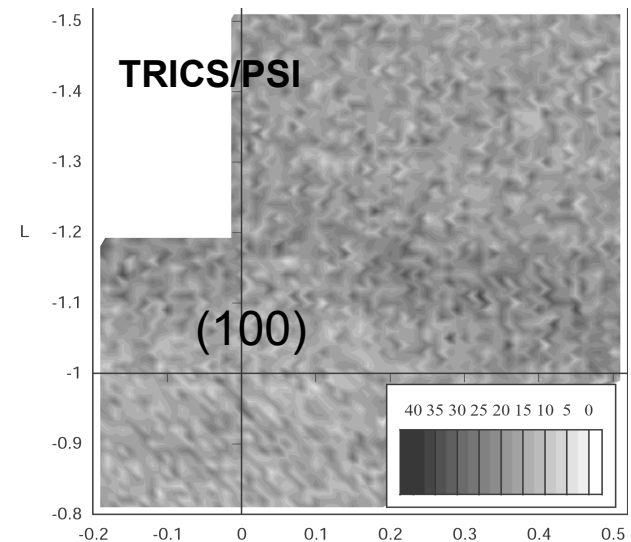
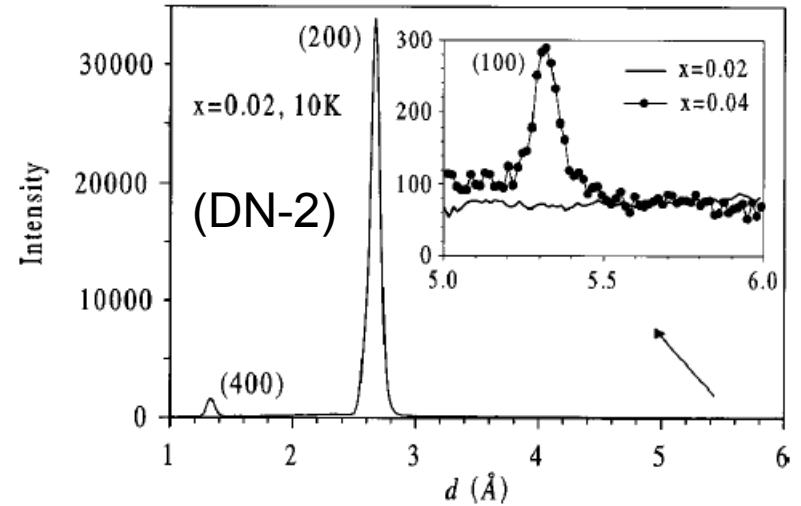
1. No incoherent boundaries in PS crystals.
2. There are extended incoherent regions in non-PS crystals

Fig. 8. Two-dimensional intensity distribution in the vicinity of the node (060) in an Al crystal.

$T_{AFM} = T_c$ in low oxygen mobility $\text{La}_2\text{CuO}_{4+y}$



Neutron diffraction :
No long range AFM below T_c



Pomjakushin et al, Phys Rev B, 1998;

Summary of $T_c = T_{AFM}$ in La_2CuO_{4+y}

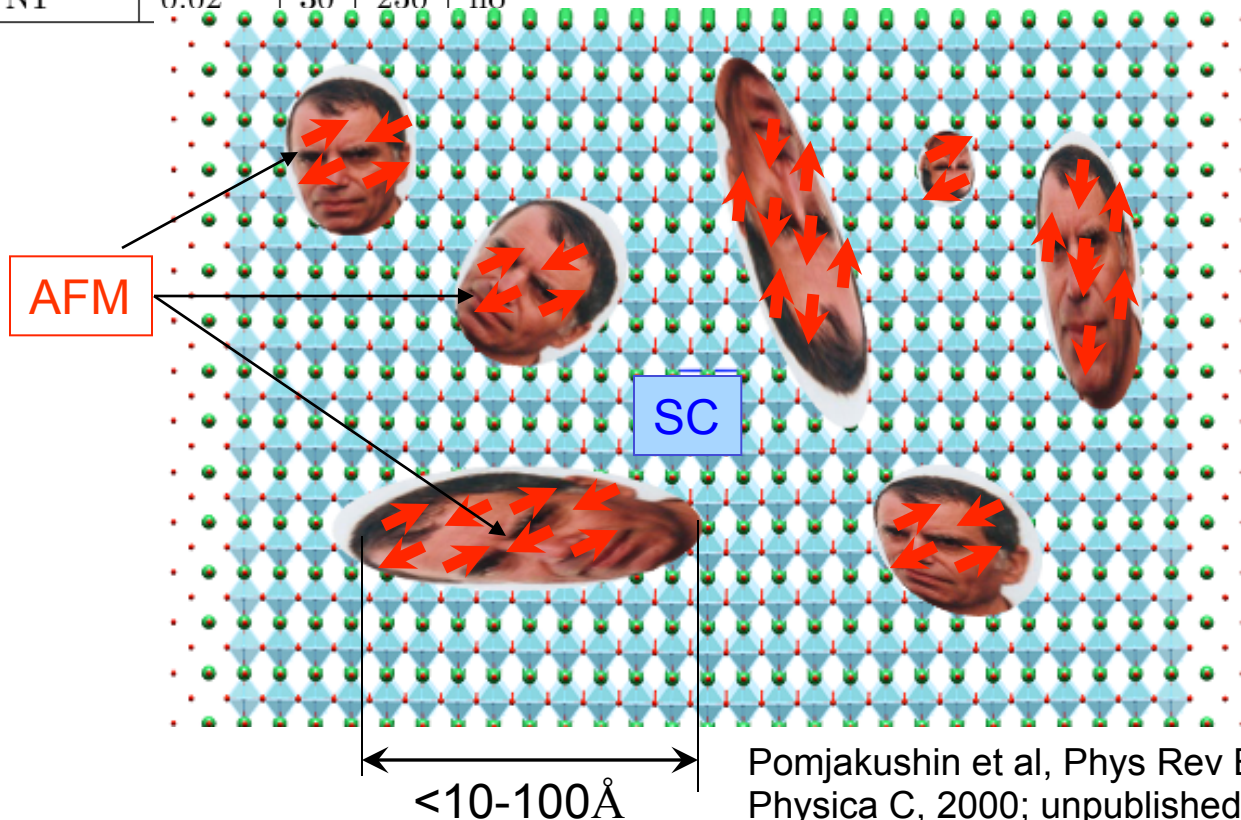
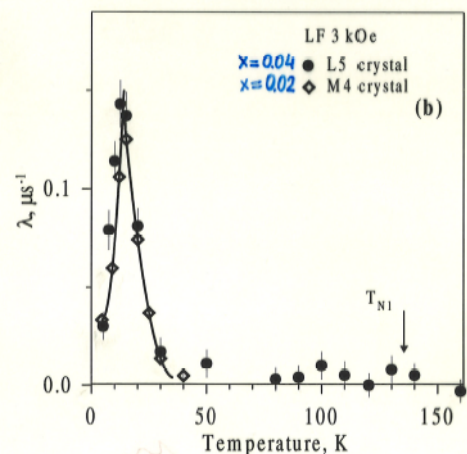
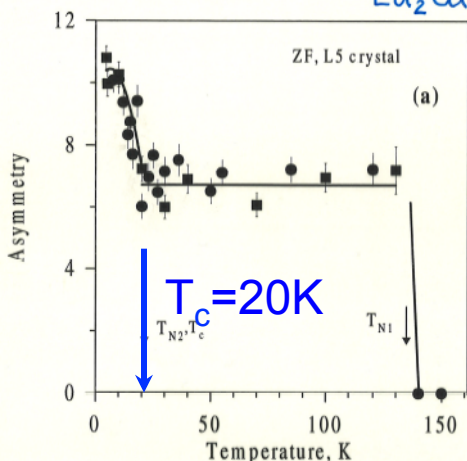
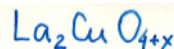
Crystal	x	T_c	T_N	T_{LTMS}
m4[3]	0.02	15	-	15 AFM
L1 [5,6]	0.03	10	-	8 spin glass
L2 [3,5]	0.04	25	250	25 AFM
N52	0.033	25	100	≤ 25 AFM
L5	~ 0.04	25	140	20 AFM

5 LOM crystals with different y and $T_c = 8-25K$: **All have $T_c = T_{AFM}$!**, No long range AFM by ND

high oxygen mobility "canonical" crystal

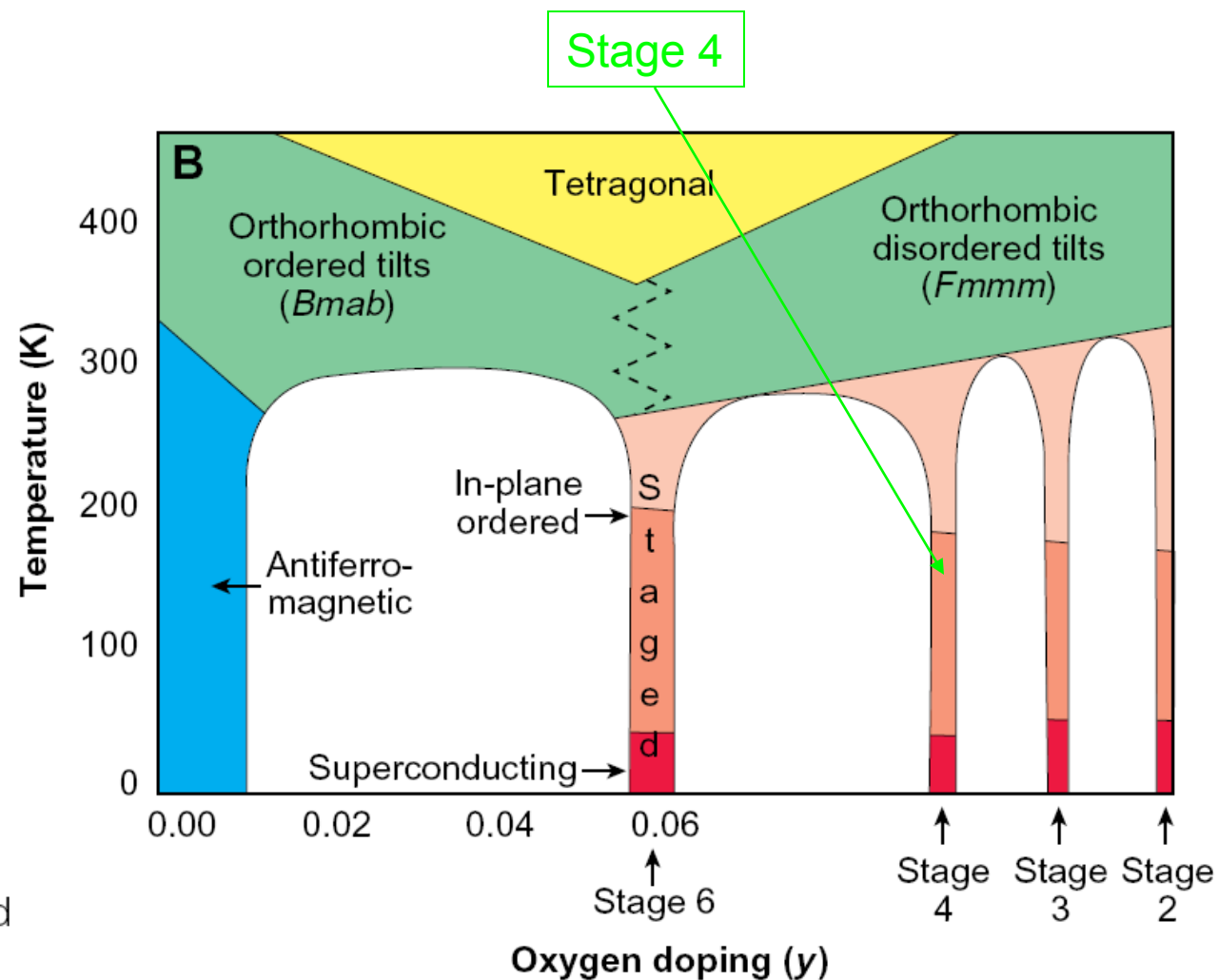
N1	0.02	30	250	no
----	------	----	-----	----

AFM ordered fraction

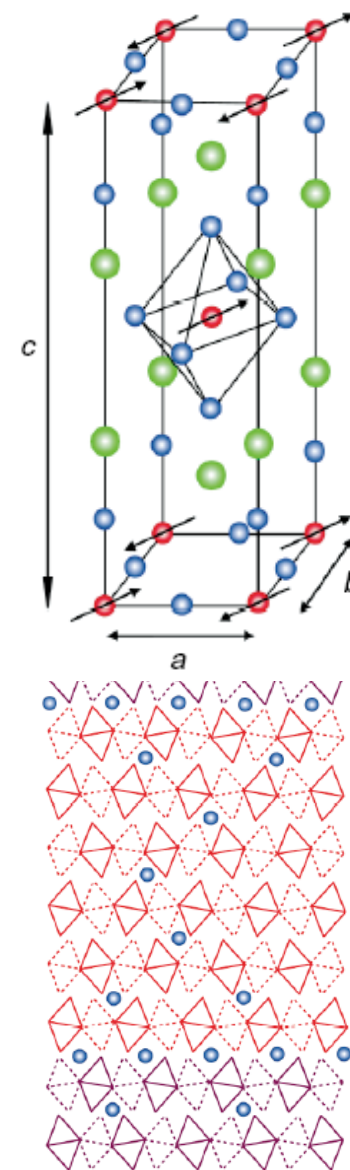


Pomjakushin et al, Phys Rev B1998; Physica C, 2000; unpublished 2002.

Later studies of PS $\text{La}_2\text{CuO}_{4+y}$



Wells et al, Science 1997



Microscopic phase separation in stage-4 $\text{La}_2\text{CuO}_{4+y}$

PHYSICAL REVIEW B 66, 014524 (2002)

A. T. SAVICI *et al.*

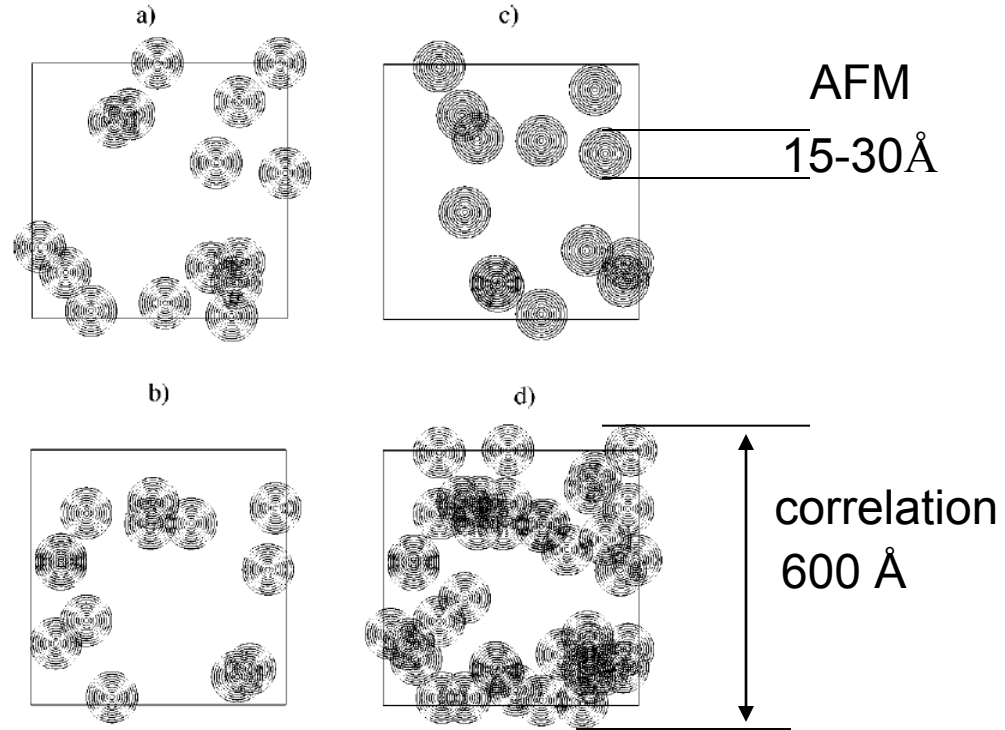
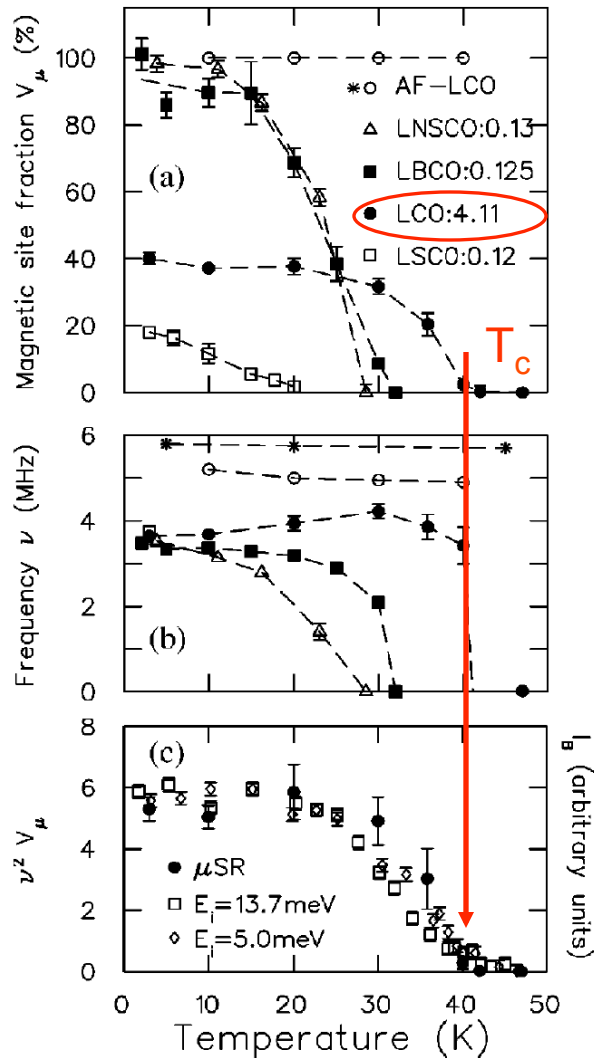


FIG. 10. Illustration of percolating cluster islands. (a)–(c) show planes with random locations of magnetic islands having integrated area fraction of 30%. (d) shows the overlap of (a)–(c). (d) demon-

Antiferromagnetic order induced by an applied magnetic field in $\text{La}_{2-x}\text{Sr}_x\text{CuO}_{4+y}$

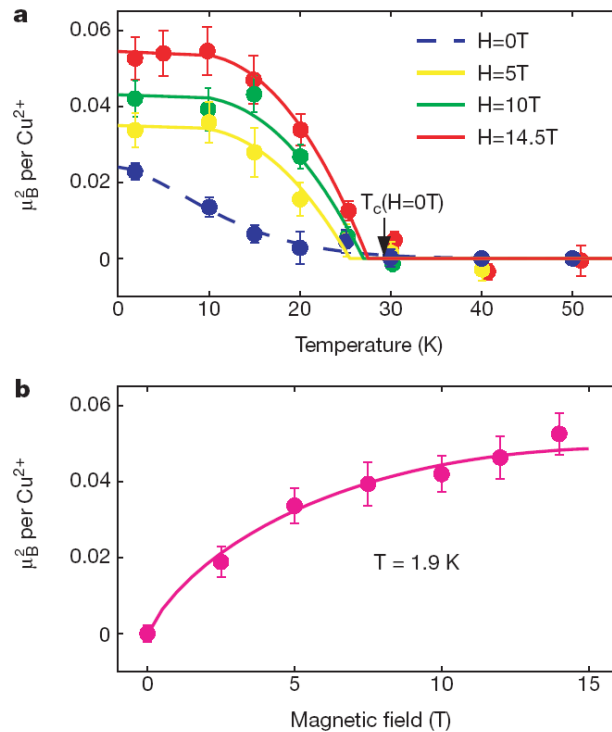
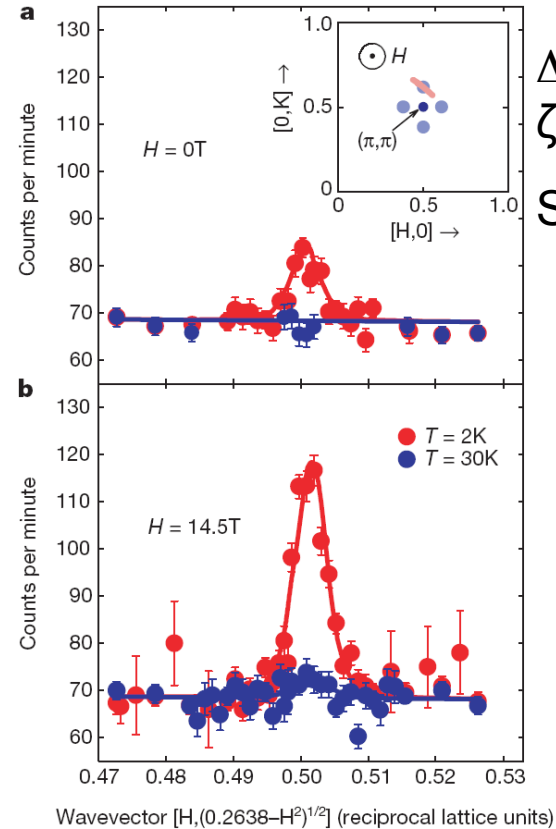


Figure 3 The dependence on temperature and field of the ordered spin moment squared. The data were calibrated using a transverse acoustic phonon measured around the (1,1) Bragg peak (energy transfer $E = 2\text{ meV}$ and sound velocity $= 26.9\text{ meV \AA}$), and are presented in units of μ_B^2 per Cu^{2+} . **a**, The temperature dependence. The zero-field signal (blue circles) increases gradually below $T_c(H = 0\text{ T})$, and the dashed line is a guide to the



$\Delta E = 0\text{ meV}$,
 $\zeta > 400\text{ \AA}$
 SO(5): $\xi \sim 20\text{ \AA}$

Figure 2 Magnetic neutron diffraction data for $\text{La}_{2-x}\text{Sr}_x\text{CuO}_4$ with $x = 0.10$. The inset shows the relevant reciprocal space, labelled using the two-dimensional notation appropriate for the superconducting CuO_2 planes. The black dot at (0.5,0.5) represents

B. Lake, et al, NATURE [VOL 415 | 17 JANUARY 2002, "Antiferromagnetic order induced by an applied magnetic field in a high-temperature superconductor"

Coexistence of static AFM & SC in $\text{La}_{2-x}\text{Sr}_x\text{CuO}_{4+y}$

- Macro-PS ($>1000\text{\AA}$) related to chemical miscibility gap (e.g. phase separation in oxygen -rich and -poor phases)
- Micro ($<100\text{\AA}$) or meso-PS ($>400\text{\AA}$) into SC and AFM phases in chemically single phase single crystals.
- Fact of $T_N = T_C$ is present in many cases.
- Theories: SO(5), quenched disorder near I-order phase transition

CMR¹ manganites

¹ CMR= Colossal negative MagnetoResistance $[R(H)-R(0)]/R(0)$

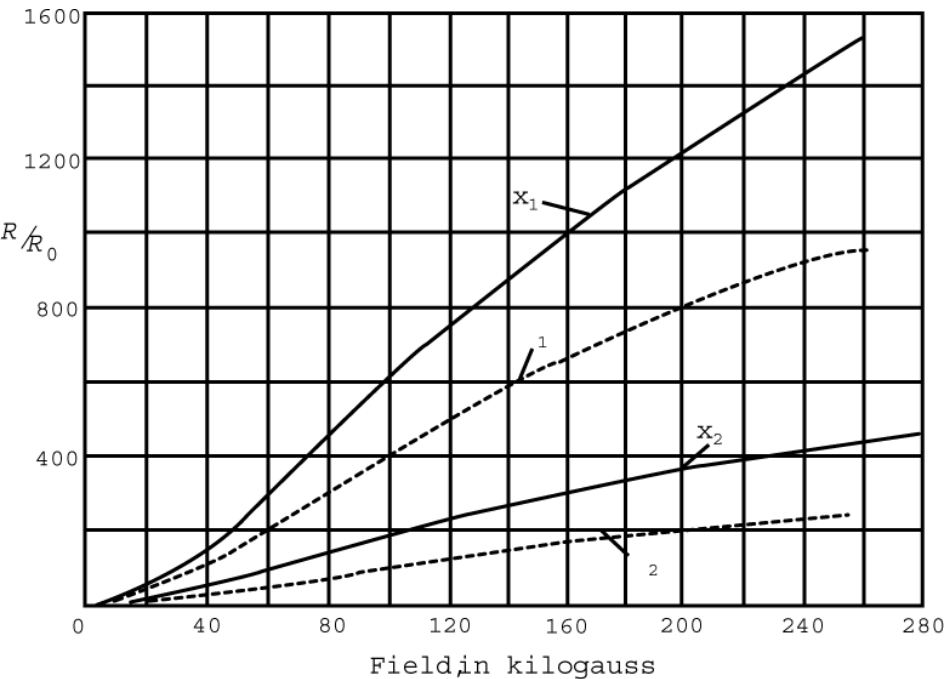
The present status of “CMR manganites”

- One of the best studied transition metal oxide system. (another best known example is high- T_C copper oxides)
- Spectacular different kinds of extraordinary phenomena and ordering effects
 - M-I transitions induced by T,P,H,...
 - Charge, Orbital, Magnetic Ordering. Charge/orbital stripes.
 - Electron-lattice interaction. Polaron formation
 - Intrinsic Phase Separation: microscopic (10-100Å) electronic and/or macroscopic one (>1000Å)
- Allows one to verify/develop theoretical approaches to strongly correlated electron systems¹.
 - Based on DE, + el.phonon + orbital d.f. + inter-site V, + elastic.

¹ Yu.A. Izyumov, Yu. N. Skryabin, Phys. Usp., 44, 109 (2001)

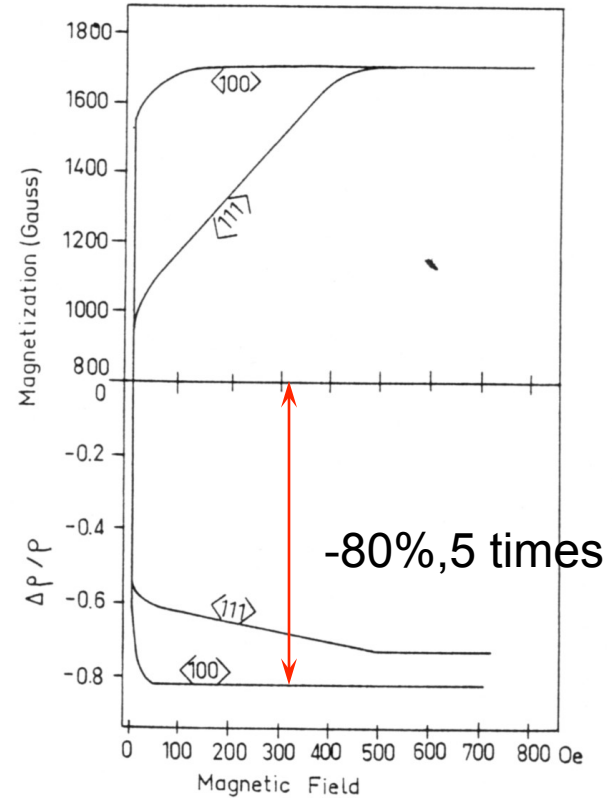
Magnetoresistance in metals and semimetals

$\Delta R/R(0) > 0$ in **nonmagnetic** metals.
 Orbital, quantum magnetoresistance
 $\Delta\rho = +\rho_0(eH/mc\tau)^2$, or $\sim +N_i H/\pi n^2_e ec$
 $\Delta\rho = +\rho_0$ for $H \gg \Omega$



Bi single crystal. $T=77K$ [Kapiza P.L. 1928]

$\Delta R/R(0) < 0$ in **ferromagnetic** metals.
 Spin-disorder scattering
 $\Delta\rho = -\rho_J \sim J^2 S(S+1)$



Iron whiskers $T=4.2K$ [Taylor et al. 1968]

Transition metal 3d perovskite-like oxides

AMO₃

M=	Sc	Ti ^{4+/3+}	V ^{4+/3+}	Cr ^{4+/3+}	Mn ^{4+/3+}	Fe ^{4+/3+}	Co ^{4+/3+}	Ni ³⁺	Cu ³⁺	Zn
	3d ¹ 4s ²	3d ^{0/1}	3d ^{1/2}	3d ^{2/3}	3d ^{3/4}	3d ^{4/5}	3d ^{5/6}	3d ⁷	3d ⁸	3d ¹⁰ 4s ²

A=Sr,Ba,Y,La,Pr,...

$$H = -\sum b_{ij} c_{i\sigma}^+ c_{j\sigma} + U \sum n_j n_j$$

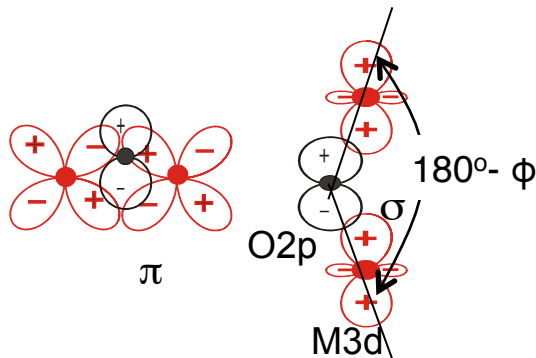
$W < U_{\text{eff}}$: Mott insulator
 $W > U_{\text{eff}}$: metal

Bandwidth
 π, σ transf. int. b_{ij}

On-site Coulomb

$$3d^n 3d^n \rightarrow 3d^{n+1} 3d^{n-1}$$

$$3d^n 2p^6 \rightarrow 3d^{n+1} 2p^5$$



Giant Negative Magnetoresistance in Perovskitelike $\text{La}_{2/3}\text{Ba}_{1/3}\text{MnO}_x$ Ferromagnetic Films

R. von Helmolt,^{1,2} J. Wecker,¹ B. Holzapfel,¹ L. Schultz,¹ and K. Samwer²

¹Siemens AG, Research Laboratories, D-8520 Erlangen, Germany

²Institute of Physics, University of Augsburg, D-8900 Augsburg, Germany

(Received 14 May 1993)

At room temperature a large magnetoresistance, $\Delta R/R(H=0)$, of 60% has been observed in the magnetic films of perovskitelike La-Ba-Mn-O. The films were grown epitaxially on SrTiO_3 substrates by off-axis laser deposition. In the as-deposited state, the Curie temperature and the saturation magnetization were considerably lower compared to bulk samples, but were increased by a subsequent heat treatment. The samples show a drop in the resistivity at the magnetic transition, and the existence of mag

Large bandwidth manganites

Double exchange ($\text{Mn}^{3+}\text{-O-Mn}^{4+}$) metal: $\text{La}_{2/3}\text{Sr}_{1/3}\text{MnO}_3$

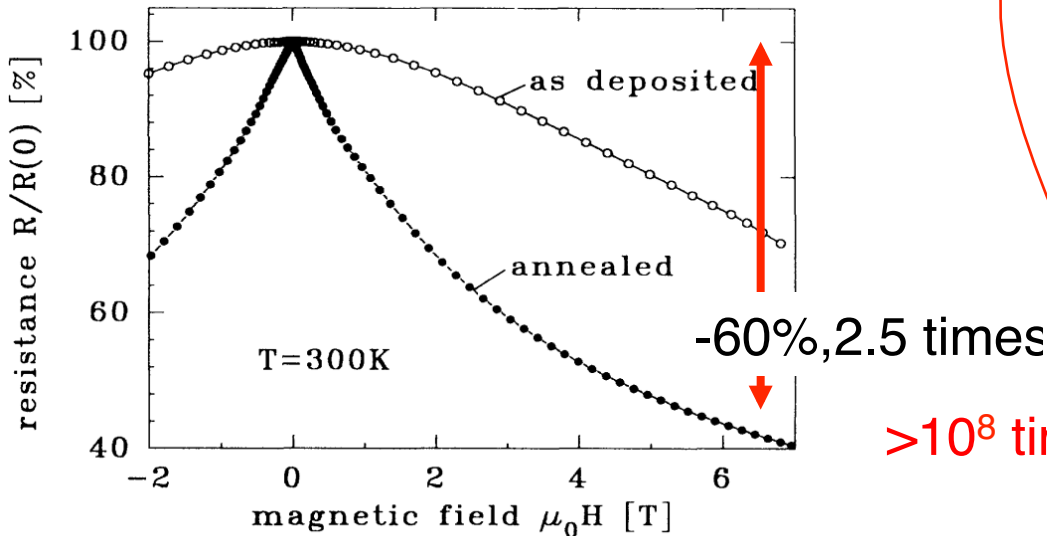
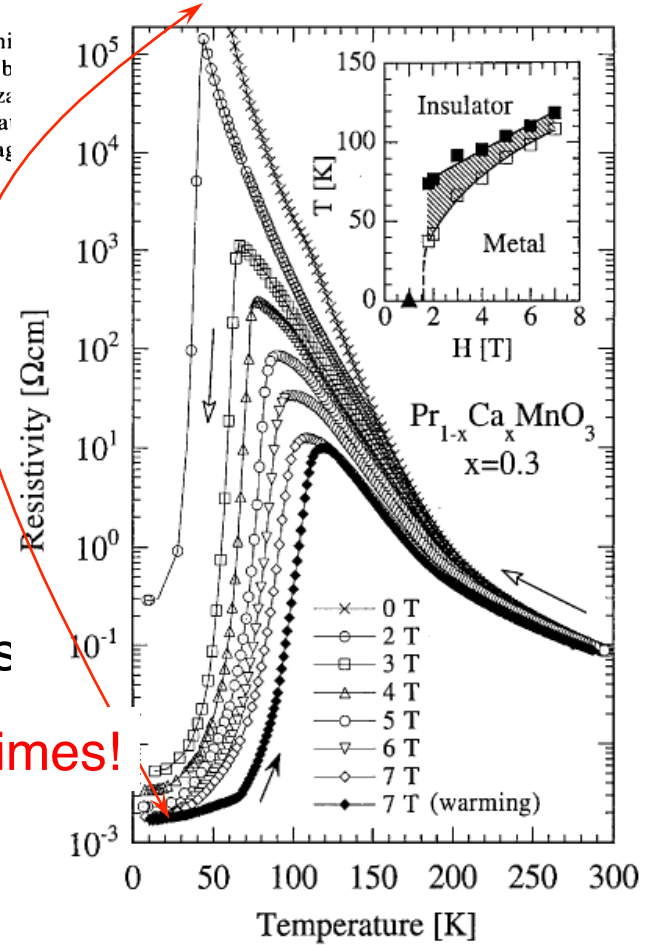


FIG. 3. Resistivity versus field curves for the as-deposited sample ($T_S = 600^\circ\text{C}$) and after annealing at $T_A = 900^\circ\text{C}$ for 12 h, measured at $T = 300\text{K}$.

Small-bandwidth manganites $(\text{PrCa})\text{MnO}_3$

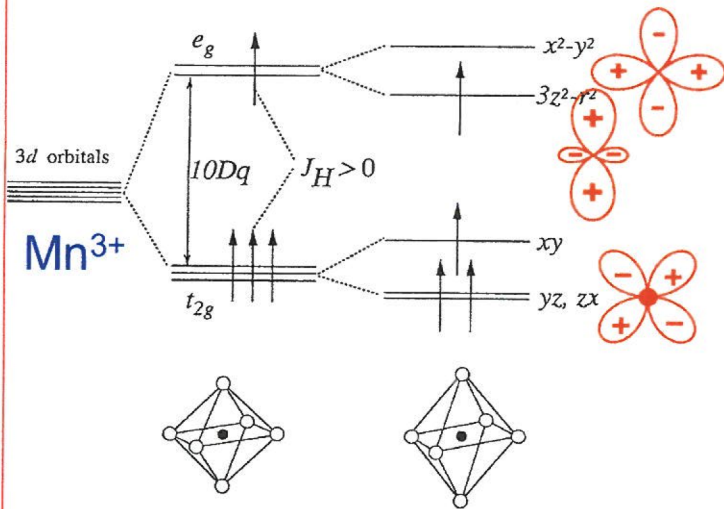


From Tomioka, Tokura 1999

Essential interactions in manganites/cobaltites

Intraatomic interactions

$$J_H \sim 2 \text{ eV}, 10Dq \sim 1-2 \text{ eV}, U_{\text{eff}} \sim 3-5 \text{ eV}$$



Electron-lattice interactions

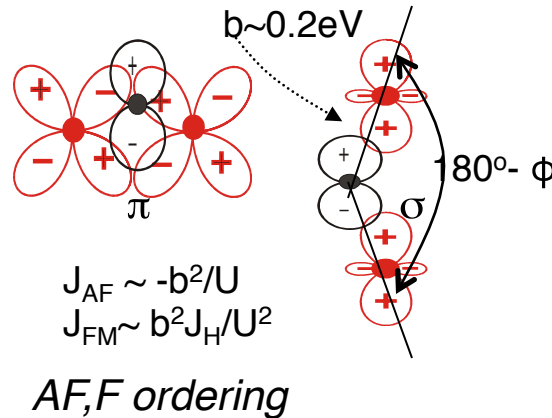
J/T split of e_g provides strong el.-lattice coupling

$$t^* = t \exp\left(-\frac{\gamma E_{JT}}{\hbar\omega}\right)$$

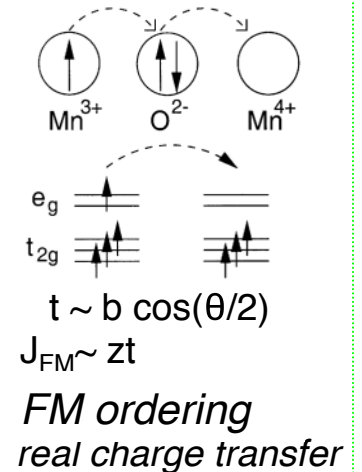
Orbital ordering, effective spin-orbit

Interatomic interactions

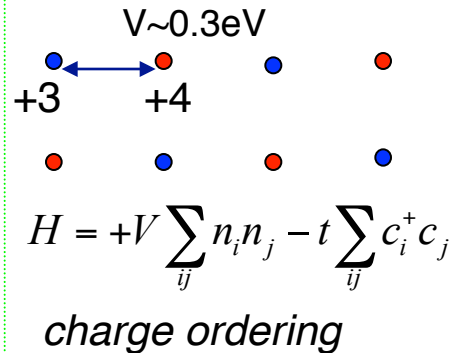
1. Superexchange



2. Double exchange

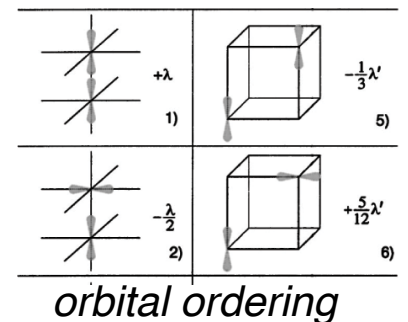


3. Intersite Coulomb V

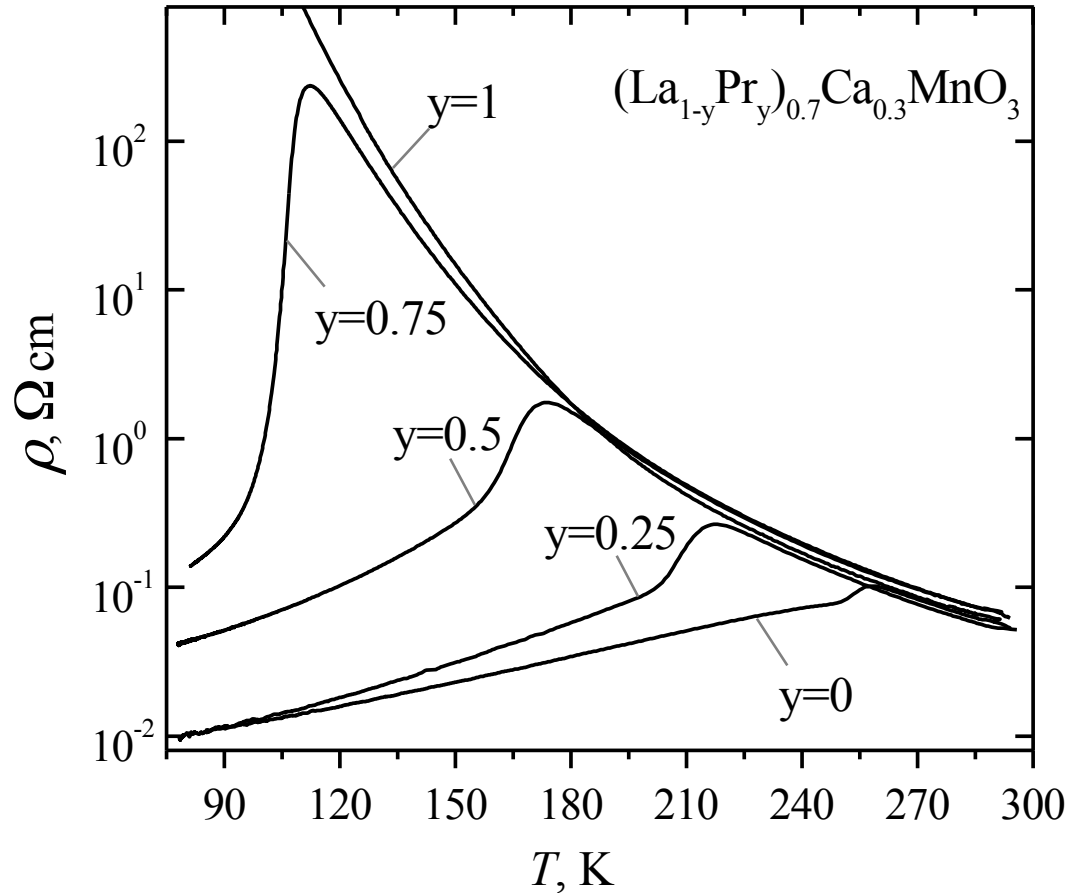


4. Elastic interactions

- Long range strain $\sim 1/R^3$
- Short range optical phonons

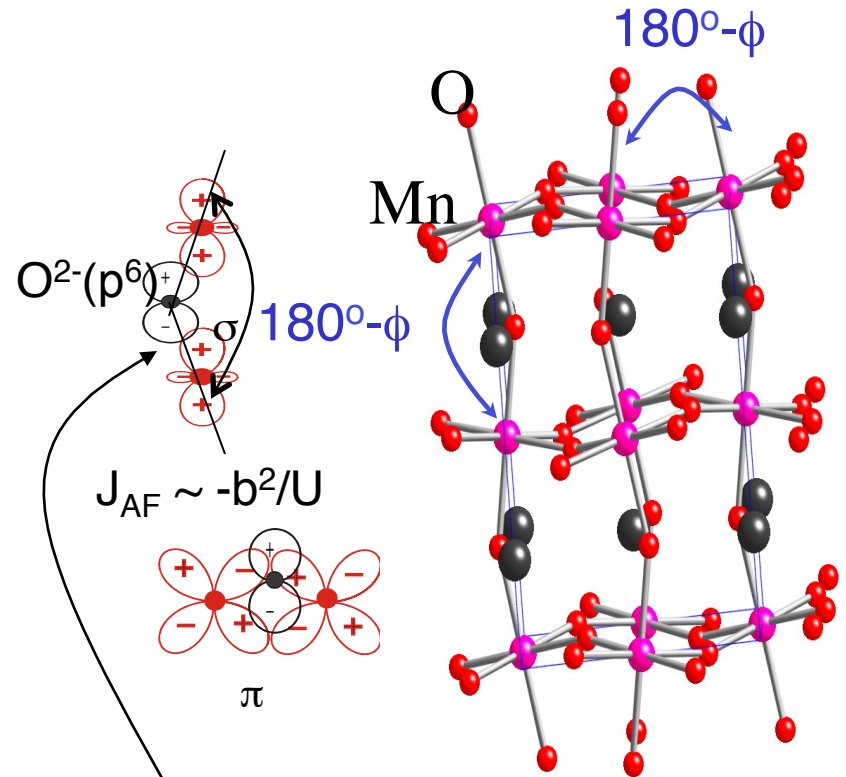
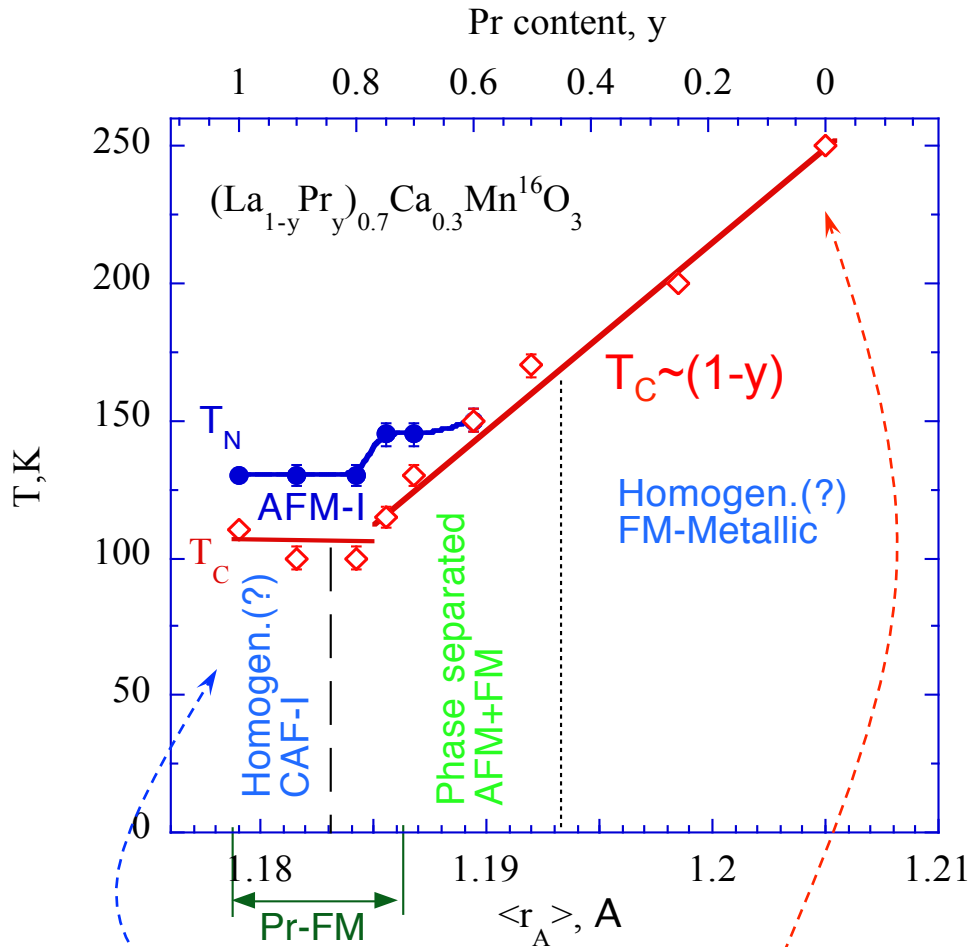


M-I transition in $(\text{La}_{1-y}\text{Pr}_y)_{0.7}\text{Ca}_{0.3}\text{MnO}_3$



Babushkina et al, 2000

$(\text{La}_{1-y}\text{Pr}_y)_{0.7}\text{Ca}_{0.3}\text{Mn}^{16}\text{O}_3$ phase diagram

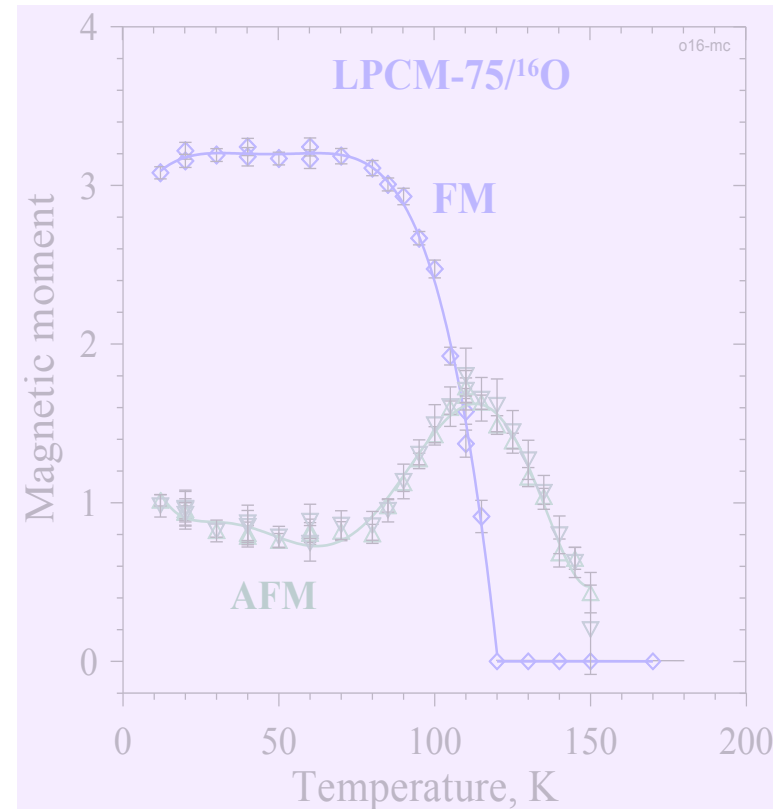
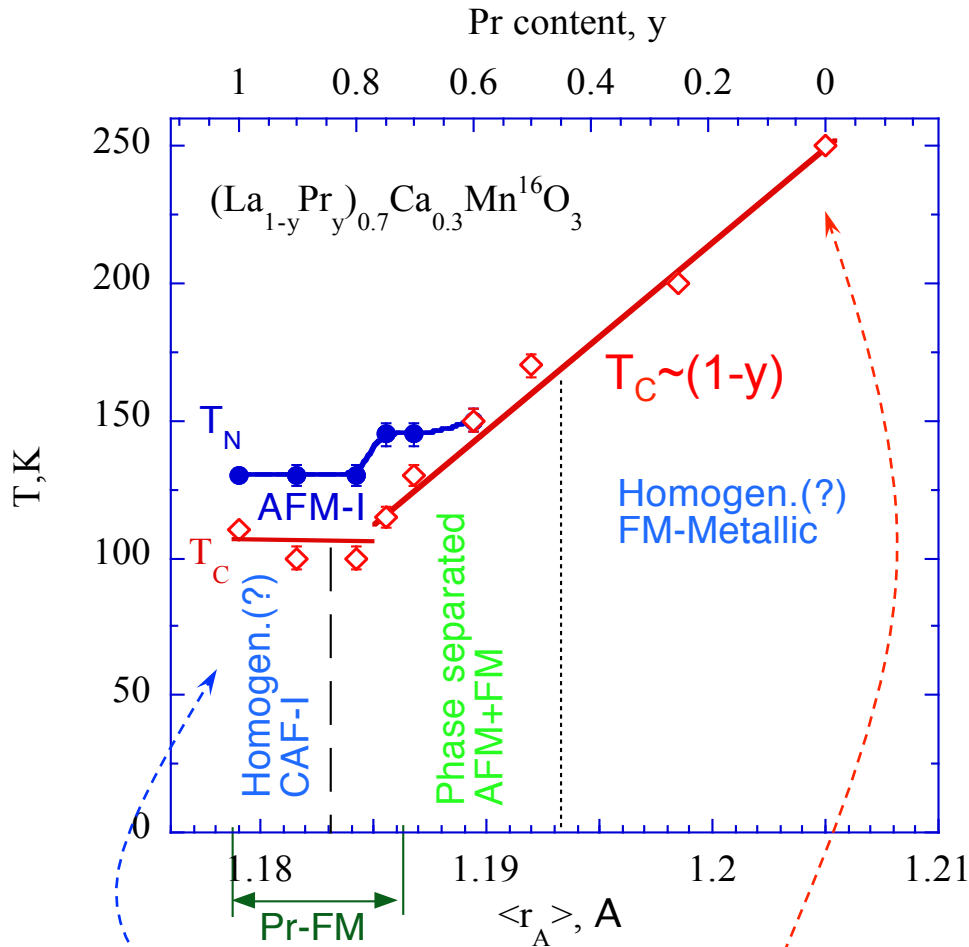


(Mn-O) electron transfer integral

$b_\sigma \sim \cos(\phi) \sim \langle r_A \rangle \sim (1-y)$
is increased with y resulting in the insulator-metal transition

CAF-Mott insulator \rightarrow FM double exchange metal

$(\text{La}_{1-y}\text{Pr}_y)_{0.7}\text{Ca}_{0.3}\text{Mn}^{16}\text{O}_3$ phase diagram

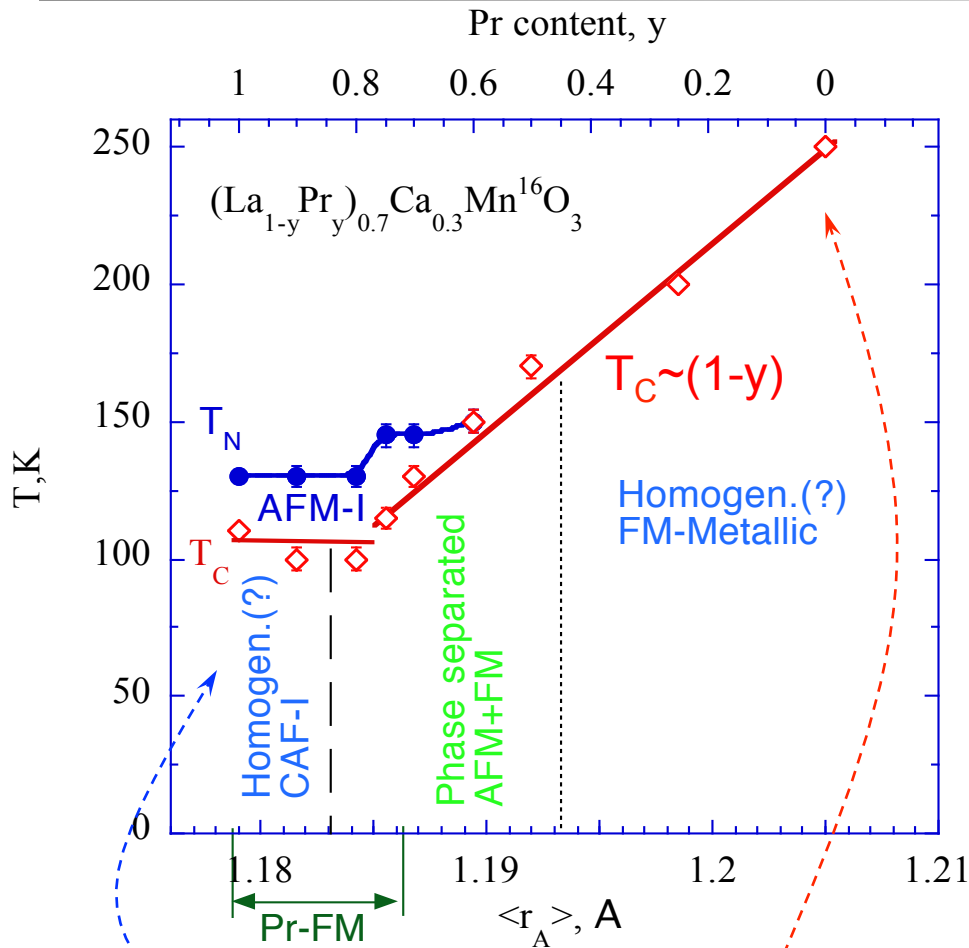


CAFMI Mott insulator \rightarrow FM double exchange metal

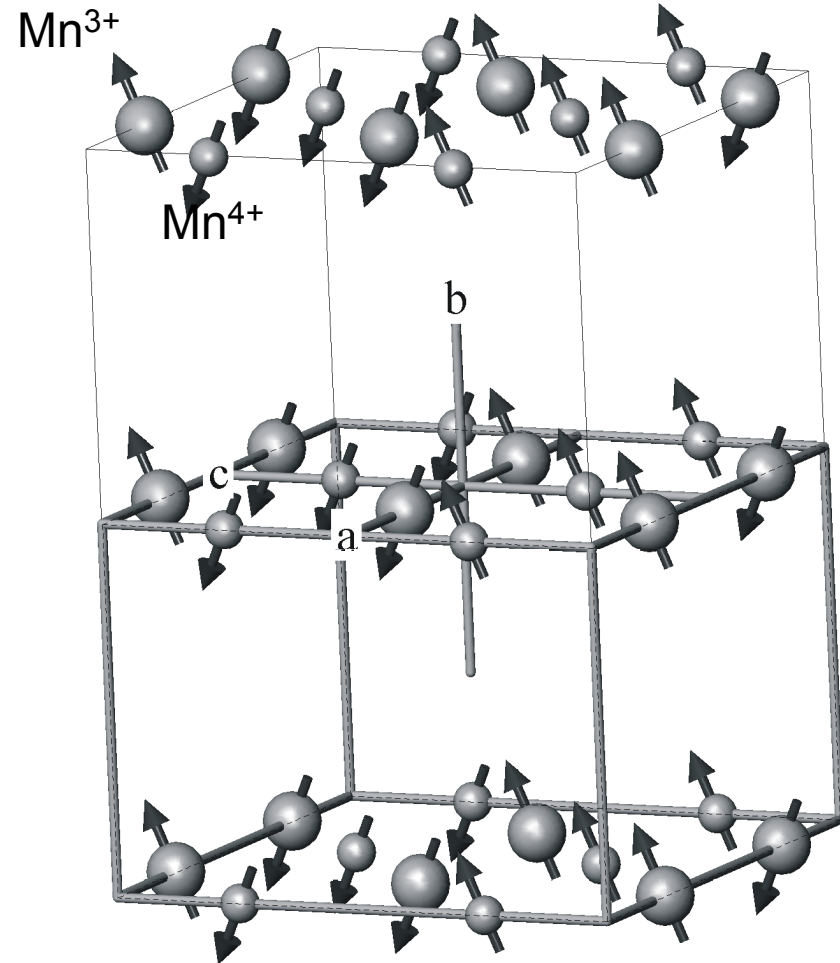
Balagurov *Phys. Rev. B* **64**, 024420-1 (2001).

60-Balagurov, 19 Jan '05, Dubna

$(\text{La}_{1-y}\text{Pr}_y)_{0.7}\text{Ca}_{0.3}\text{Mn}^{16}\text{O}_3$ magnetic structure



Pseudo CE=PCE: $[\frac{1}{2} 0 0]$ and $[\frac{1}{2} \frac{1}{2} 0]$



CAF Mott insulator \rightarrow FM double exchange

Balagurov *Phys. Rev. B* **64**, 024420-1 (2001).

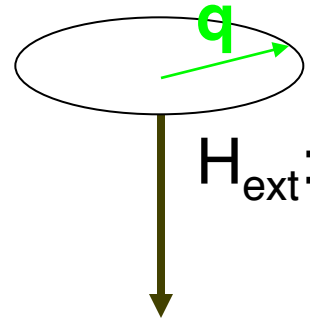
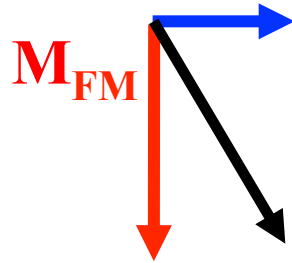
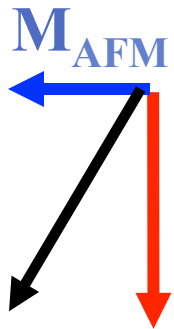
60-Balagurov, 19 Jan '05, Dubna

Diffraction in external magnetic field $\mathbf{H}_{\text{ext}} \perp \mathbf{Q}$

Homogeneous

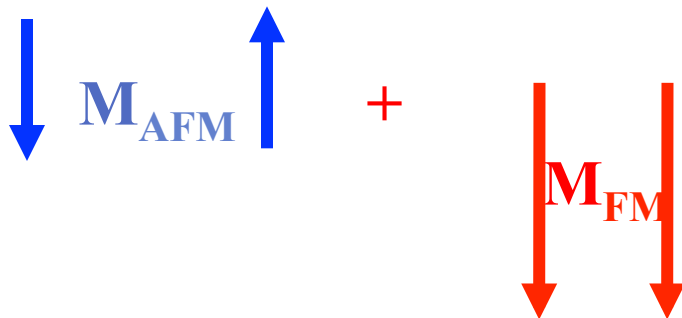
$$I_{\text{Bragg}} \sim M^2(1 - (\mathbf{q}\mathbf{m})^2)$$

$$\mathbf{m} = \mathbf{M}/M, \quad \mathbf{q} = \mathbf{Q}/Q$$



I_{AFM} is decreased
 I_{FM} is increased

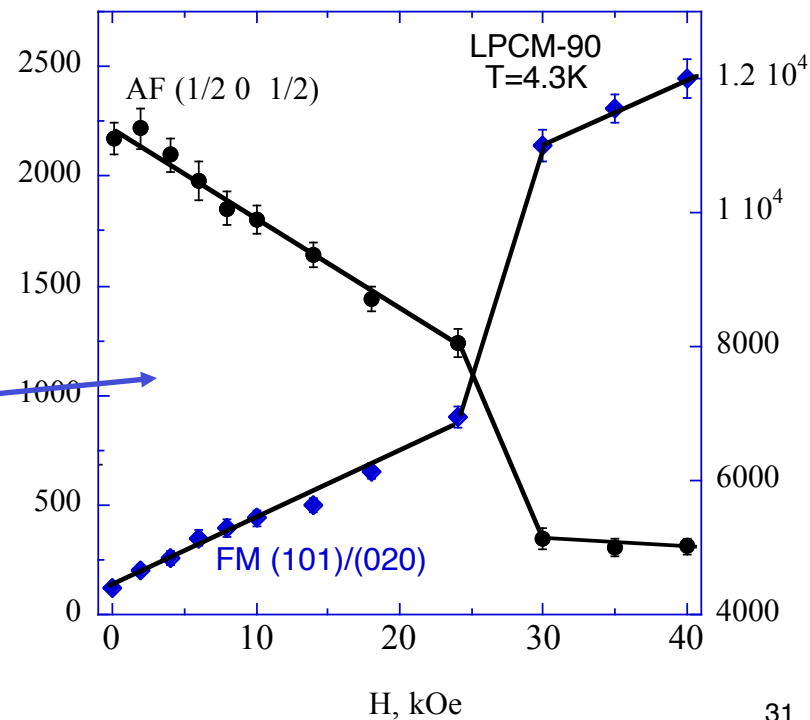
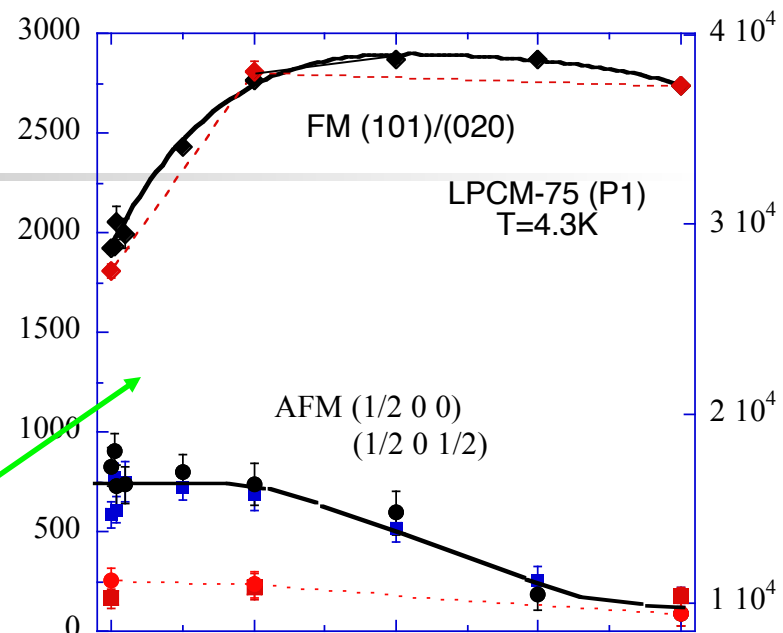
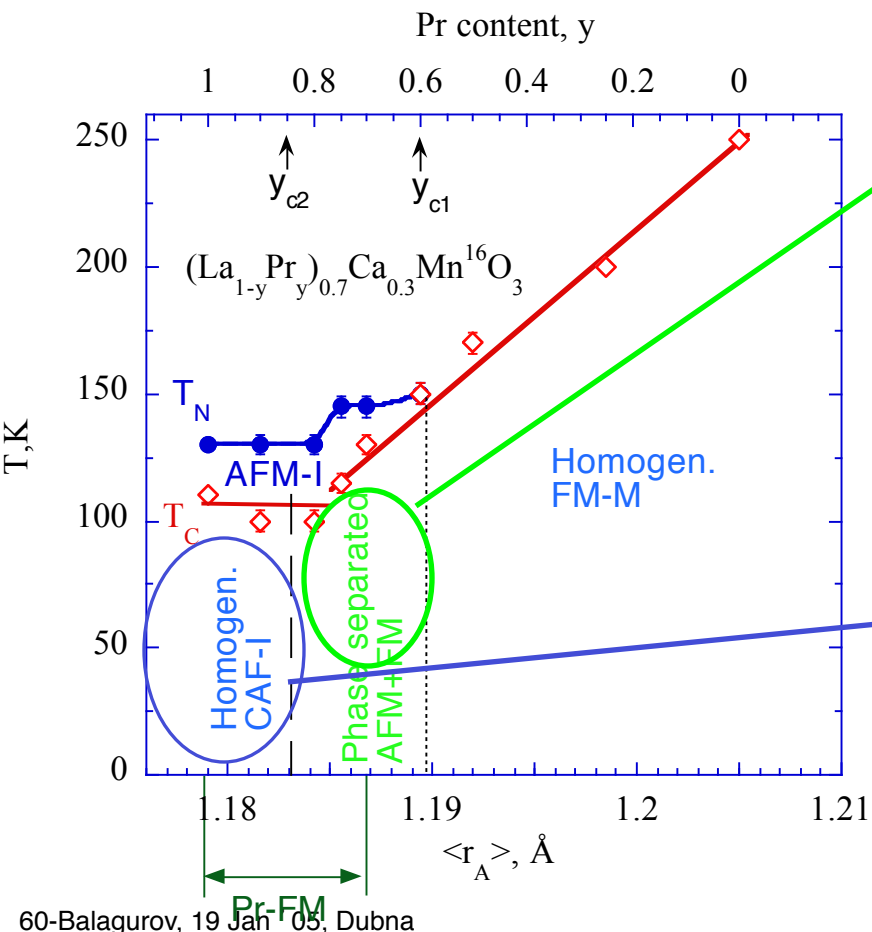
Spatially separated



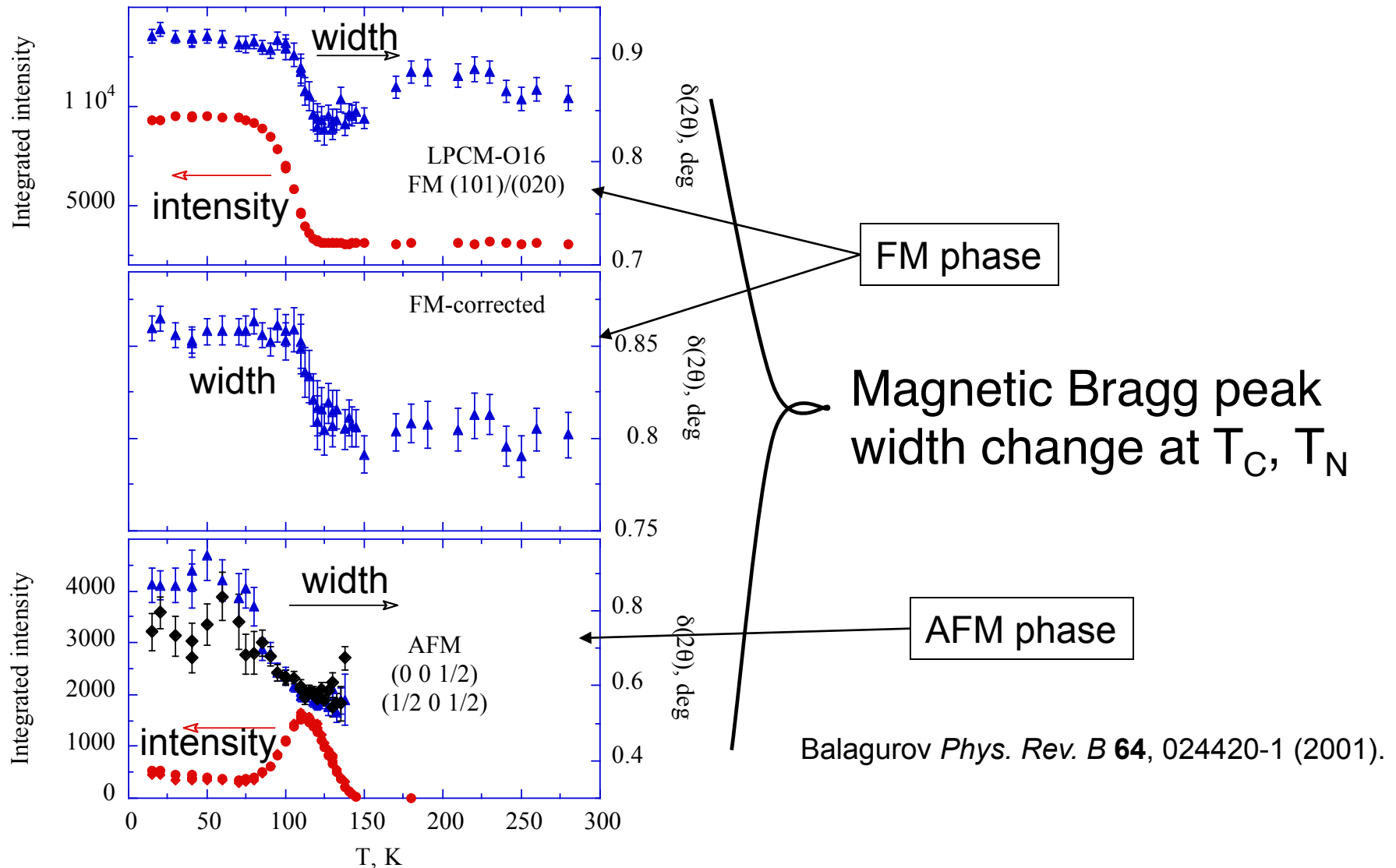
$I_{\text{AFM}} \sim \text{const} (H < H_c)$
 I_{FM} is increased

$(\text{La}_{1-y}\text{Pr}_y)_{0.7}\text{Ca}_{0.3}\text{MnO}_3$: Bragg peak intensities as a function of H_{ext}

Balagurov *Phys. Rev. B* **64**, 024420-1 (2001).



Size effect: What are the domain sizes?



Size effect

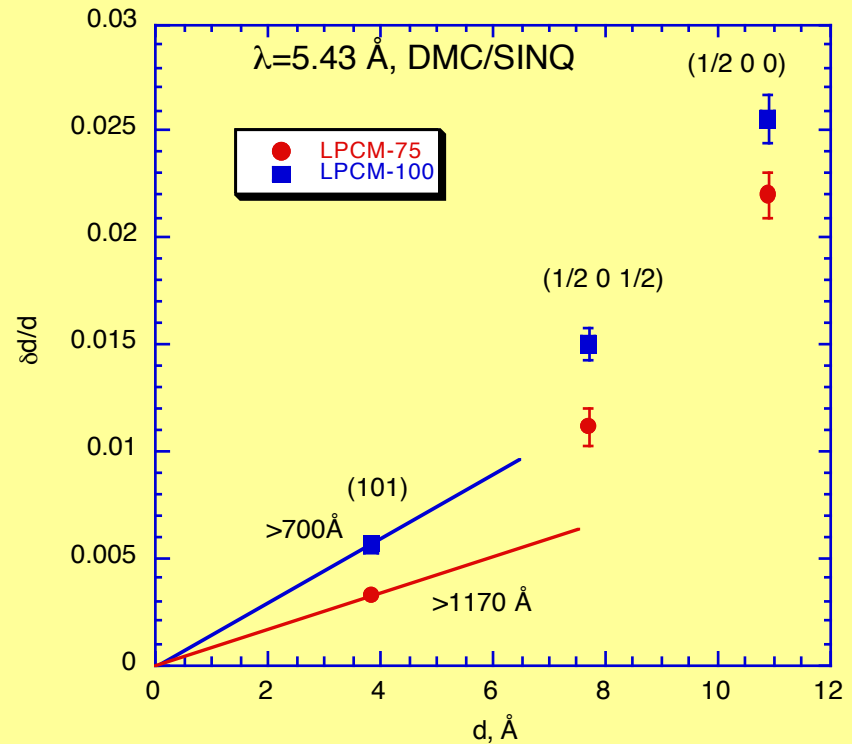
1. Size effect: $\Delta d^* = 1/L = \text{const} \Rightarrow (\Delta d/d)^2 = (d/L)^2$

2. Strain effect: $\Delta d/d = \varepsilon = \text{const} \Rightarrow (\Delta d/d)^2 = \varepsilon^2$

Total: $(\Delta d/d)_{\text{exp}}^2 = (d/L)^2 + \varepsilon^2$

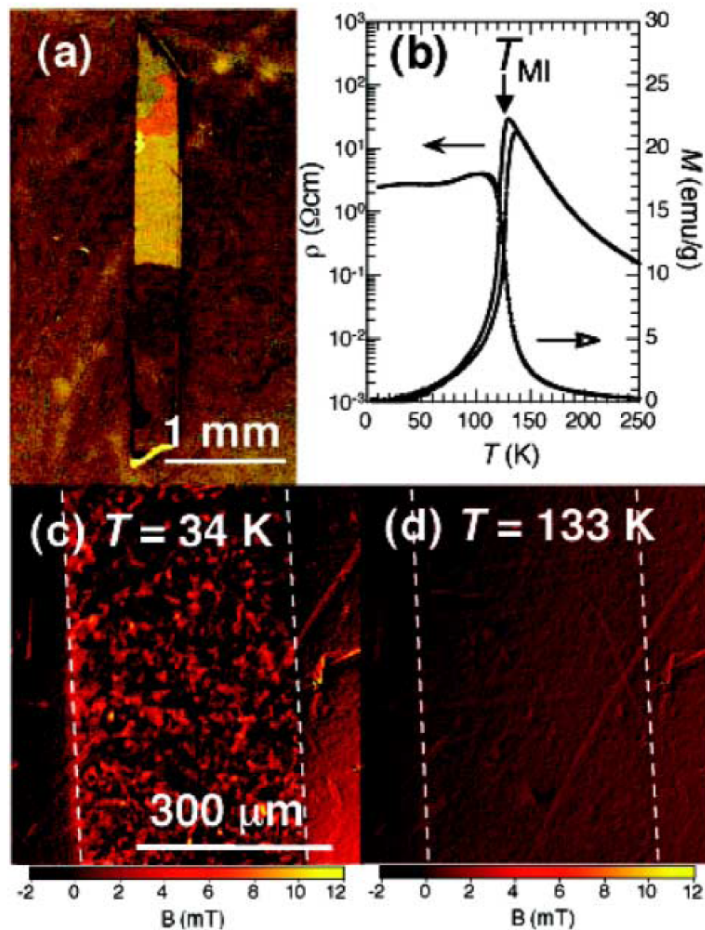
$d^* = 1/d, \Delta d/d = \Delta\Theta/\text{tg}\Theta$

Crude estimation of the low limit of the magnetic domain sizes, assuming zero strain contribution gives $L > 10^3 \text{ \AA}$



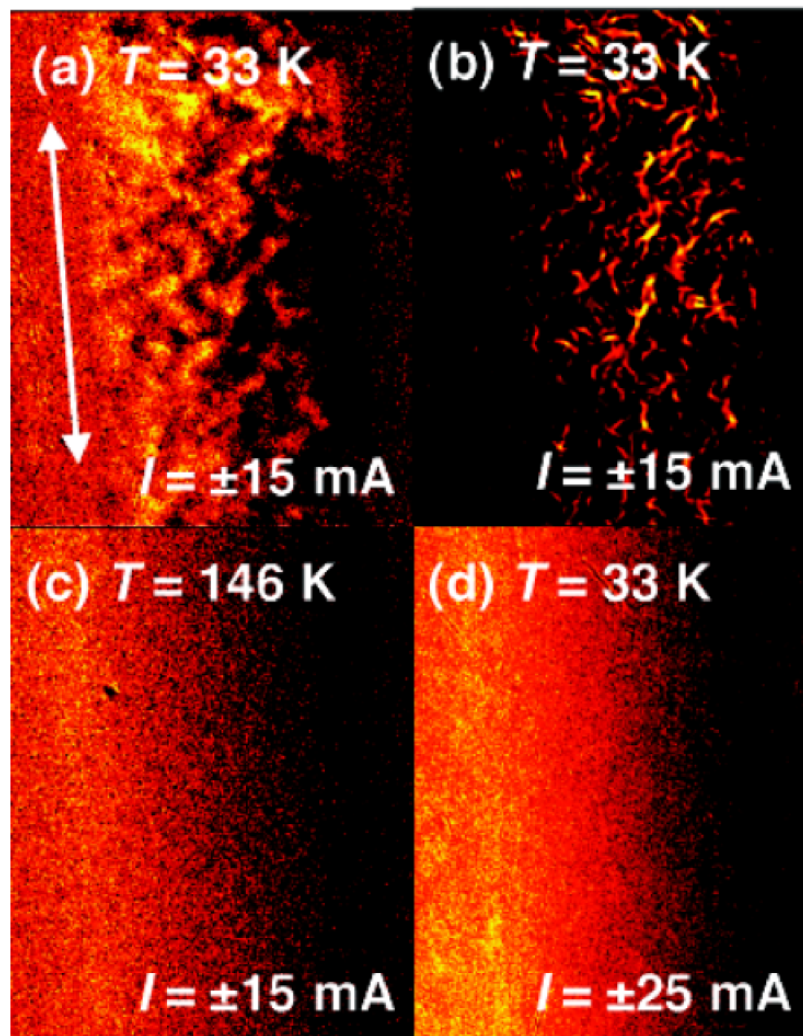
MO Imaging of Percolative Conduction Paths and Their Breakdown in Phase-Separated $(\text{La}_{0.3}\text{Pr}_{0.7})_{0.7}\text{Ca}_{0.3}\text{MnO}_3$

Tokunaga, et al Phys Rev Letters 2004.
(Faraday effect)



magnetization

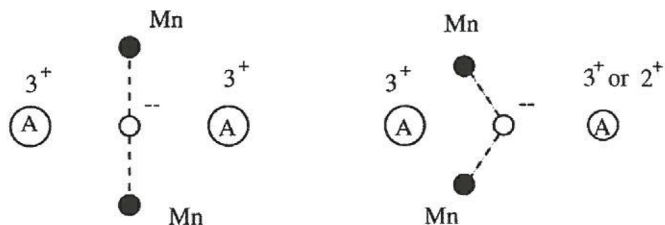
Current distribution



avr. 450 sets

Phase separation caused by the effect of disorder near MI-order transition

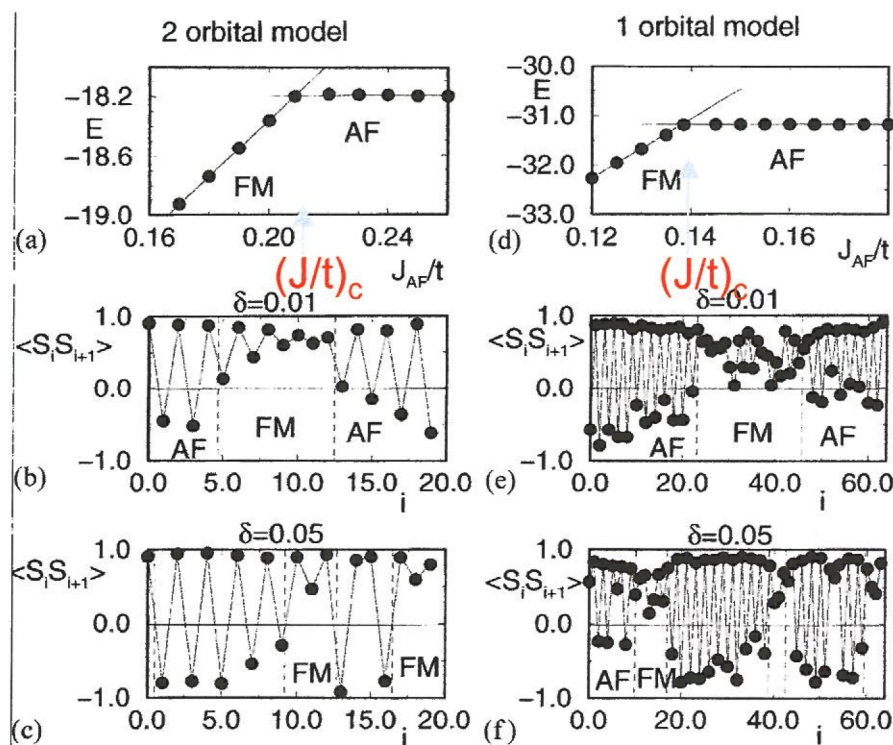
From: Moreo, Dagotto, PRL (2000)



$$H = -t \sum_i c_{i\sigma}^+ c_{j\sigma} + J \sum_{ij} S_i S_j + H_{el-ph}$$

t is locally reduced due to smaller Pr-cation radius in $(La_{1-y}Pr_y)_{0.7}Ca_{0.3}MnO_3$

1.216 Å 1.216 Å



Generation of “giant” coexisting clusters

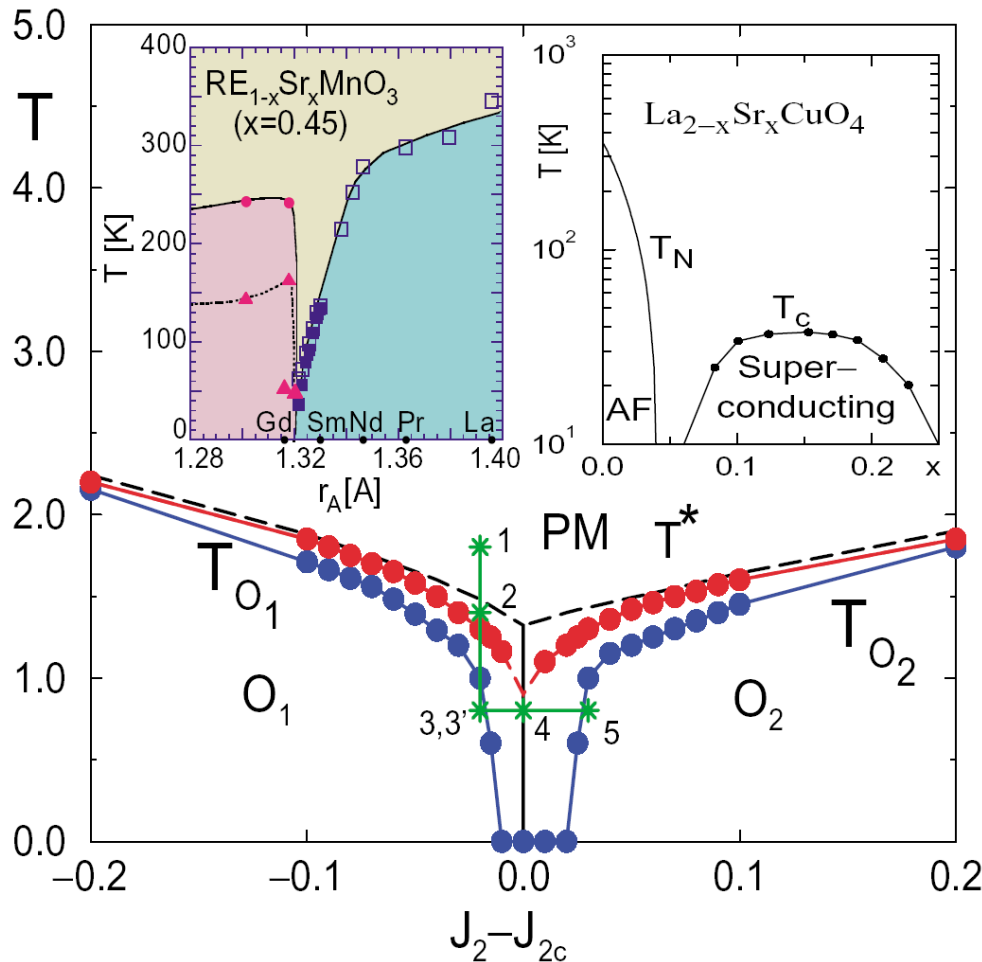
Energy per site vs. J/t for antiferro- and ferromagnetic state

MC averaged nearest-neighbor t_{2g} -spin correlations vs position along the chain.

J/t varies between $(J/t)_c - \delta$ and $(J/t)_c + \delta$

Influence of quenched disorder on the competition between ordered states separated by a first-order transition

J.Burgy, A.Moreo, M. Mayr, E.Dagotto, et al, PRL, PRB 2000-2004

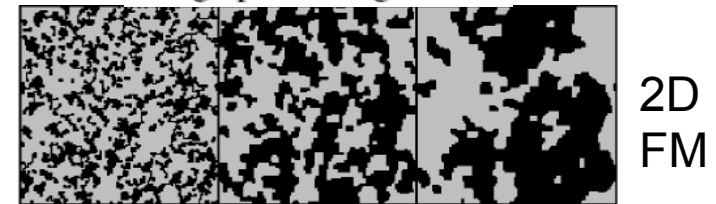


3D RFIM + correlated disorder

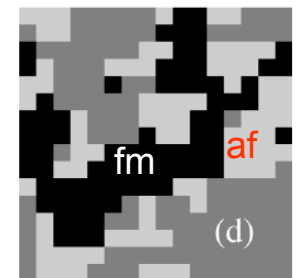
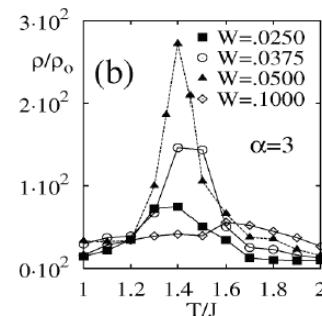
$$H = -J \sum_{\langle ij \rangle} s_i s_j + J' \sum_{[ik]} s_i s_k + \Delta \sum_{i,j} h_i s_j / d_{ij}^\alpha,$$

$\alpha \sim 3$ elasticity mechanism of the distortion propagation (Khomskii, Kugel, 2001)

Ising spin configuration



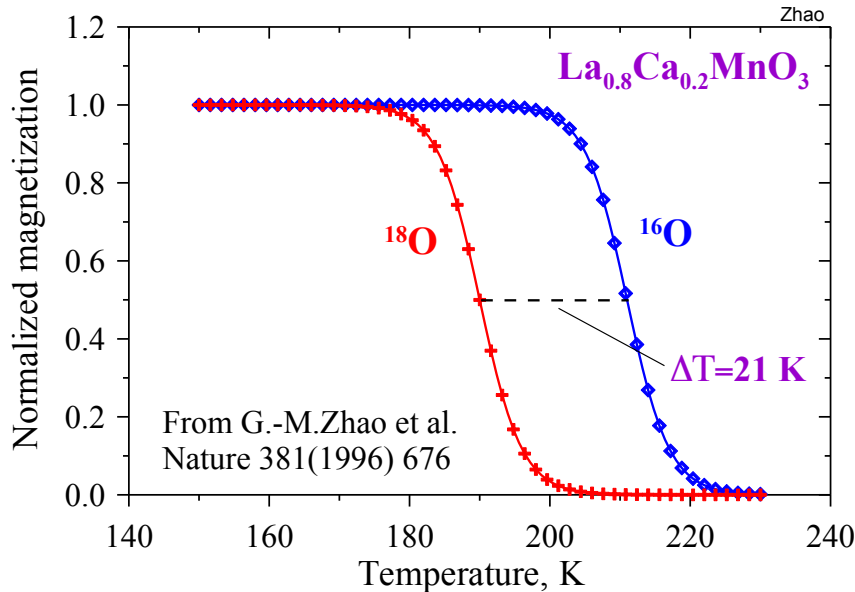
2D
FM



3D

Large isotope effect in metallic manganites

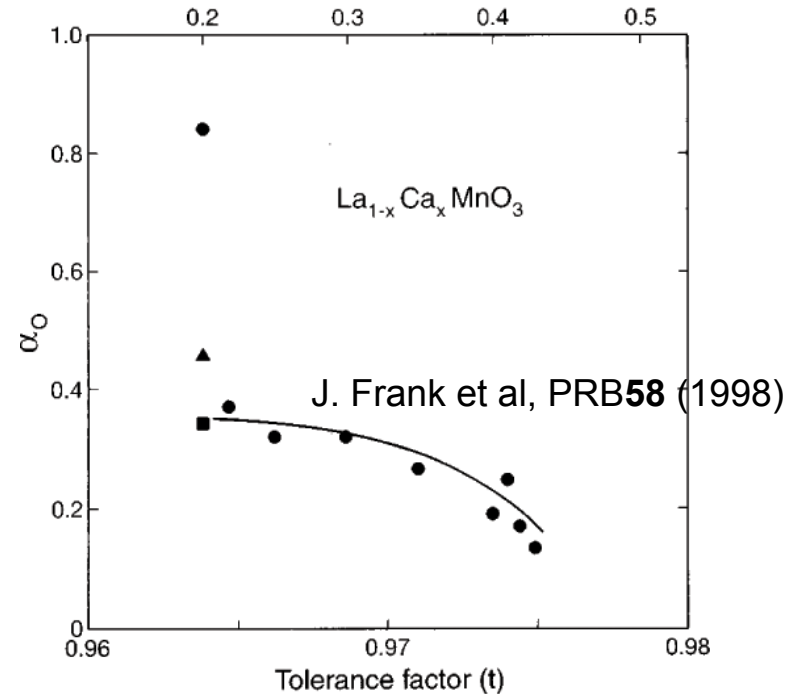
Decrease in T_C by $^{16}\text{O} \rightarrow ^{18}\text{O}$ exchange



Oxygen isotope exponent

$$\alpha_0 = -\Delta \ln T_C / \Delta \ln M = 0.5 \gamma E_{JT} / \hbar \omega$$

Calcium concentration (x)



Small polaron¹ $t^* = t e^{-g^2} = t \exp\left(-\frac{\gamma E_{\text{polaron}}}{\hbar \omega}\right) \sim t \exp(-k \sqrt{M})$

$\gamma = \gamma(E/t) \sim 1$

double exchange: $T_C \sim t$

J/T-polaron $\text{Mn}^{3+}/\text{Mn}^{4+}$

$$t_{2g}^3 e_g^1 / t_{2g}^3 e_g^0$$

One-orbit DE + small polaron model

U. Yu, et al PRB **61**, 8938 (2000)

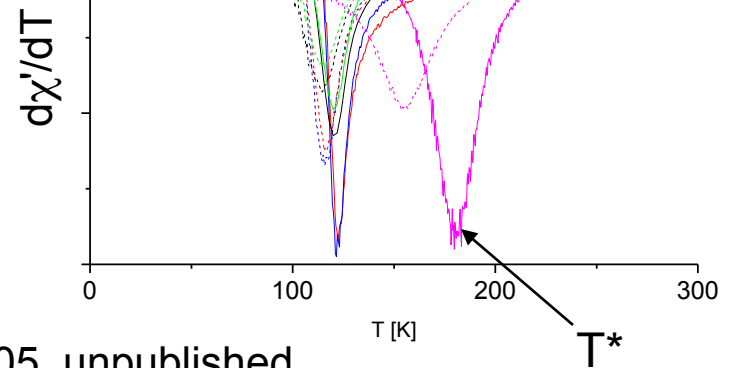
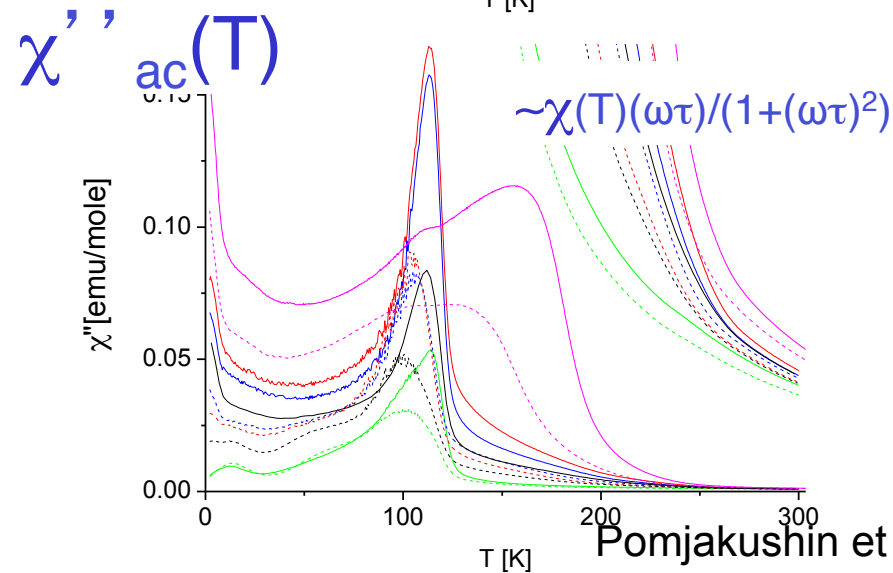
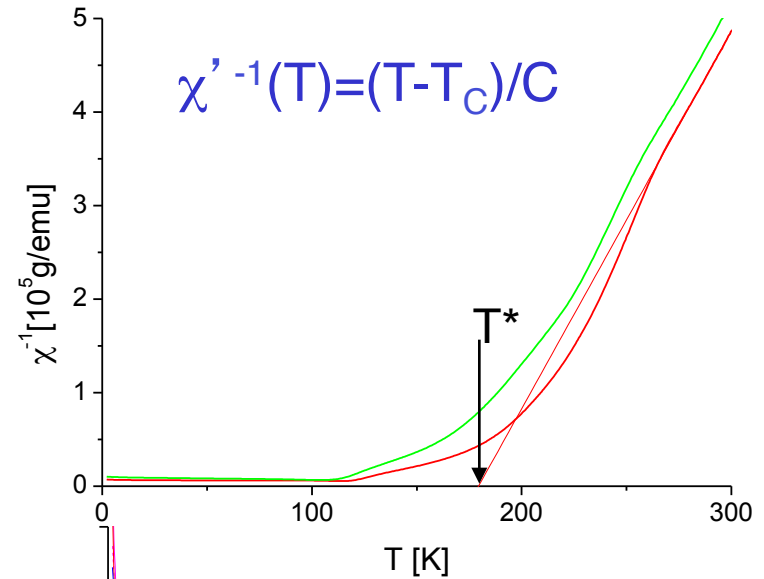
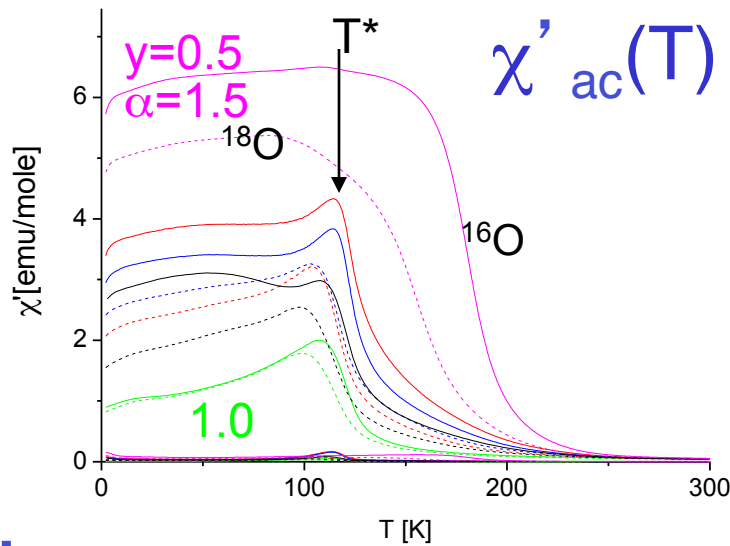
C.A. Perroni et al, PRB **66**, 184409 (2002)

S.W. Biernacki PRB **61**, 184409 (2002)

$$\alpha_0 = 0.3-0.65$$

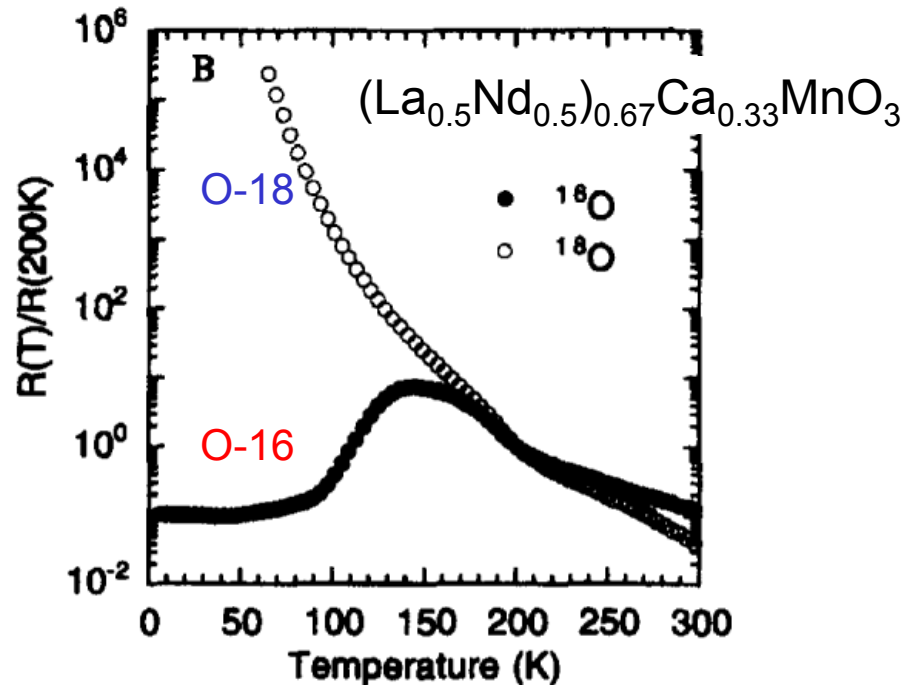
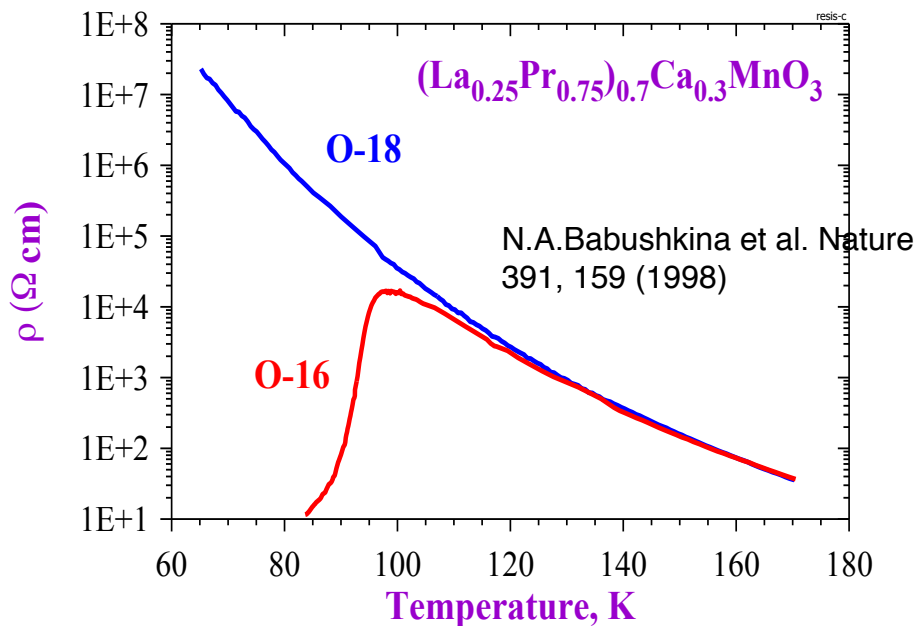
¹A.S.Alexandrov, N.F.Mott Int. J. mod. Phys **8**, 2075 (1994)

$(\text{La}_{1-y}\text{Pr}_y)_{0.7}\text{Ca}_{0.3}\text{MnO}_3: \chi_{ac}(T) = \chi'(T) + i\chi''(T)$



Pomjakushin et al, 2005, unpublished

Giant isotope effect in intermediate-bandwidth manganites

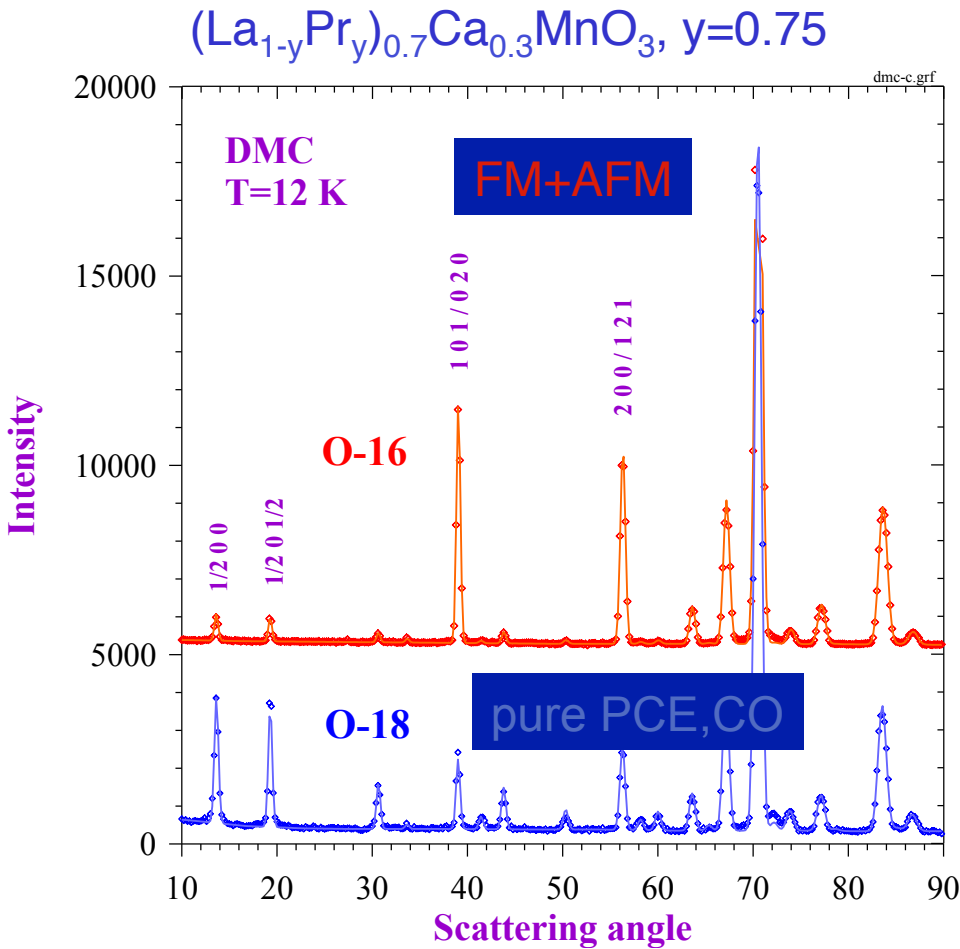


Guo-meng Zhao et al, Solid State Comm. **104**, 57 (1997)

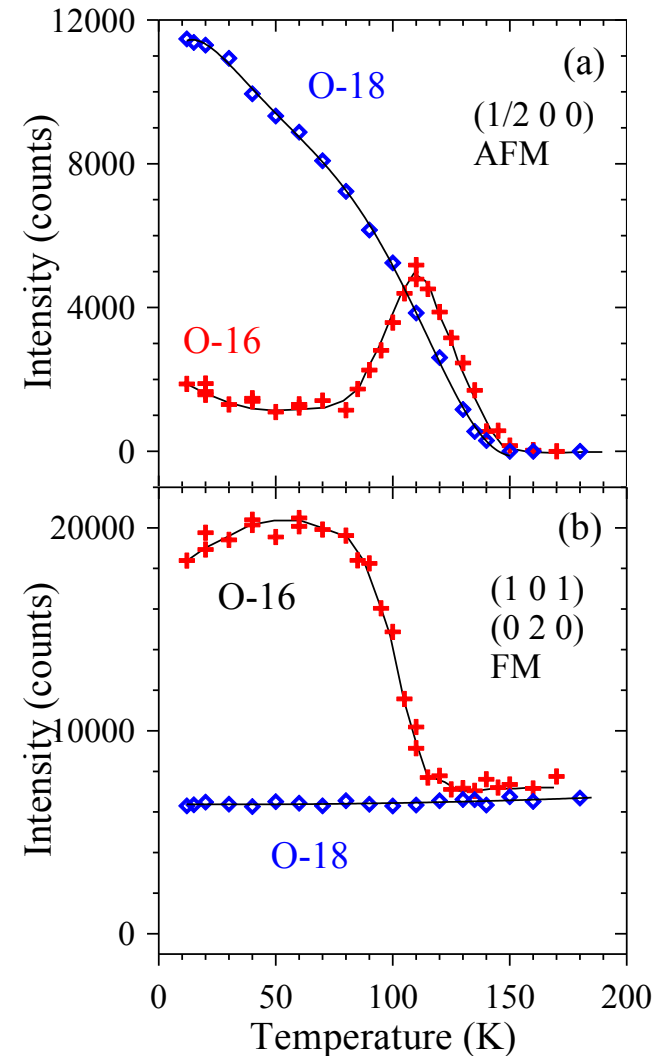
$$t^* = t \exp\left(-\frac{E_{pol}}{\omega}\right) \quad \text{is not enough!}$$

M-I is a percolative transition in phase separated state

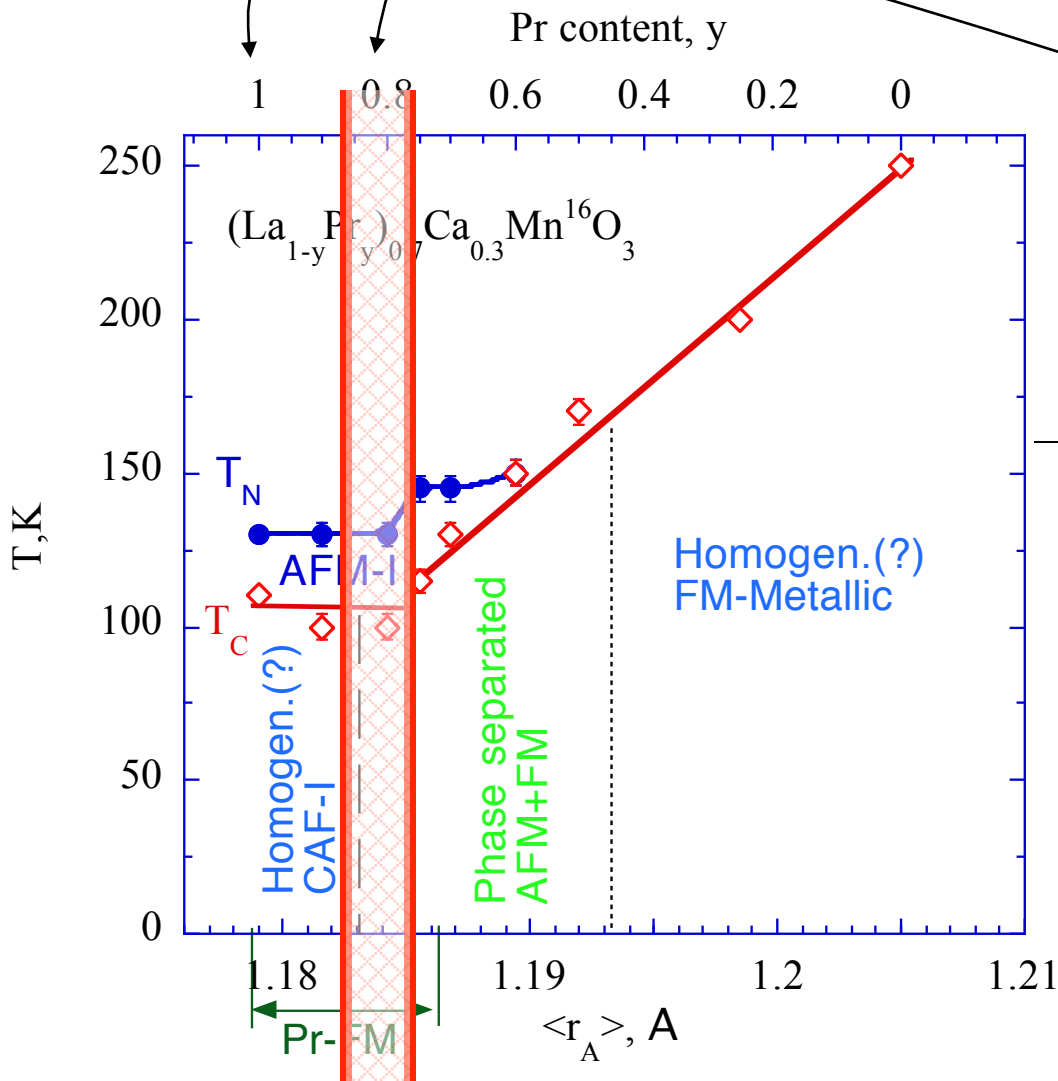
Giant isotope effect: magnetic structure



Balagurov et al, *Phys. Rev. B* **60**, 383 (1999)



Natural continuation: Isotope effect in the vicinity of M-I transition @ $y=0.8$



$y=0.7, 0.8$ and 1.0

HR diffraction and $\chi_{ac}(T)$:

- the y -range of the giant isotope effect.
- detailed T-scans: the interplay magnetic, orbital and charge ordering

Polaronic narrowing works if:

e-hopping time	$\tau \sim 1/\omega$	opt. phonon $\sim 20 \text{ meV}$
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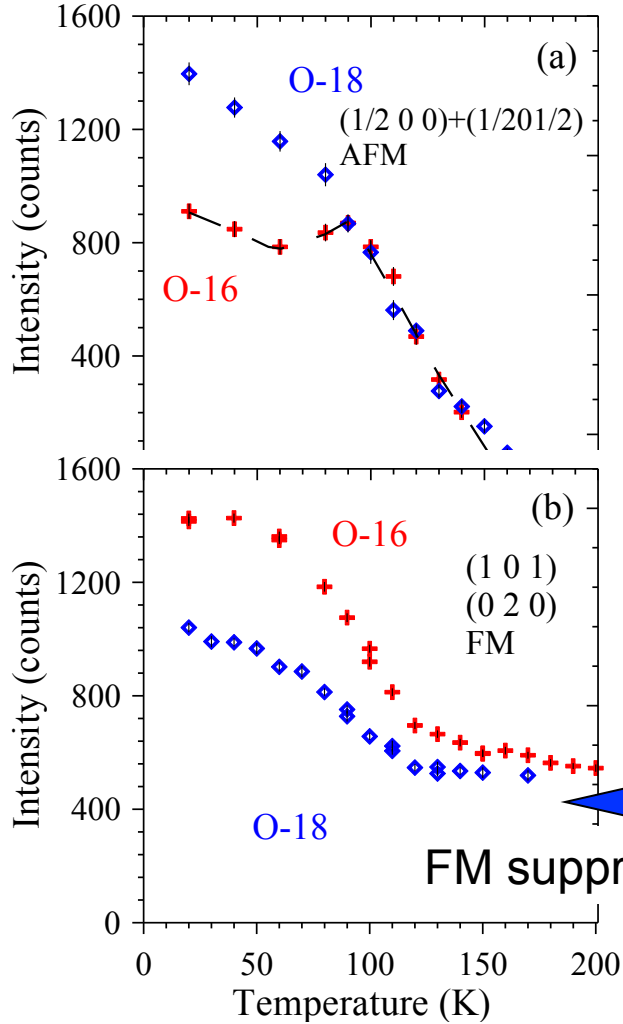
Isotope effect expected?

NO
superexchange
$J_{AF} \sim -b^2/U$
$\tau = \hbar/U, U=5\text{eV}$

YES
doble-exchange charge ordering
$T_C \sim zt$
$T_{CO} \sim t/V, V \sim 0.2$

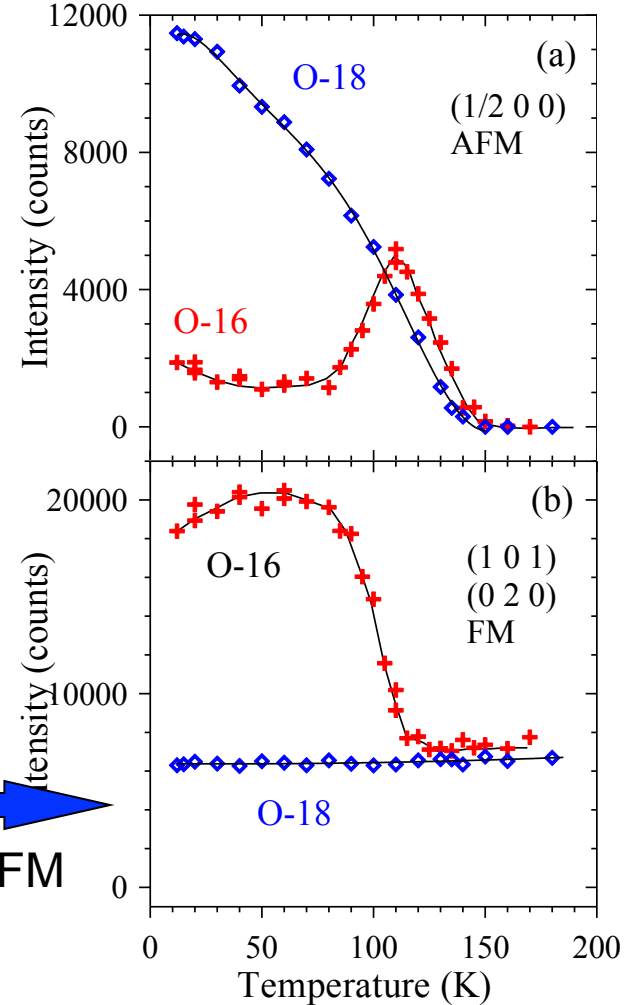
Magnetic state. Bragg I(T)

x=0.8, 0.75. "New" O-series



FM suppressed

x=0.75. "Old" N-series



No FM



What is the difference between the samples

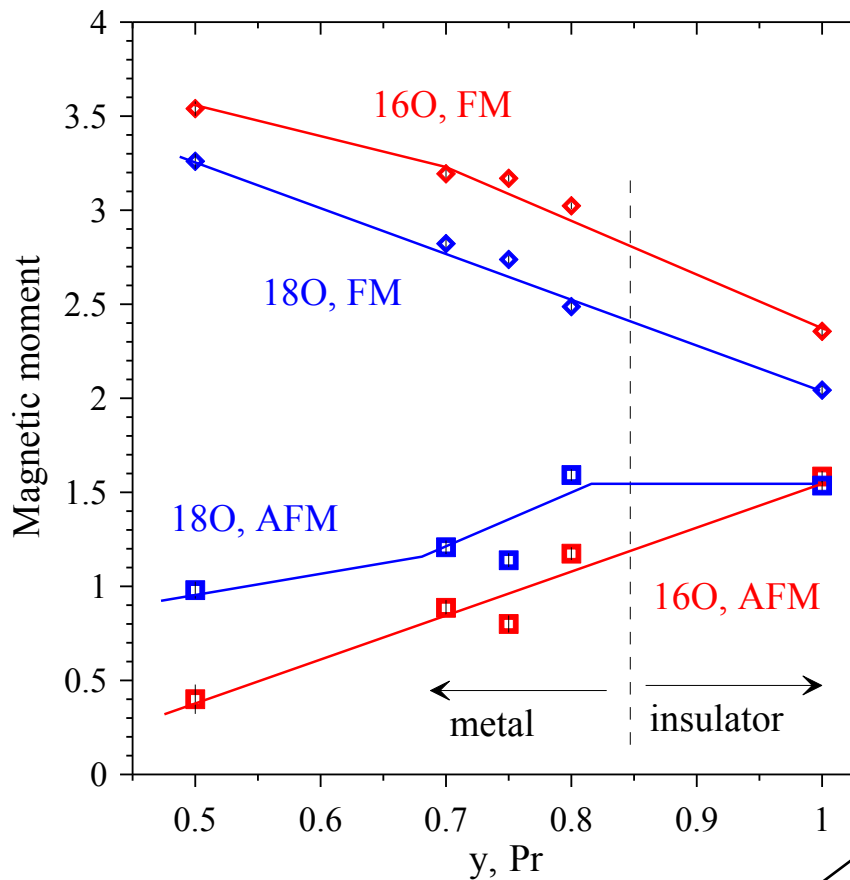


- **O-series (y=0.2, 0.5, 0.8, 0.75, 0.7, 1.0):** by the solid state synthesis from oxides and carbonates of respective metals. The ^{18}O (>85%) samples as well as the final ^{16}O samples were obtained via respective oxygen isotope exchange at the same conditions
- **N-series¹:** by the “paper” synthesis starting from aqueous solutions of nitrates of the respective metals (N-series) with the final thermal treatment similar to the O-series

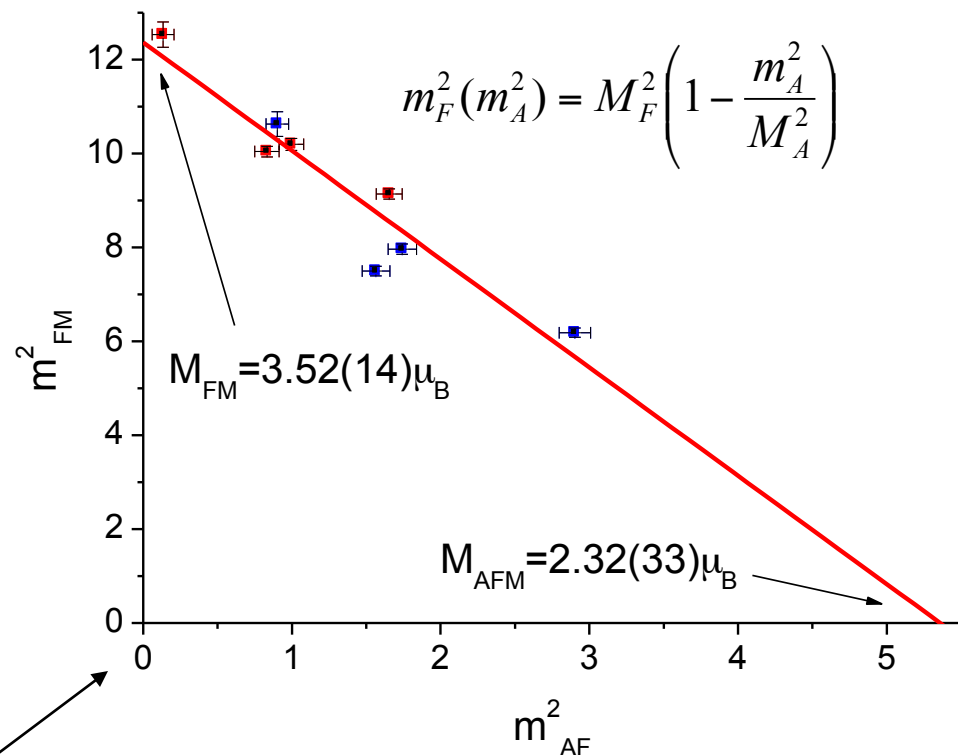
[1] Balagurov et al, *Phys. Rev. B* **60**, 383 (1999);
Phys. Rev. B **64**, 024420-1 (2001);
Eur. Phys. J. B **19**, 215 (2001)

Saturated effective magnetic moments in $(\text{La}_{1-y}\text{Pr}_y)_{0.7}\text{Ca}_{0.3}\text{MnO}_3$

“New” O-series



Metallic FM+AFM separated state



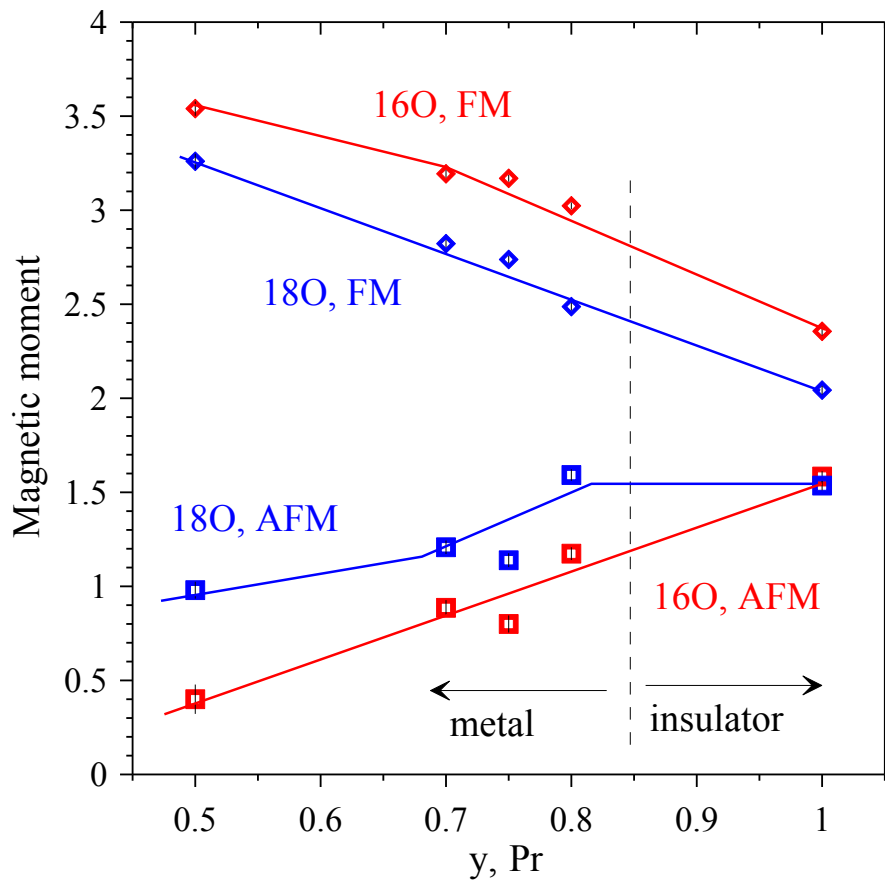
Effective moments

$$\begin{cases} m_{\text{AF}} = v^{1/2} M_{\text{AF}} \\ m_{\text{F}} = (1-v)^{1/2} M_{\text{F}} \end{cases}$$

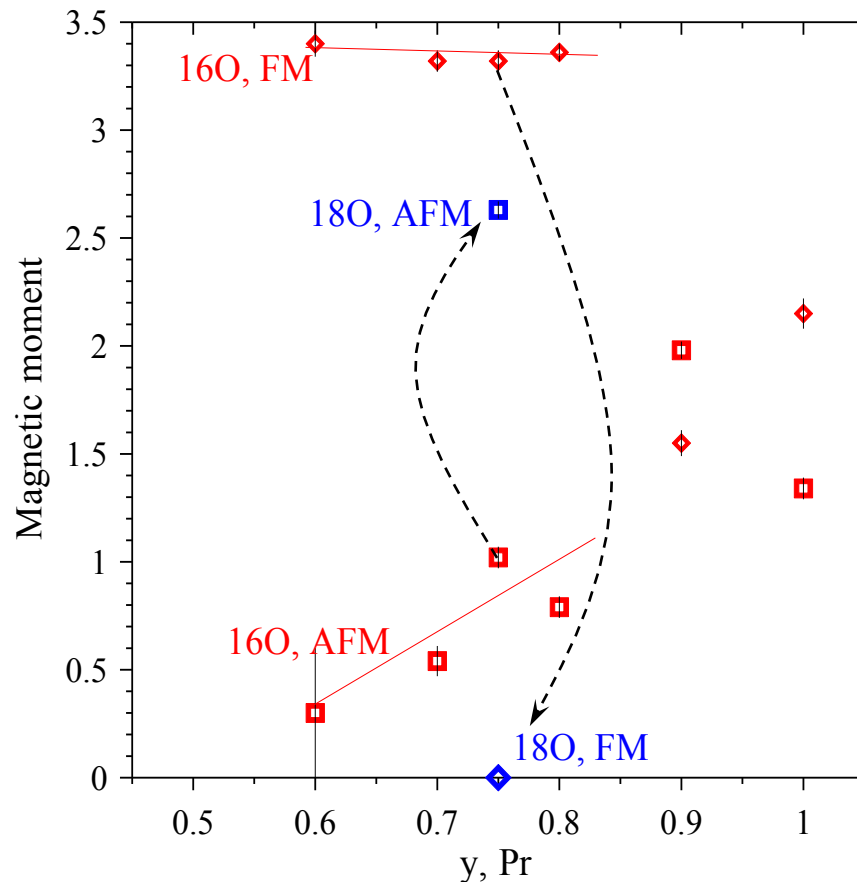
Volume fraction

Saturated effective magnetic moments in $(\text{La}_{1-y}\text{Pr}_y)_{0.7}\text{Ca}_{0.3}\text{MnO}_3$

“New” O-series



“Old” N-series



Effective moments

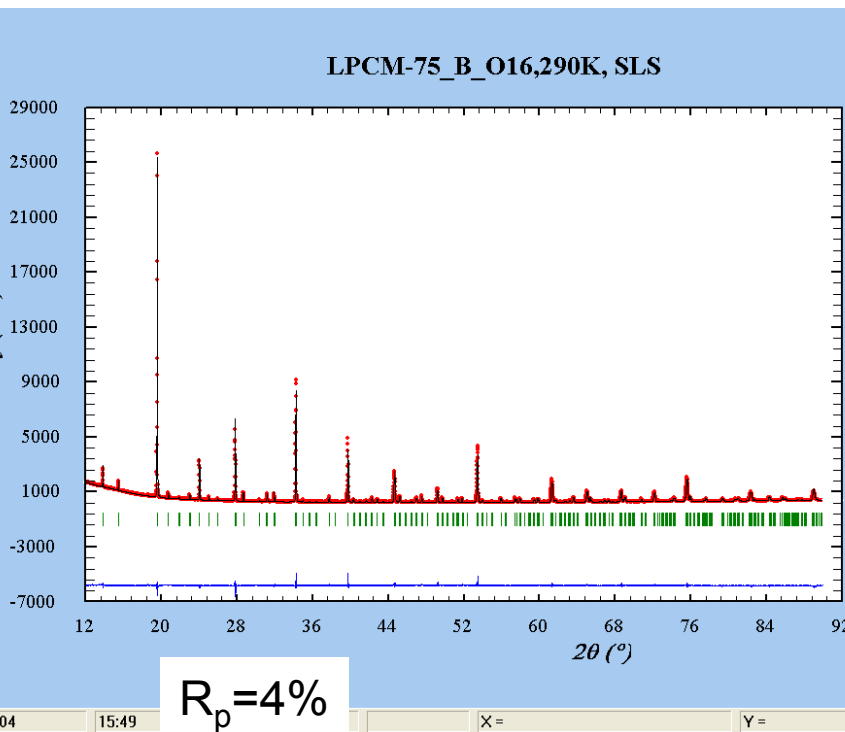
$$\begin{cases} m_{\text{AF}} = v^{1/2} M_{\text{AF}} \\ m_{\text{F}} = (1-v)^{1/2} M_{\text{F}} \end{cases}$$

Volume fraction

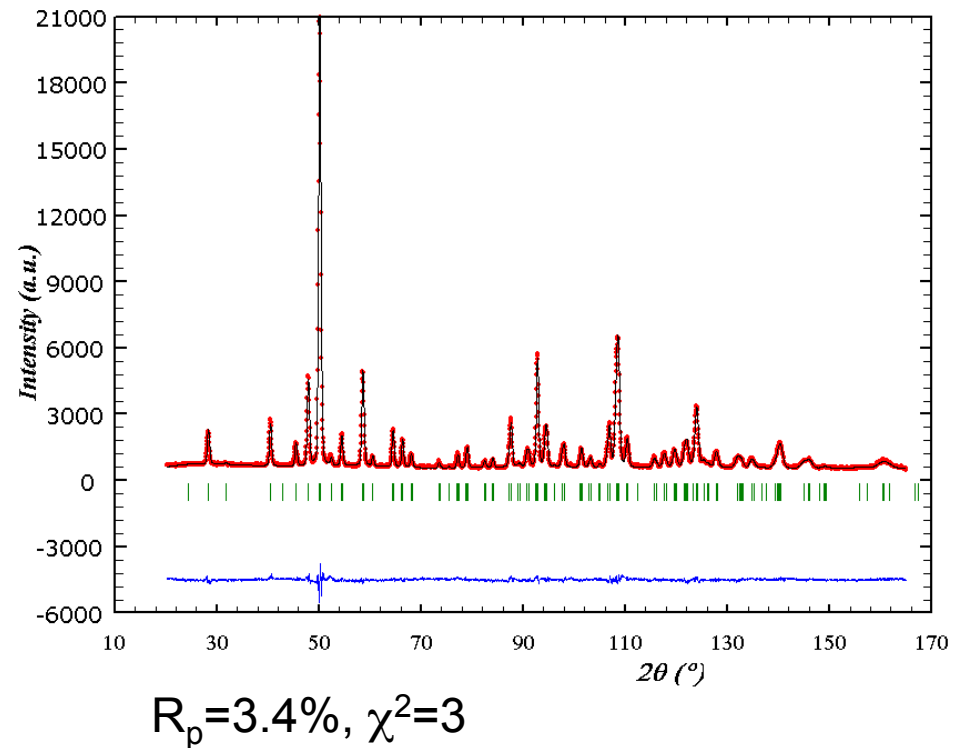
What is the difference between two series? Crystal structure?

$(\text{La}_{1-y}\text{Pr}_y)_{0.7}\text{Ca}_{0.3}\text{MnO}_3$, $y=0.75$ from both N- and O-series
Pnma, single phase at 290K

SLS X-ray material beamline.
Ultra-high resolution. $\lambda=0.9\text{\AA}$

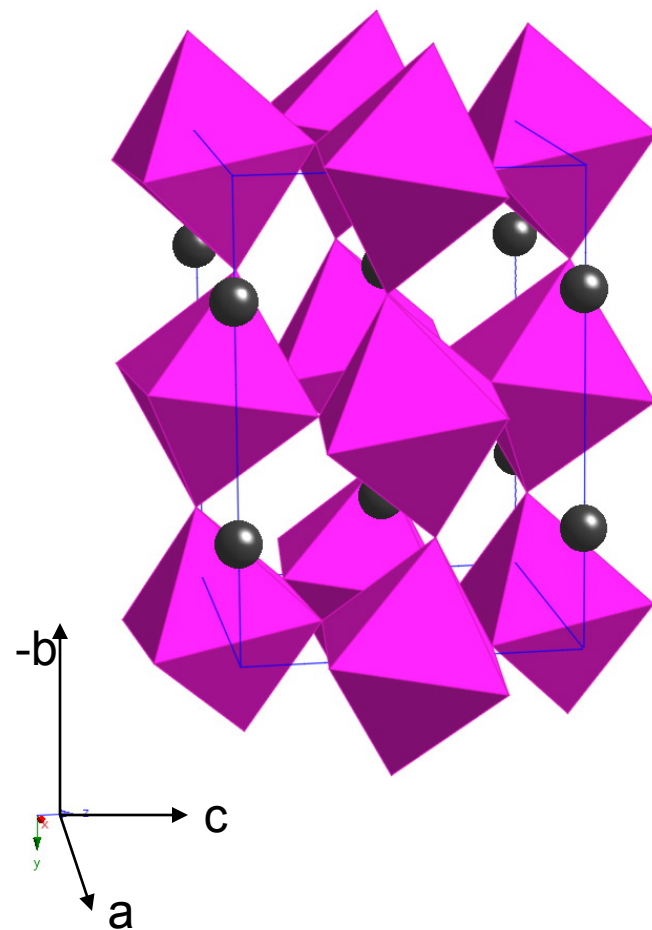
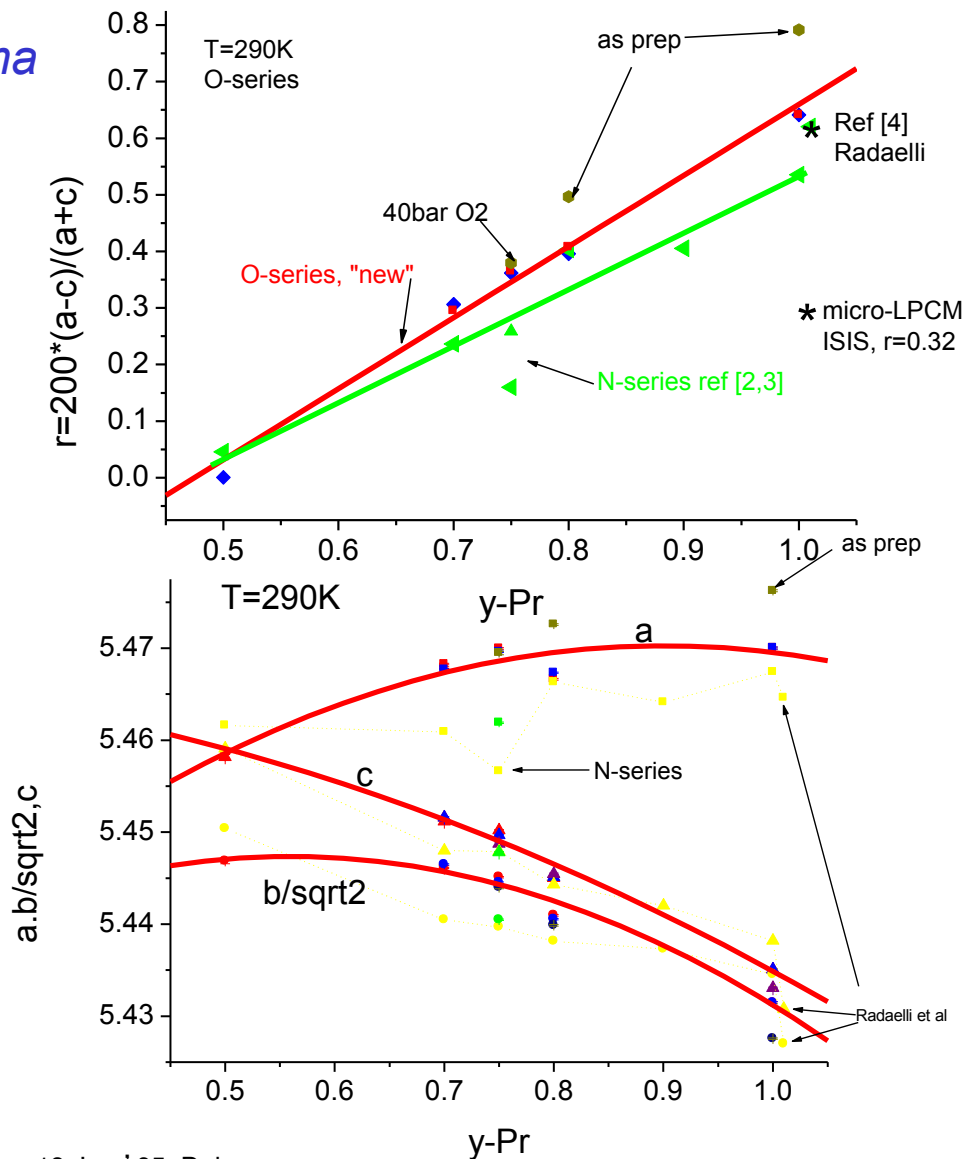


HRPT/SINQ diffraction pattern.
 $\lambda=1.9\text{\AA}$, HI-mode

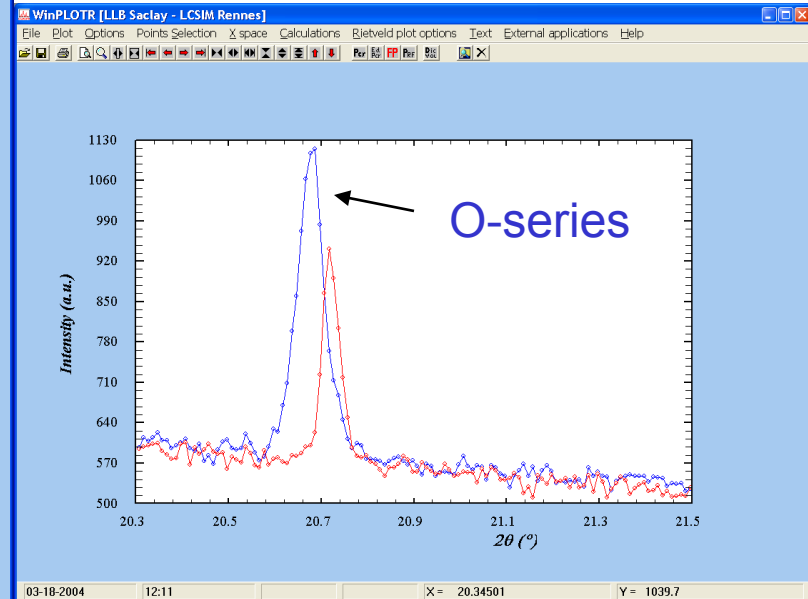
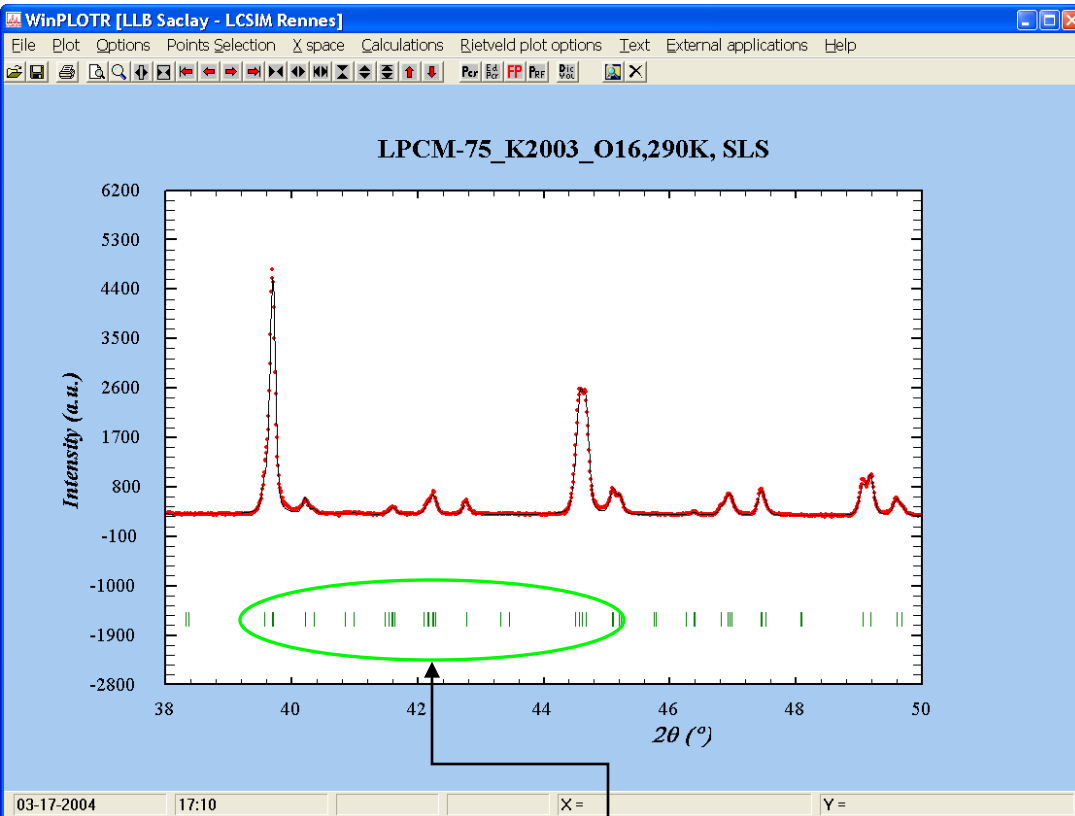


Comparison of lattice parameters

Pnma

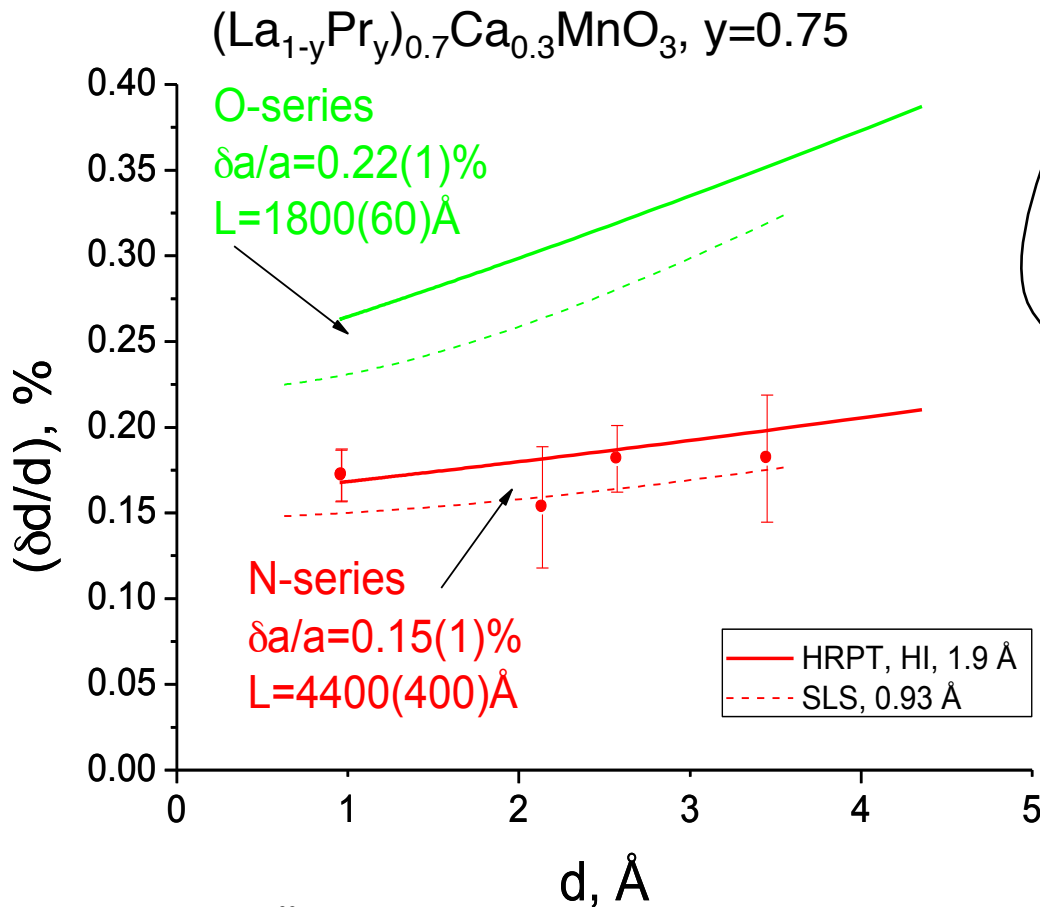


Bragg peak widths. Synchrotron X-ray, HRPT



Pseudo-cubic metrics:
Strong peak overlap

Deconvolution of the Bragg-peak widths



Deconvolution of the pseudo-Voigt Bragg peaks width $\delta(2\theta)$ = "Cagliotti" with the instrument resolution function.

Bragg peak width

$$\delta d/d = \delta a/a \otimes d/L$$

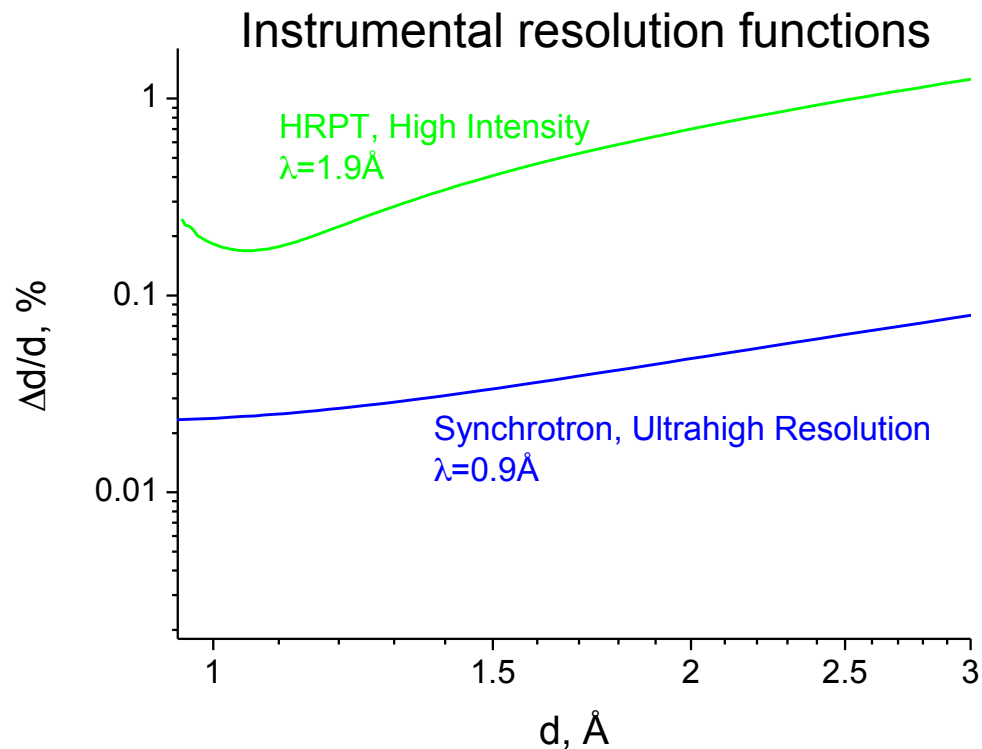
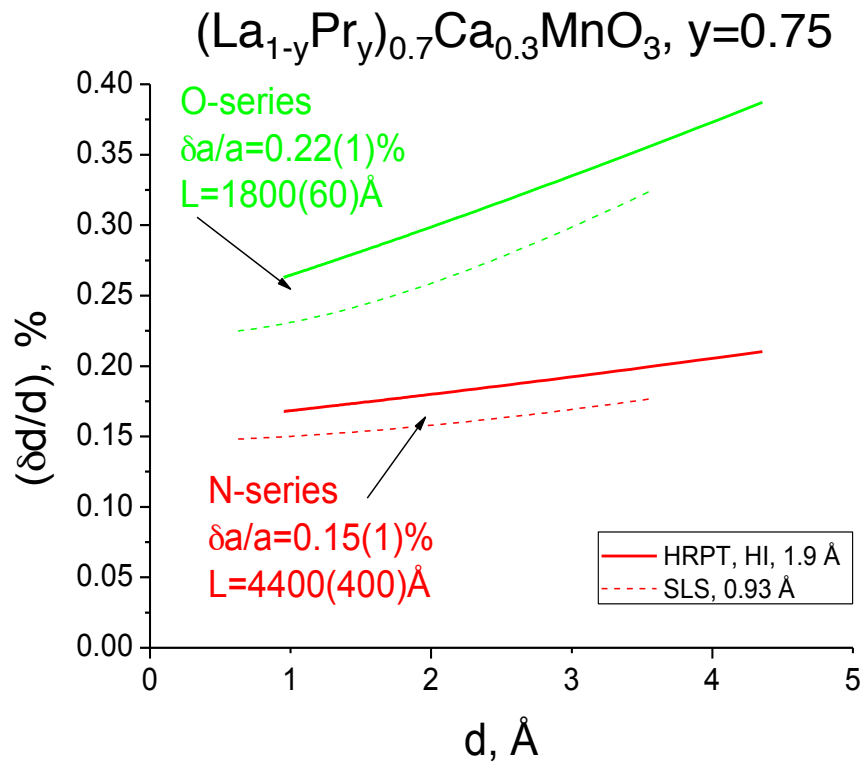
strain size

PV = Pseudo-Voigt
 Gaussian \otimes Lorentzian

$$\int_{-\infty}^{\infty} G(2\theta - \xi) L(\xi) d\xi$$

$$I_{\text{exp}} = \int_{-\infty}^{\infty} PV_{\text{sample}}(2\theta - \xi) PV_{\text{instrument}}(\xi) d\xi$$

Deconvolution of the Bragg-peak widths. Comparison of HRPT and synchrotron



$$I_{\text{exp}}(2\theta) = \int_{-\infty}^{\infty} PV_{\text{sample}}(2\theta - \xi) PV_{\text{instrument}}(\xi) d\xi$$

Lorentzian \otimes Gaussian

Isotope effect: conclusions

$(\text{La}_{1-y}\text{Pr}_y)_{0.7}\text{Ca}_{0.3}\text{MnO}_3$ ($y=0.2-1.0$) with $^{16}\text{O}/^{18}\text{O}$

1. the $^{16}\text{O}\rightarrow^{18}\text{O}$ results in an increase in AFMI fraction at the expense of the decrease in FMM fraction in the phase separated state ($y=0.2-0.8$).
2. elastic interactions are important for the formation of CO-AFM or/and FM metallic states: the redistribution is suppressed by lattice micro-strains.
3. the FM magnetic moment and T_C are decreased by $^{16}\text{O}\rightarrow^{18}\text{O}$ in the ***insulating*** CO state: DE should be involved!

...work in progress...: how do T_C , T_N , T_{CO} , OO, low-T two-phase state are changed by $^{16}\text{O}\rightarrow^{18}\text{O}$

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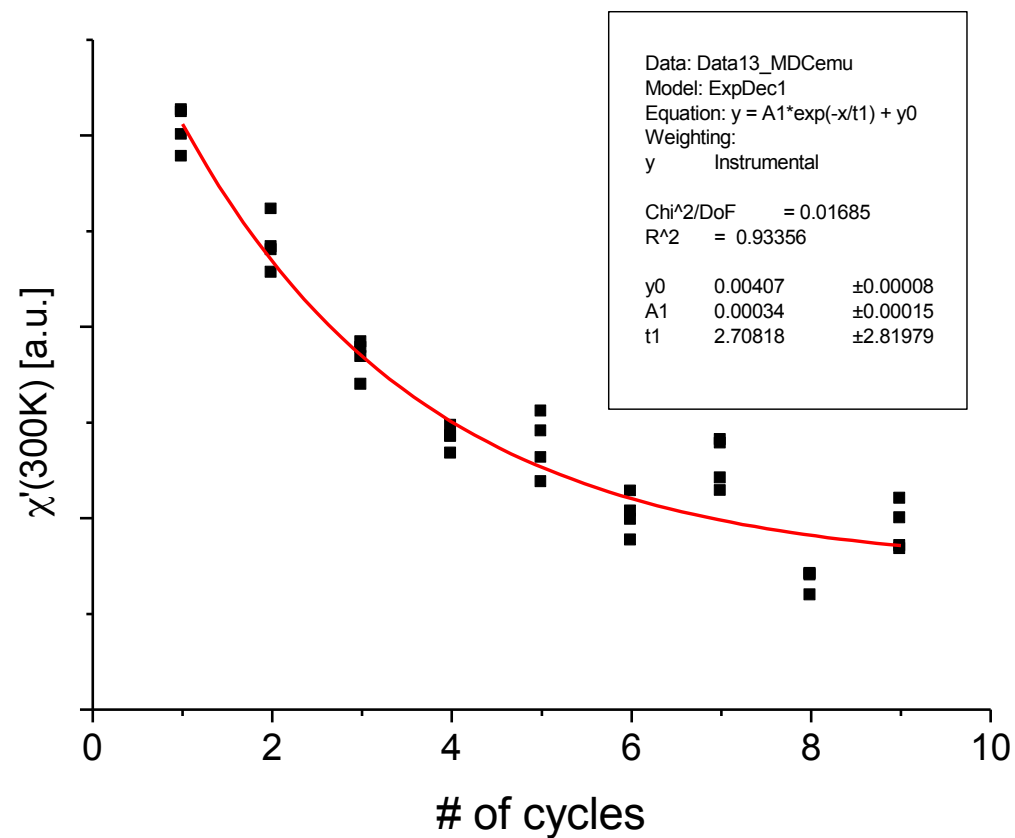
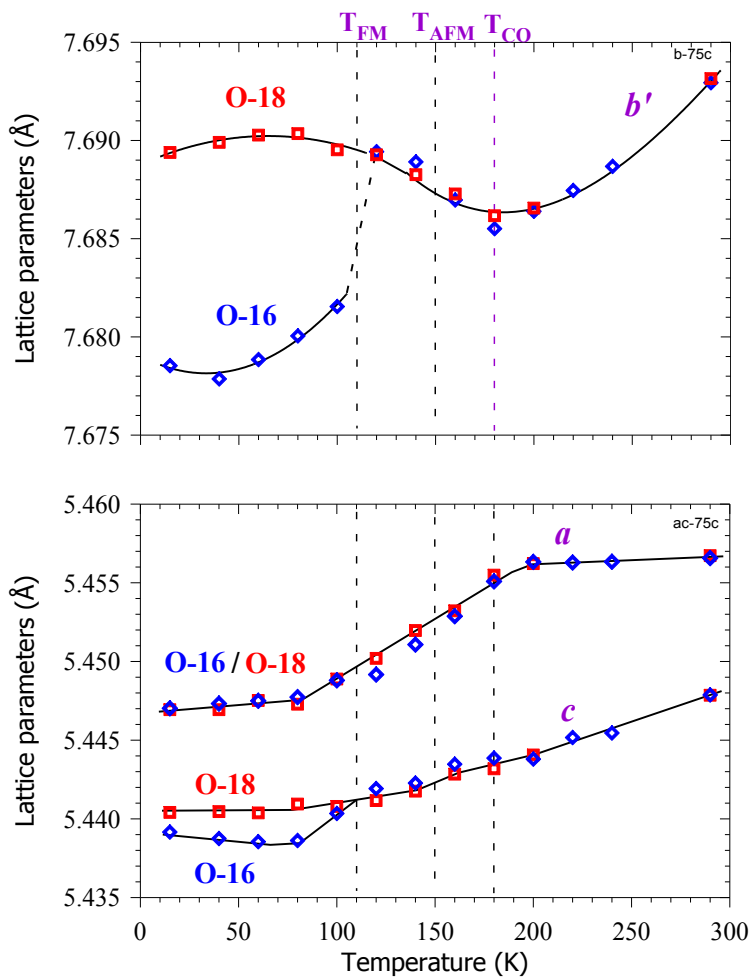
A. Amato, F. Gygax, M. Gutmann, D. Herlach, A. Schenck

PSI, Villigen

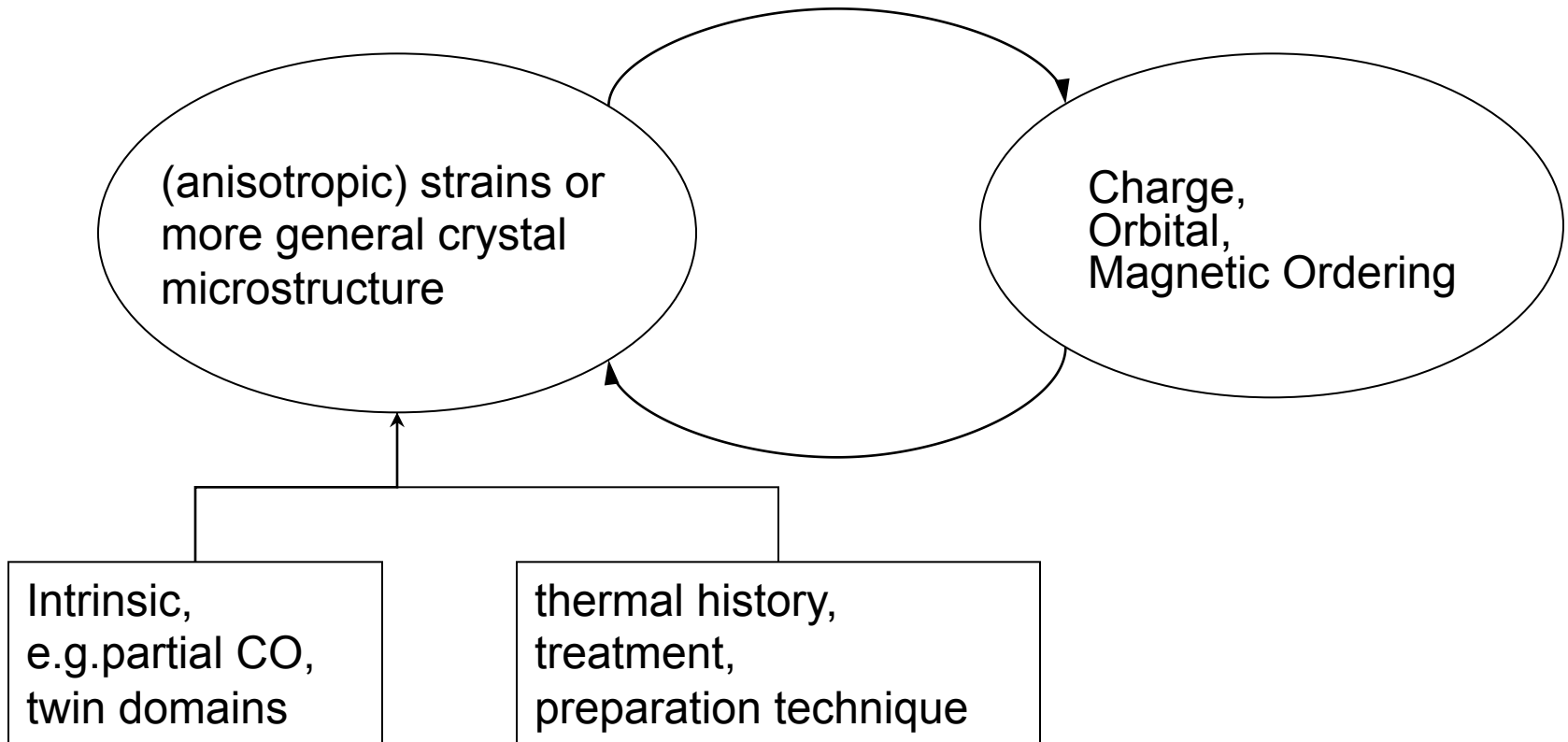
The End



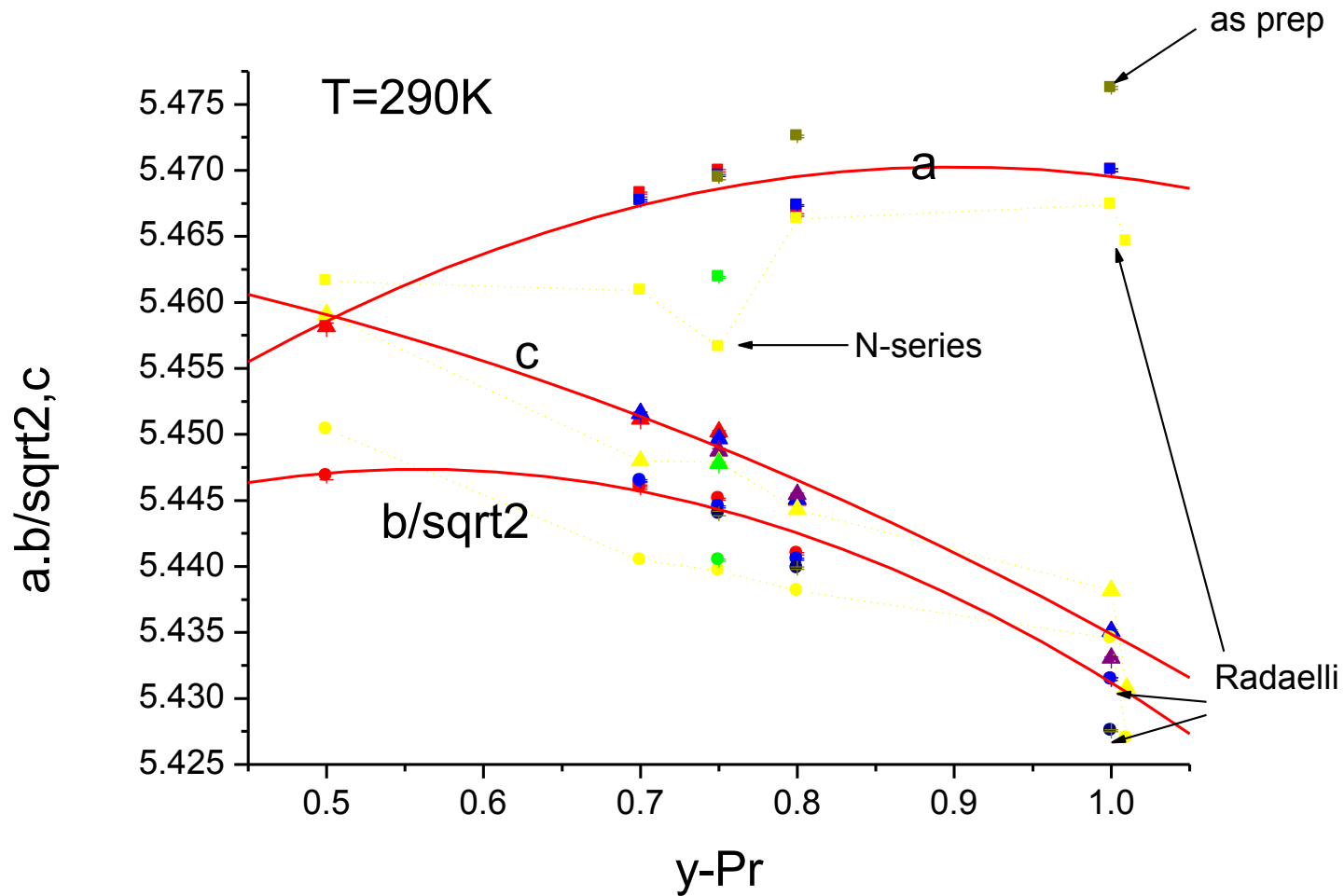
Thermal cycling through T_C



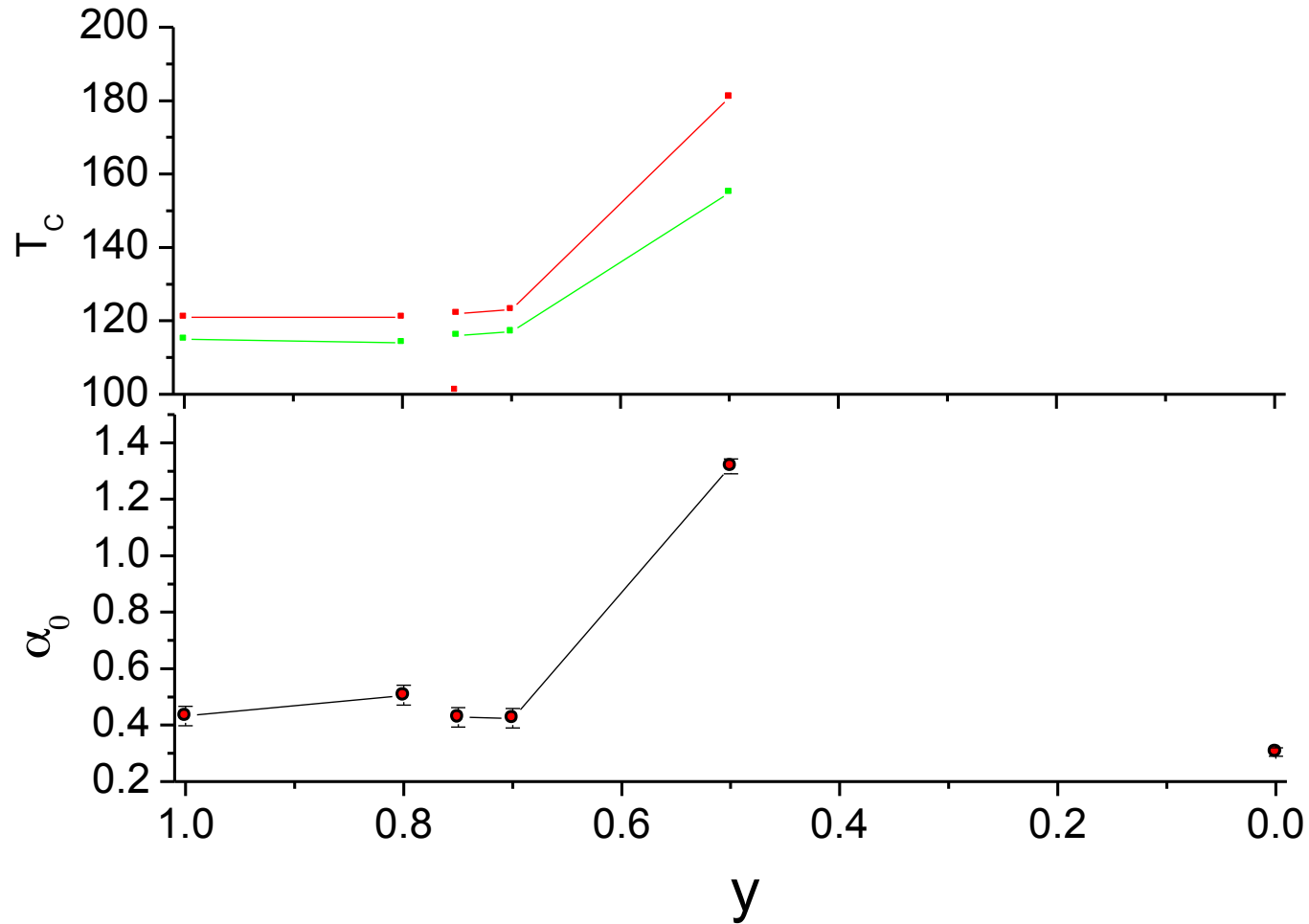
What next?



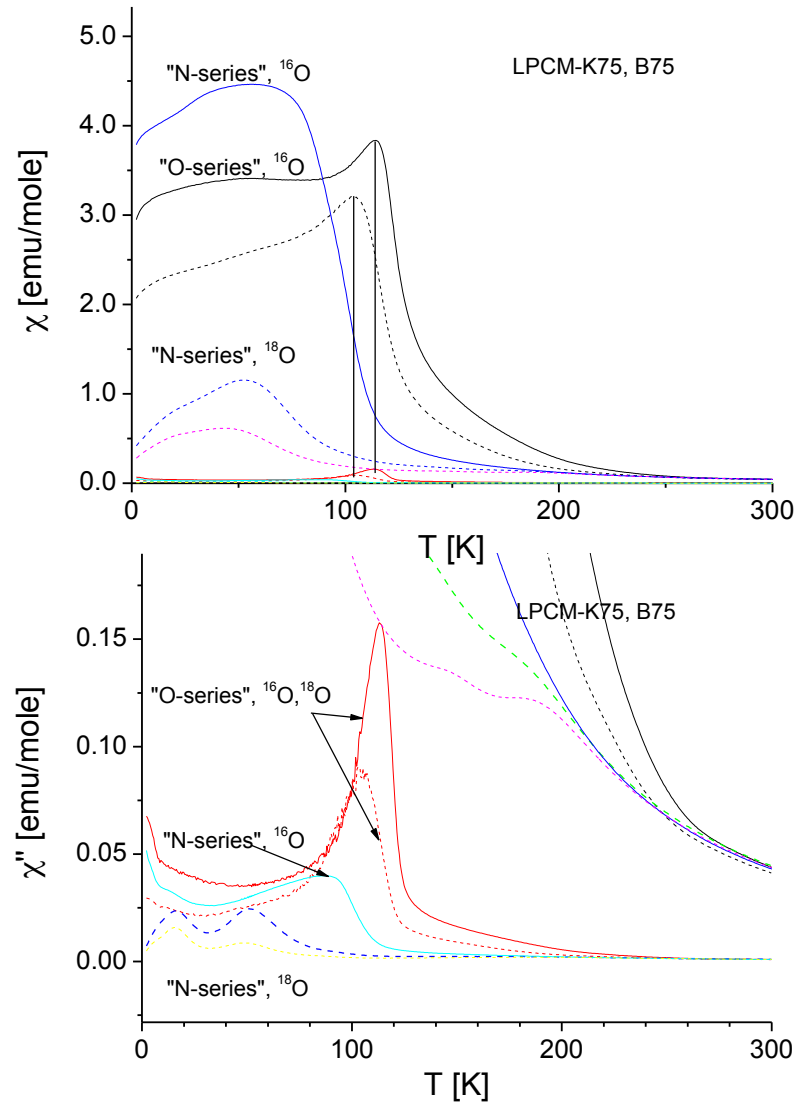
Lattice parameters. *Pnma*



T_C , isotope exponent

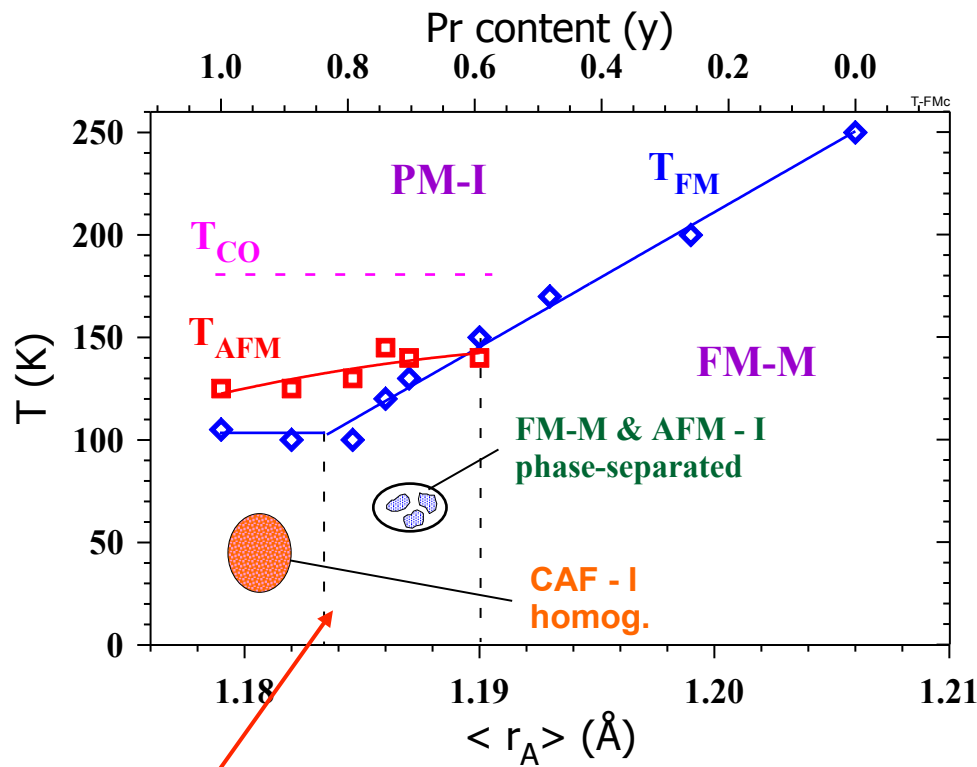


$$y=0.75$$



Giant isotope effect in $(\text{La}_{1-y}\text{Pr}_y)_{0.7}\text{Ca}_{0.3}\text{MnO}_3$: further studies

- Partial $^{16}\text{O} \rightarrow ^{18}\text{O}$ isotope substitution in LPCM-75.
- ^{18}O isotope effect in the whole range of doping $y=0.25 - 1.0$



$\text{O} = ^{16}\text{O}$ (99.7%)

Giant isotope effect near MI-transition @ $y=0.8$

DMC diffraction pattern. sample=100mg, time=6h

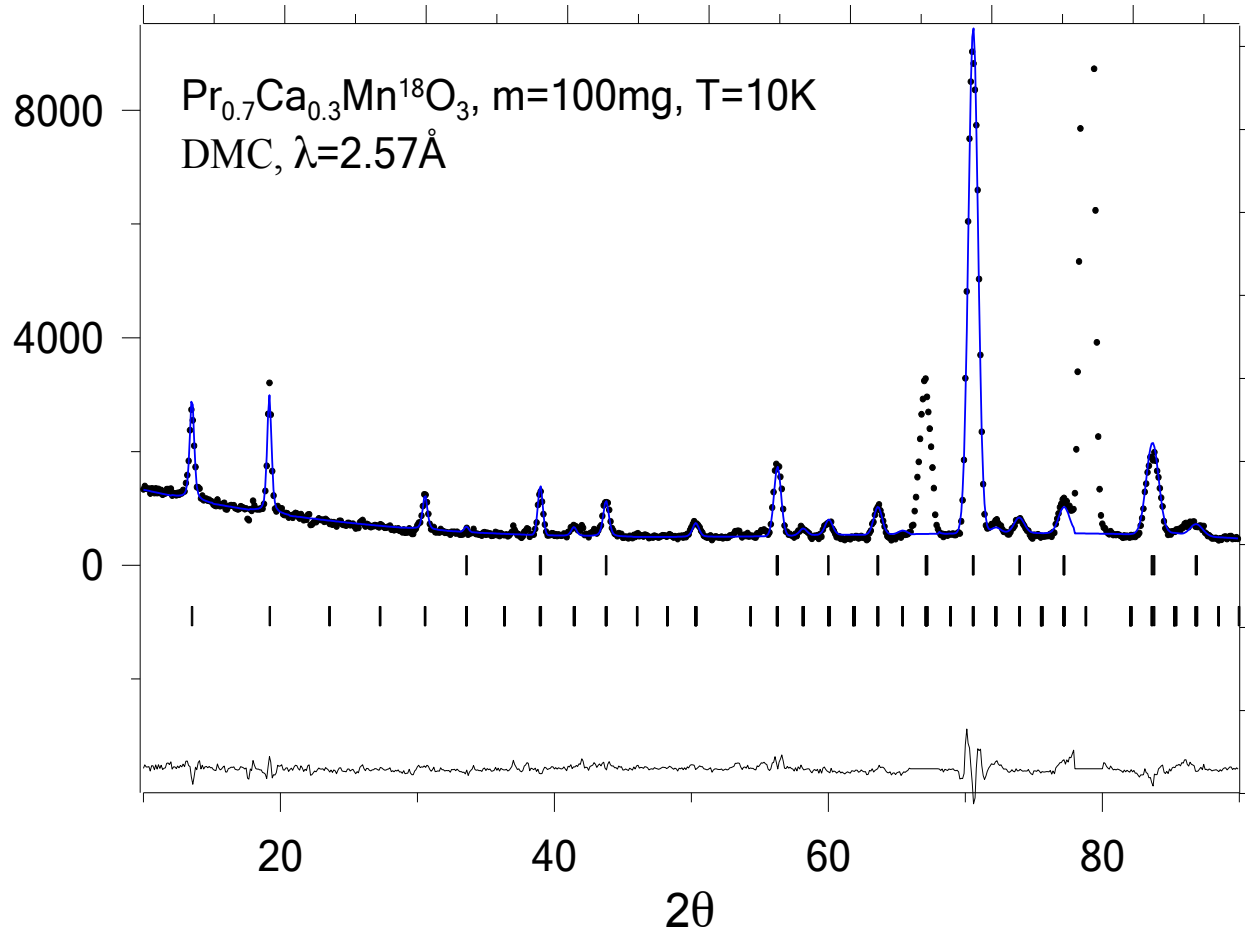
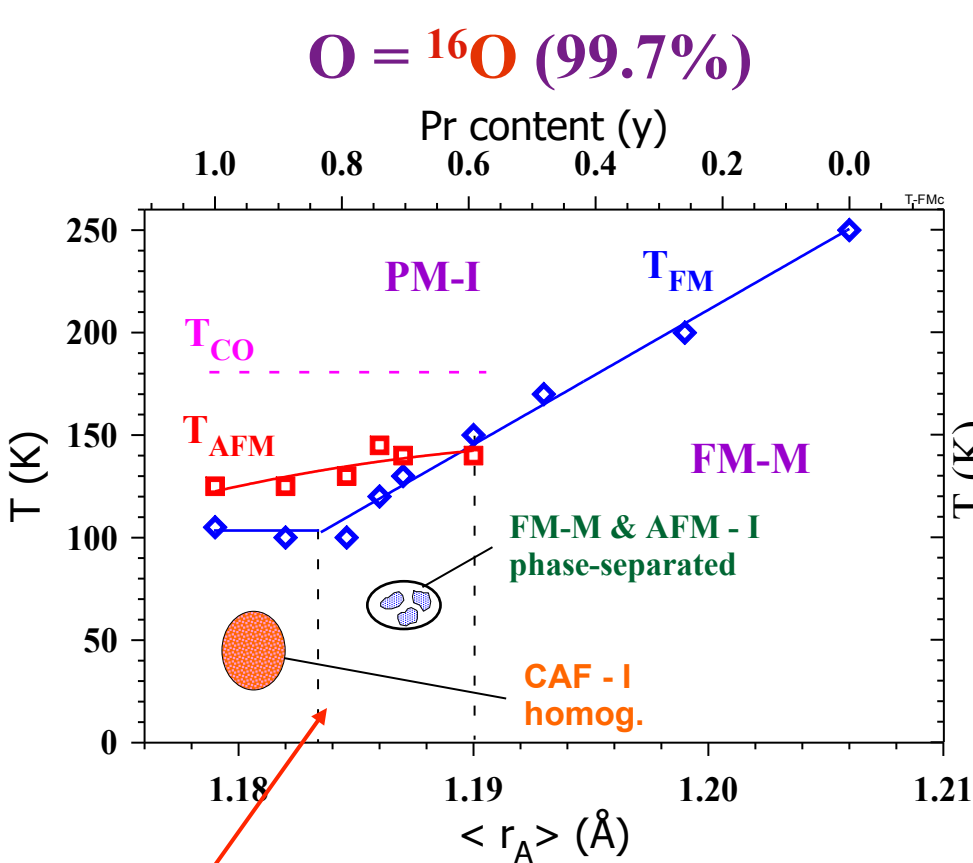
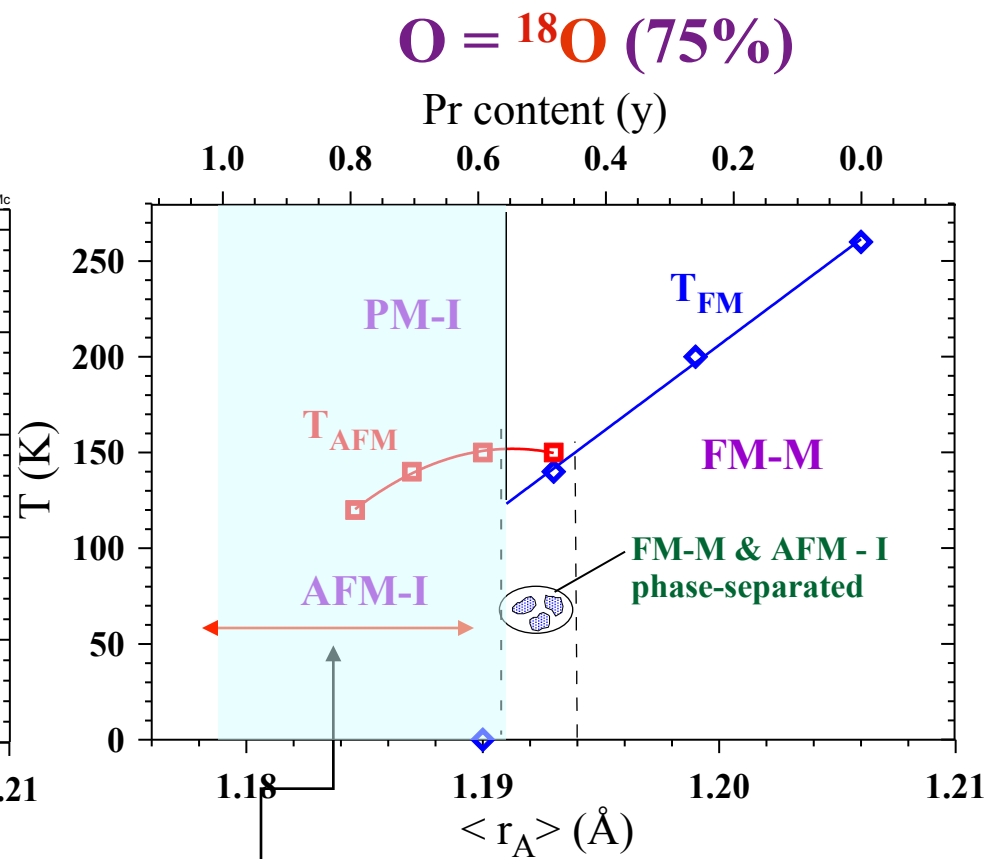


Figure 1: An example of the Rietveld refinement pattern and difference plot of neutron diffraction data (DMC/SINQ) for the ¹⁸O-enriched sample of Pr_{0.7}Ca_{0.3}MnO₃. The sample mass is about 100 mg. The rows of indexing show nuclear and magnetic phases respectively. Two peaks at $2\theta \approx 66^\circ$ and 79° are from Al container, which was used to minimize the background.

$(\text{La}_{1-y}\text{Pr}_y)_{0.7}\text{Ca}_{0.3}\text{MnO}_3$ phase diagrams

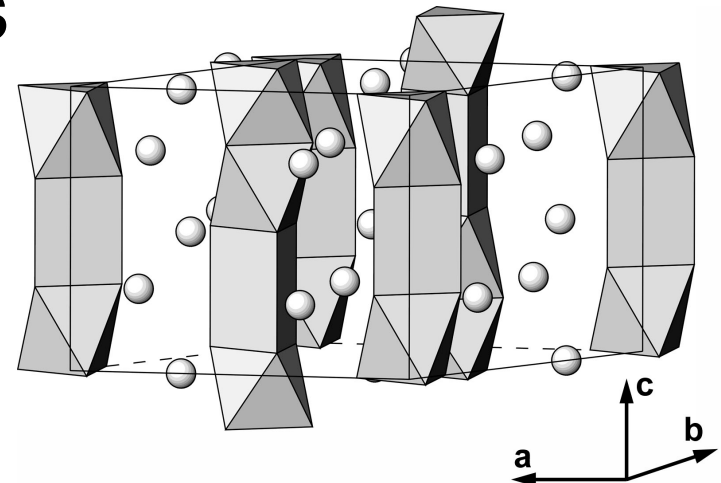


MI-transition @ $y=0.8$

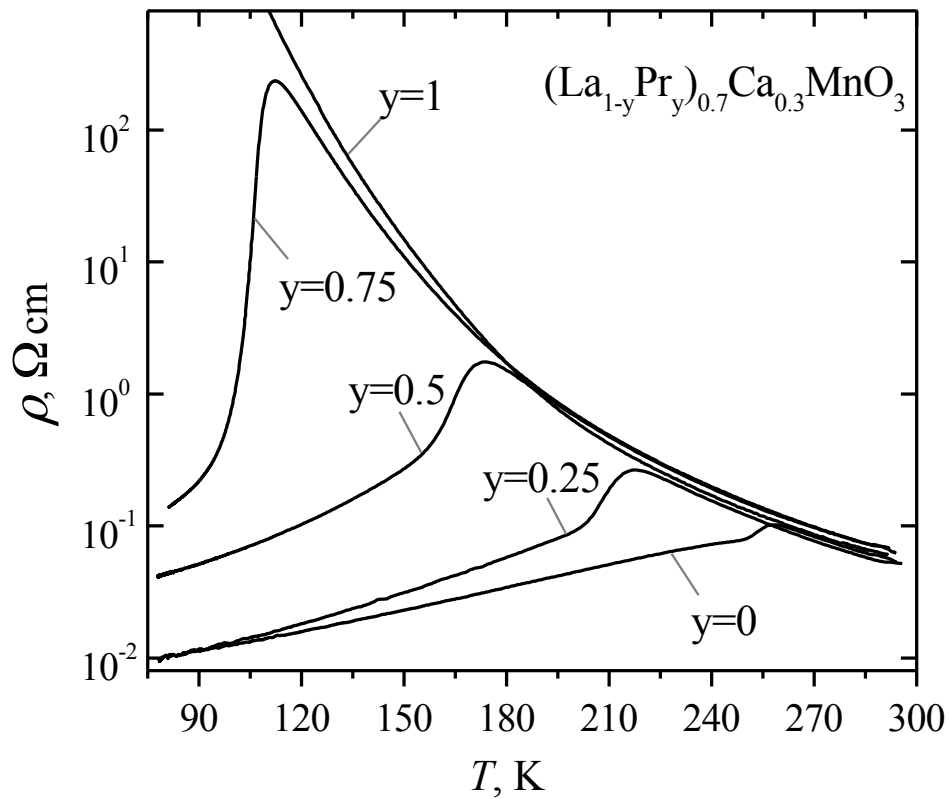


Continuation...

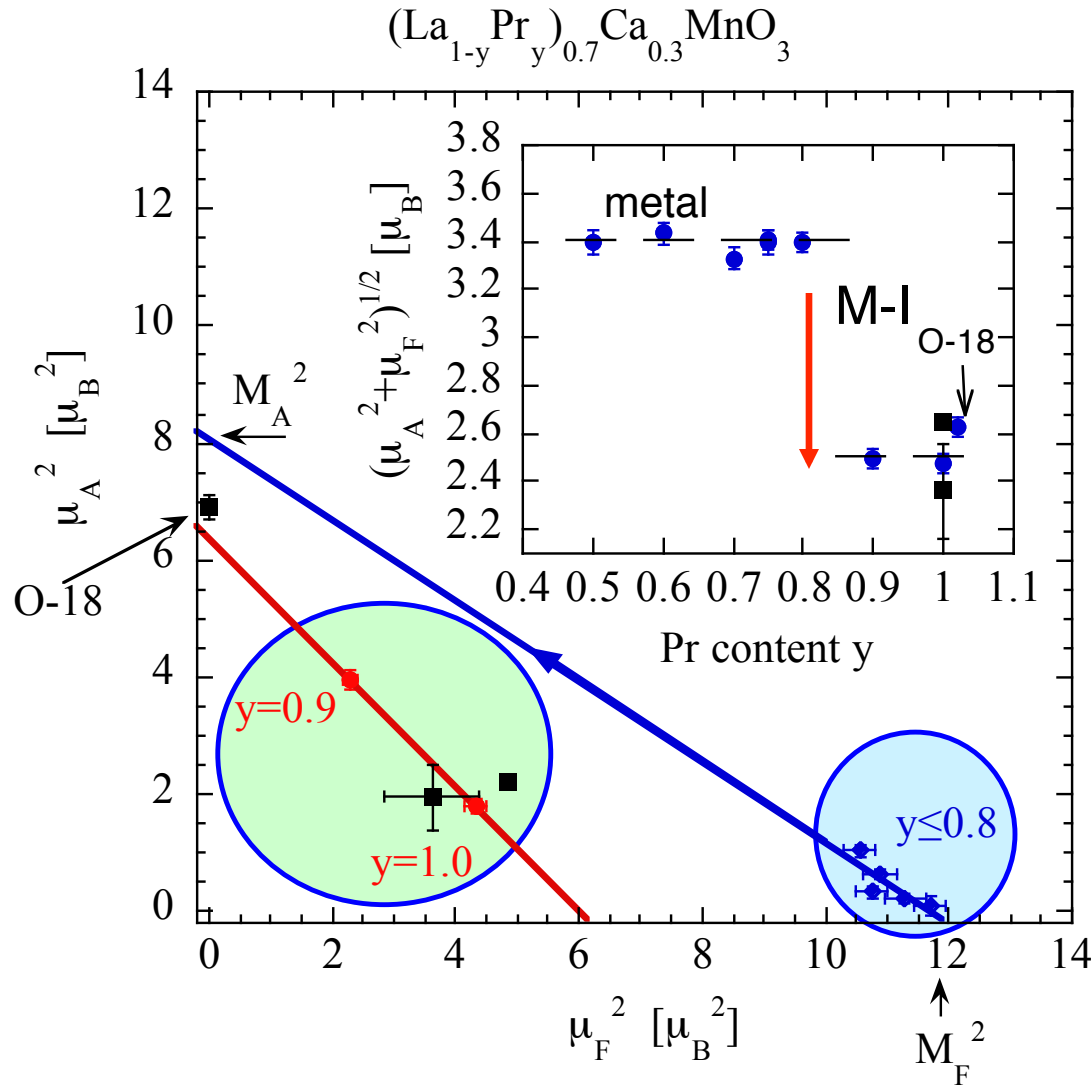
- Isotope effect both in LPCM and in new “giant isotope effect” manganites, e.g. $\text{Sm}_{0.45}\text{Sr}_{0.55}\text{MnO}_3$ and $\text{Sm}_{0.50}\text{Sr}_{0.50}\text{MnO}_3$ --- the Curie temperature ($T_C=130\text{K}$) is decreased by 20K and $>100\text{K}$, respectively
- Layered manganites - brownmillerites with intermediate/mixed Mn valence, fluorination
- New hexagonal manganites $\text{Sr}_{4/3}(\text{Mn,Cu})\text{O}_3$ (collab. with Antipov et al)



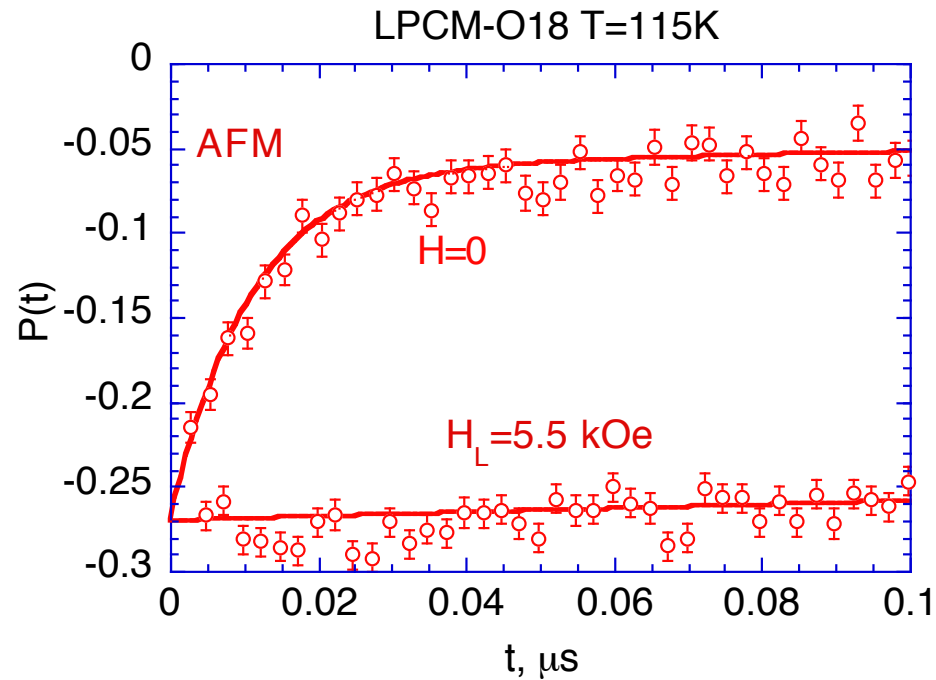
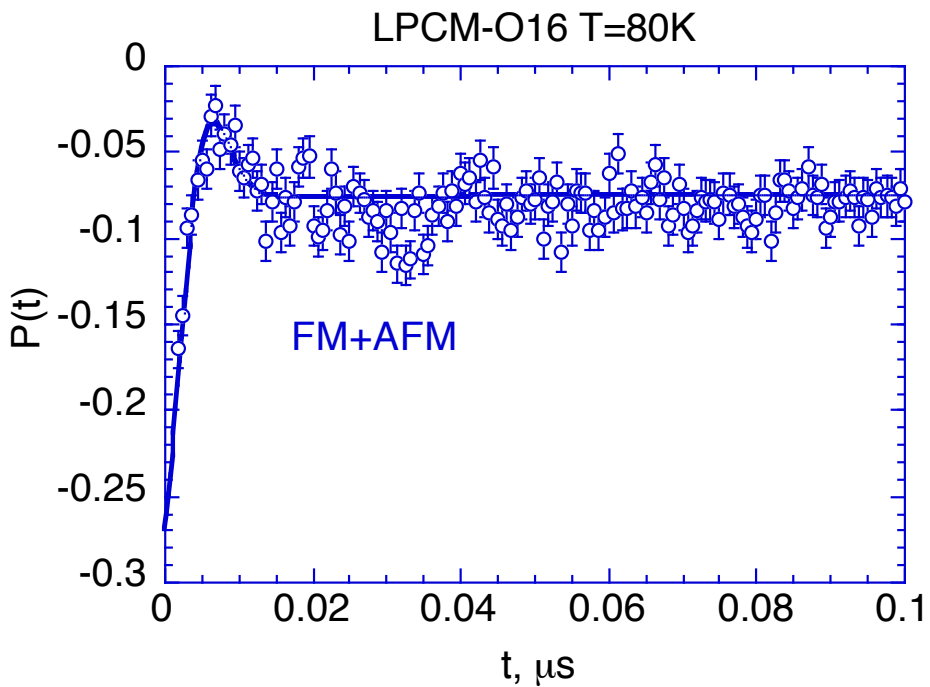
M-I transition in $(\text{La}_{1-y}\text{Pr}_y)_{0.7}\text{Ca}_{0.3}\text{MnO}_3$



Low temperature magnetic moments



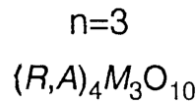
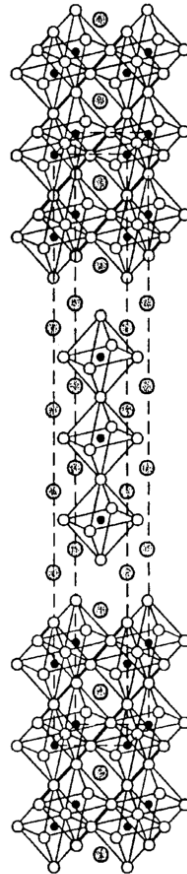
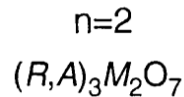
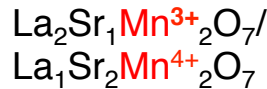
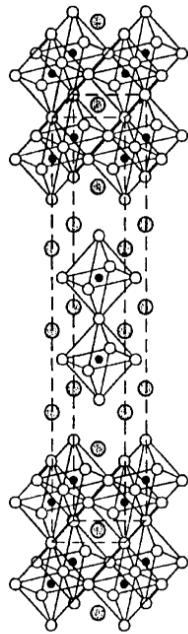
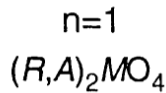
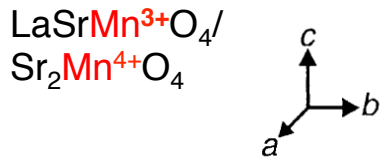
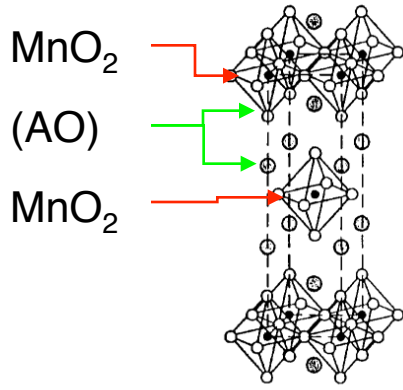
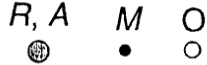
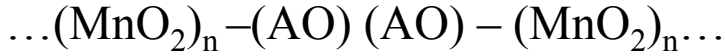
uSR in LPCM-O18/O16



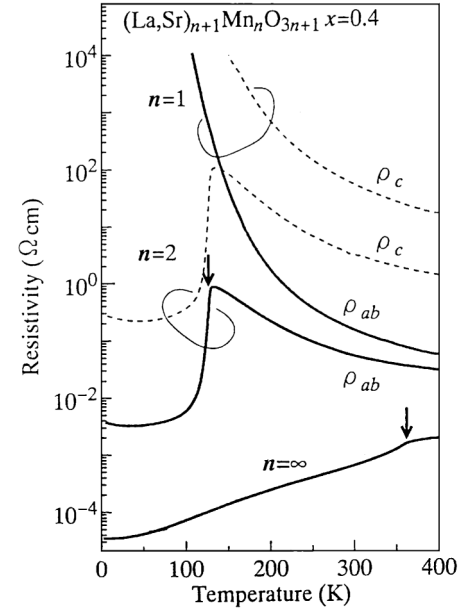
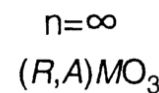
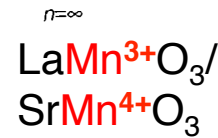
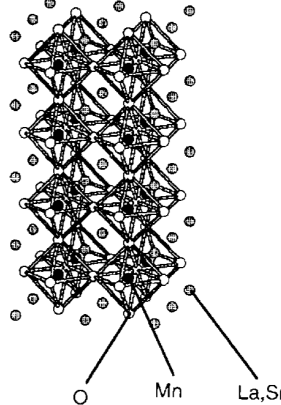
Why A_2MnGaO_{5+x} (A=Sr, Ca)?

Manganese oxides with possible CMR

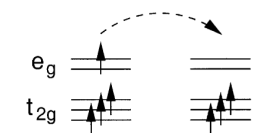
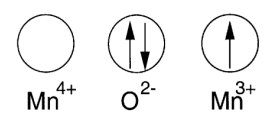
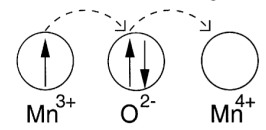
Ruddlesden Popper (RP) phases, $(R,A)_{n+1}M_nO_{3n+1}$



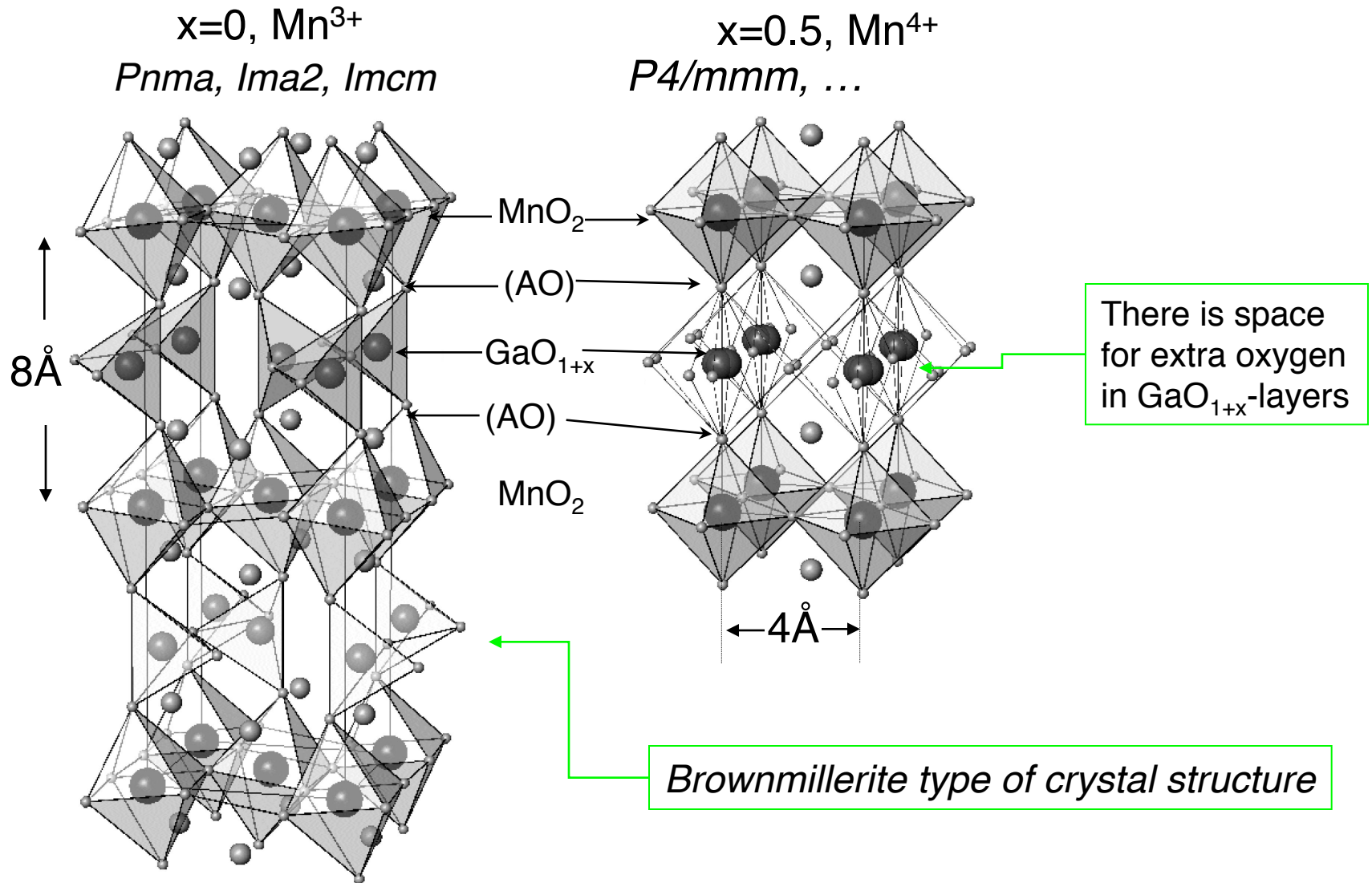
3D Mn-O network



double-exchange

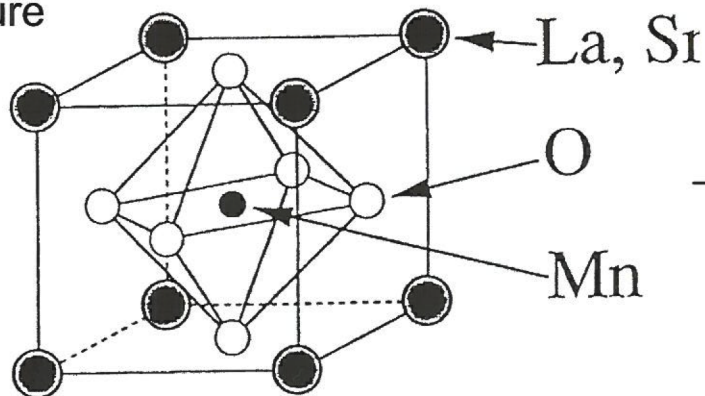


Three buffer (AO) layers: brownmillerite structures of A_2MnGaO_{5+x} (A=Sr, Ca)



Classification of magnetic structures in manganites

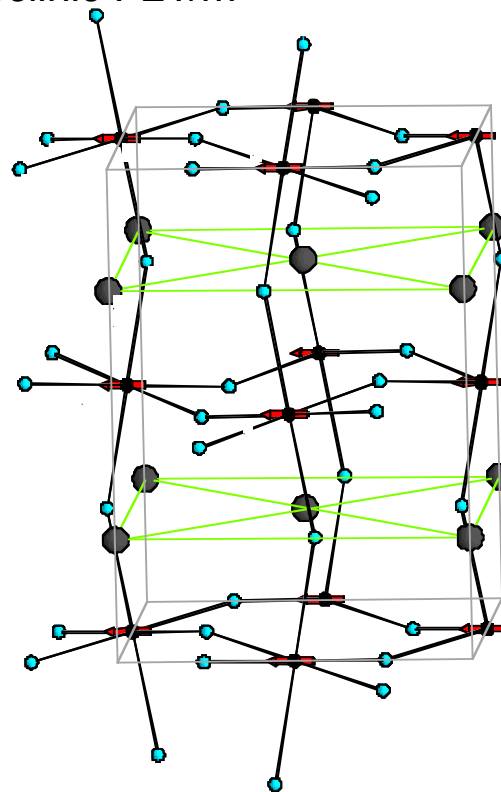
pseudo-perovskite (cubic) crystal structure



(a)

distortion/tilting of MnO_6 octahedra

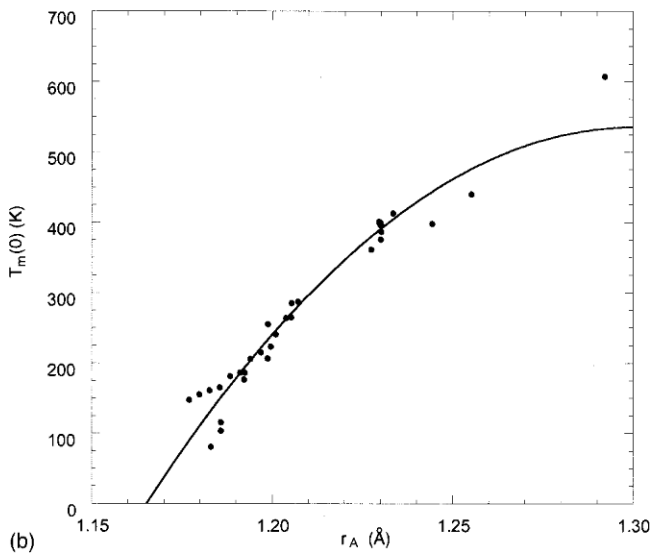
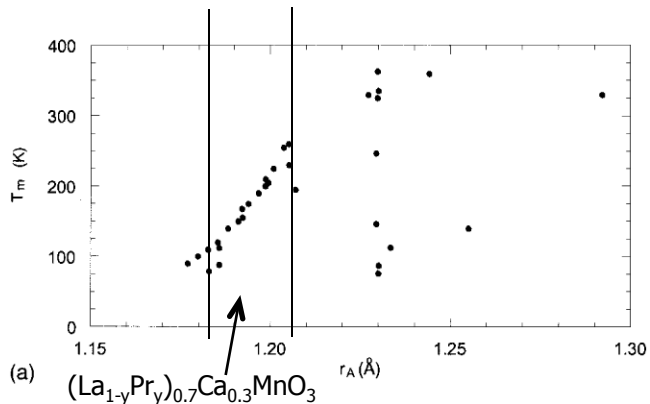
- Orthorhombic (e.g. Pnma)
- Rhombohedral (R-3c)
- Monoclinic P21/m



LABEL	ONE OCTANT OF MAGNETIC UNIT CELL
A	
B	
C	
D	
E	
F	
G	

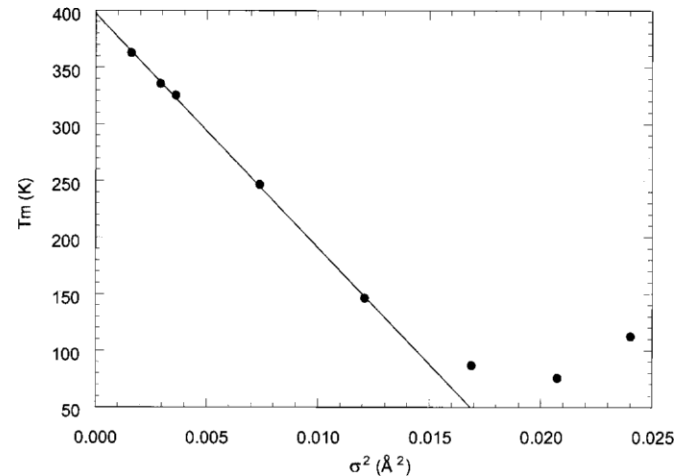
(b)

Cation disorder effects in CMR perovskites

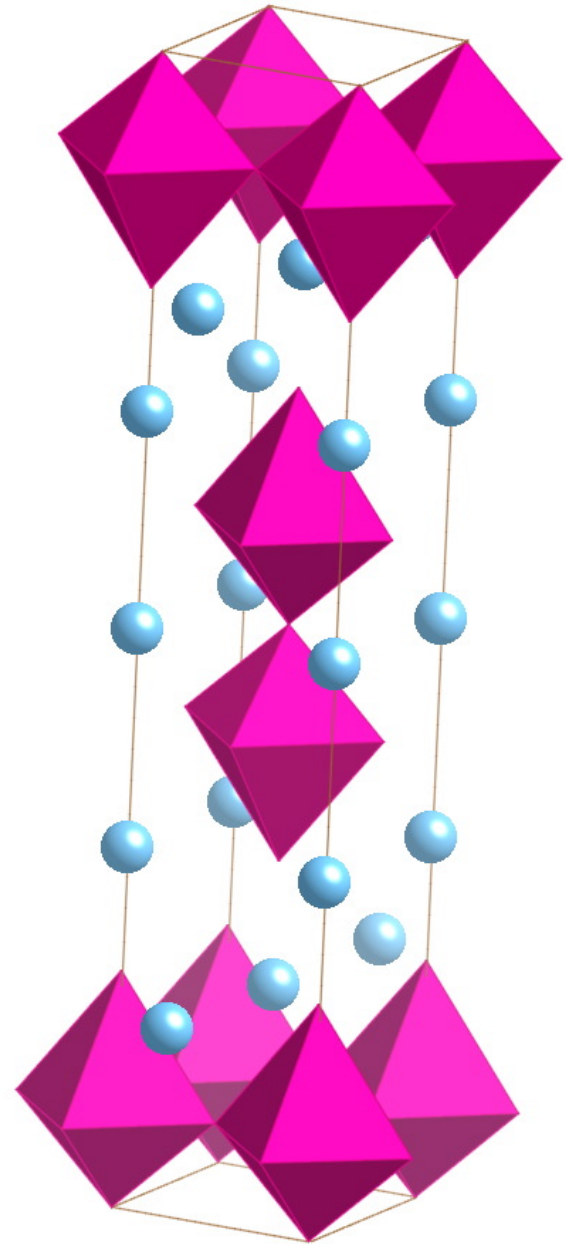
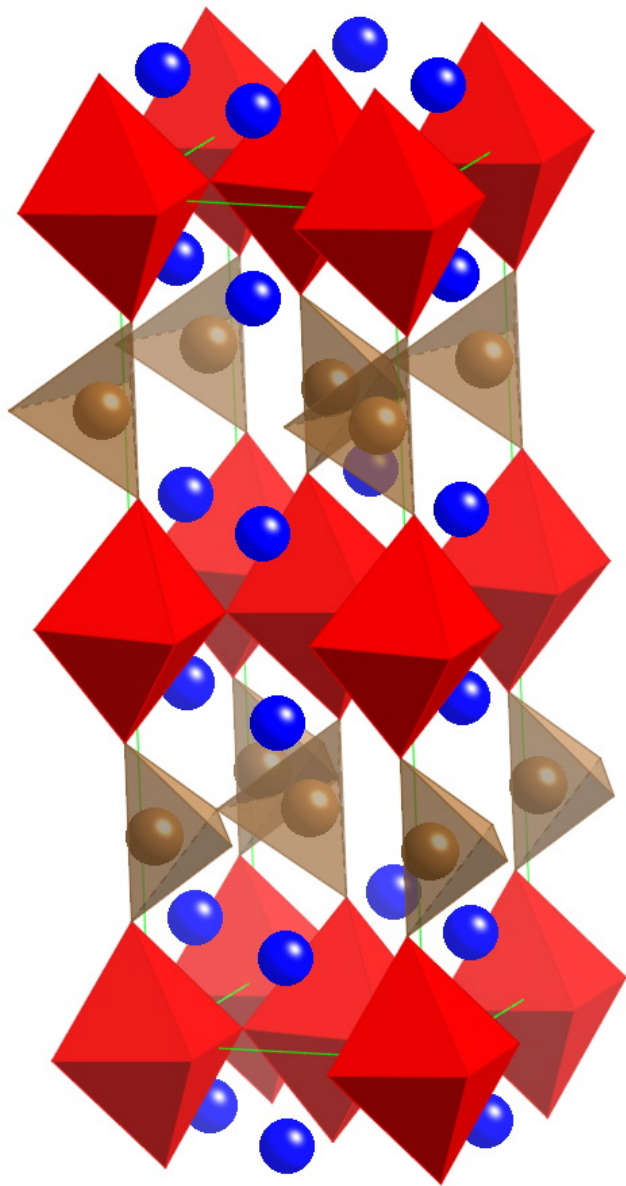


Effect of disorder due to size differences between A-cations in $\text{A}_{0.7}\text{A}'_{0.3}\text{MnO}_3$ ($\text{A}=\text{La},\text{Pr},\text{Nd},\text{Sm};\text{A}'=\text{Ca},\text{Sr},\text{Ba}$):

- for $\langle r_A \rangle < 1.22\text{\AA}$ T_C does not depend on σ
- for $\langle r_A \rangle > 1.22\text{\AA}$ $\Delta T_C \sim \sigma^2 \text{ K} / \Delta S_m$. Disorder acts as preformed JT distortion promoting localization of e_g -electron



From L.Rodríguez-Martínez and P.Attfield, PRB
1996

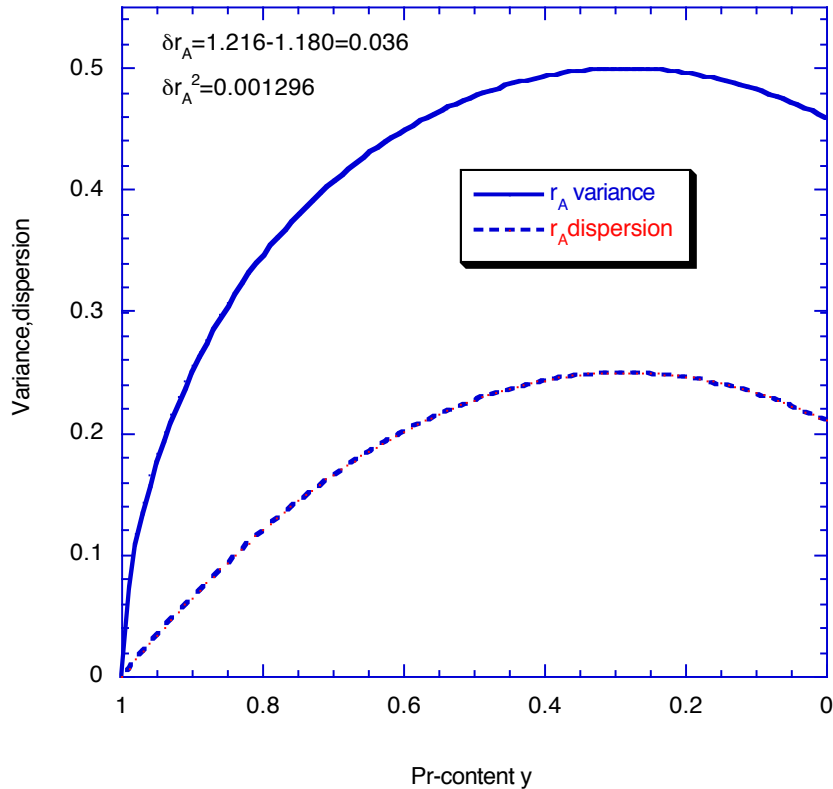


Energy scales in manganites

1. On site Coulomb $U_0=3.5\text{eV}$, 5.2eV in $(\text{La,Ca})\text{MnO}_3$. $\Delta=3\text{eV}$ (CaMnO_3)
2. $J_H=2\text{ eV}$
3. $10Dq=1-2\text{ eV}$
4. $t=0.2-0.5\text{ eV}$
5. $E_{JT}=0.25\text{ eV}$
6. $J_{AF}=0.1t$; $J_{AF}\sim t_{\pi}^2/U$
7. Intersite Coulomb $U_1=0.3\text{eV}$

r_A dispersion in $(\text{La}_{1-y}\text{Pr}_y)_{0.7}\text{Ca}_{0.3}\text{MnO}_3$

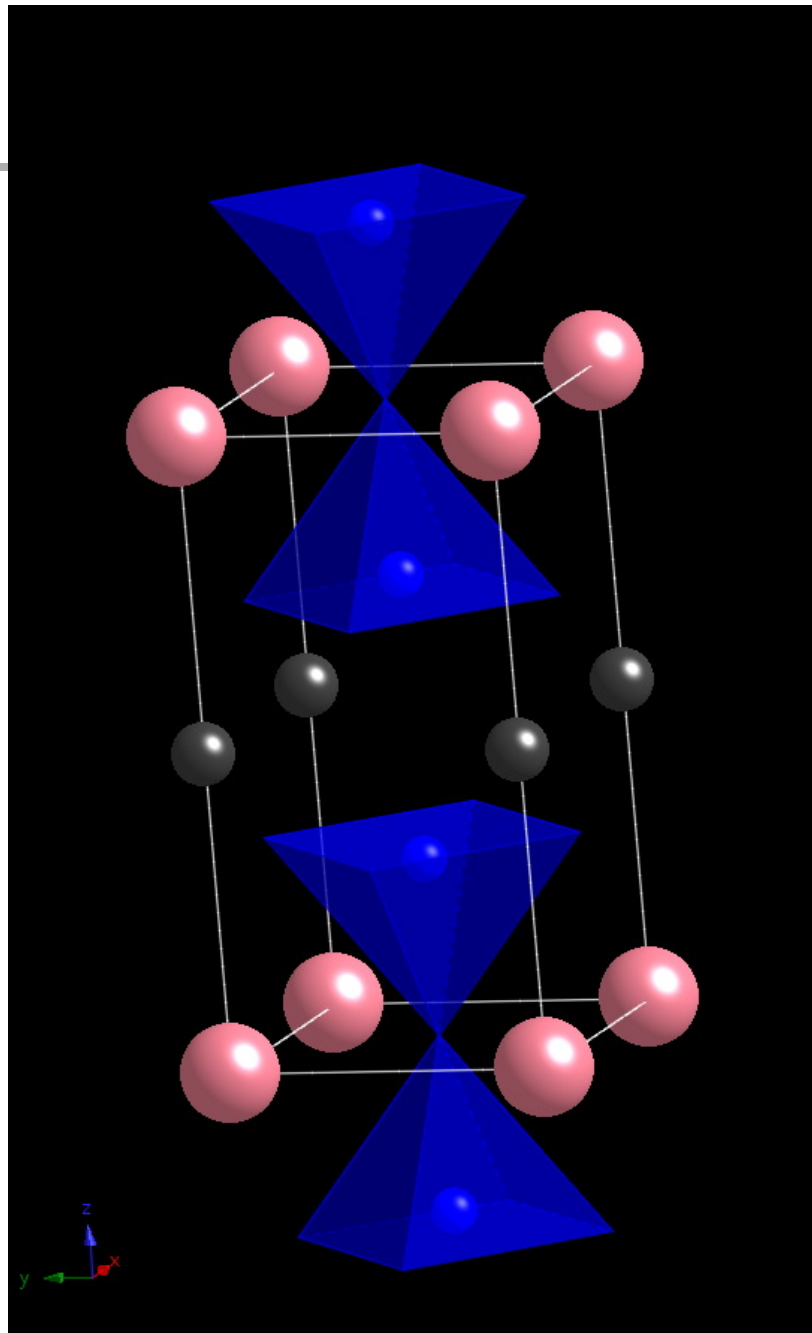
Reduced variance $\sigma/\delta r_A$ vs. Pr concentration y



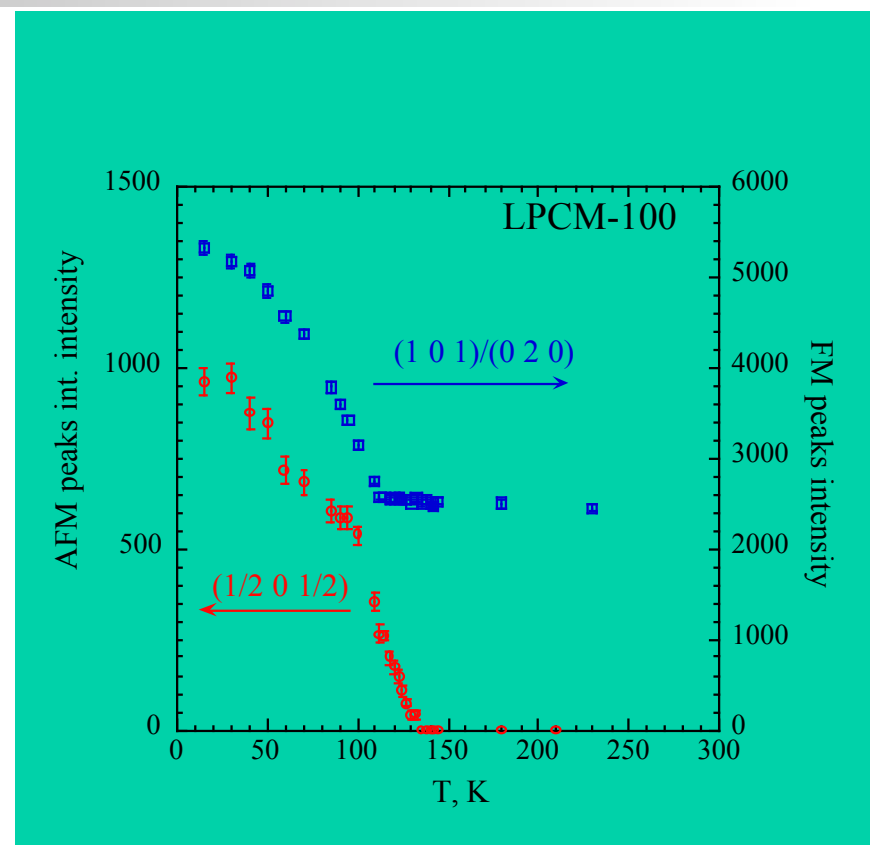
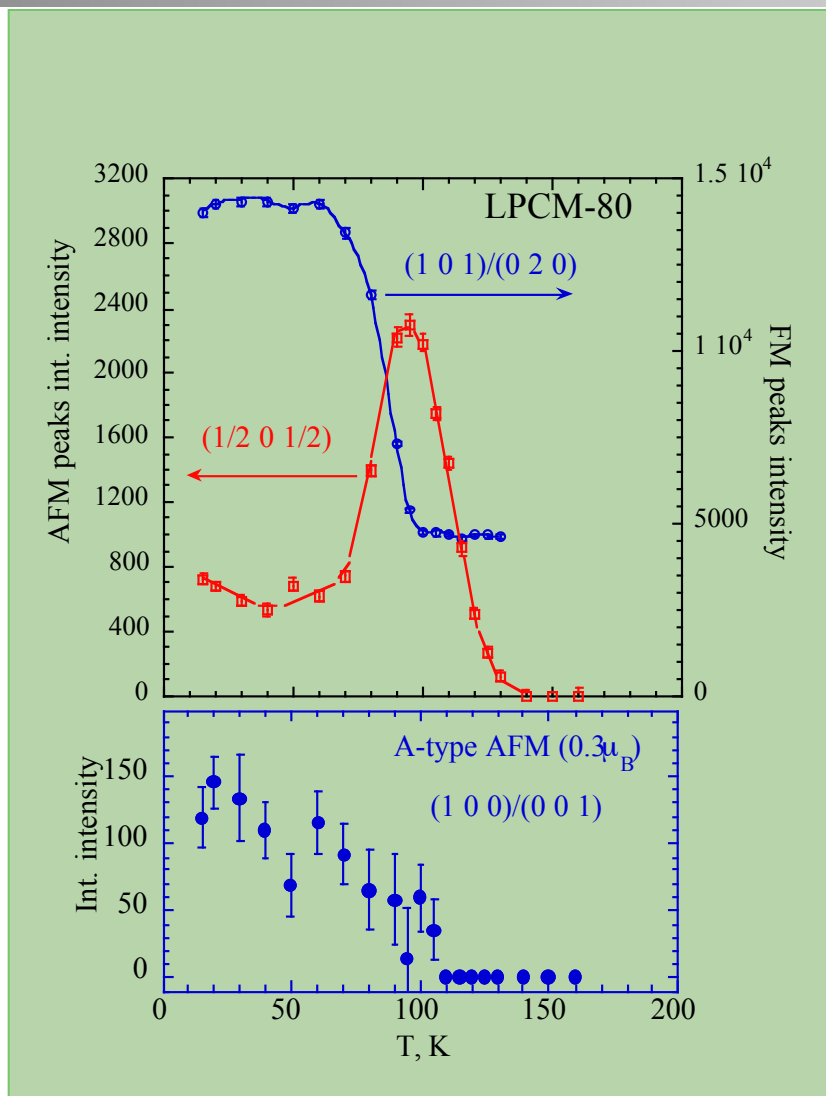
$$\sigma = \delta r_A [0.7(1-y)(0.3+0.7y)]^{1/2}$$

$$\delta r_A = r(\text{Pr}) - r(\text{La}), r(\text{Ca}) = r(\text{Pr})$$

$$\text{Maximal } \sigma^2 = 0.00032 \text{ \AA}^2$$



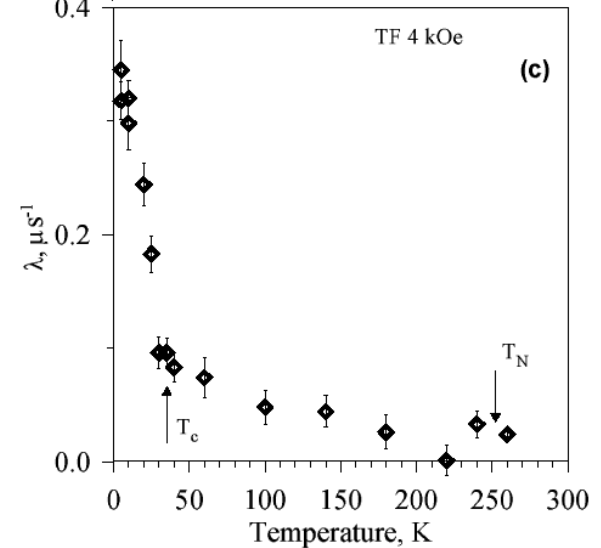
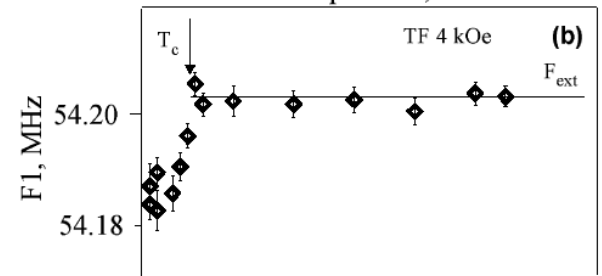
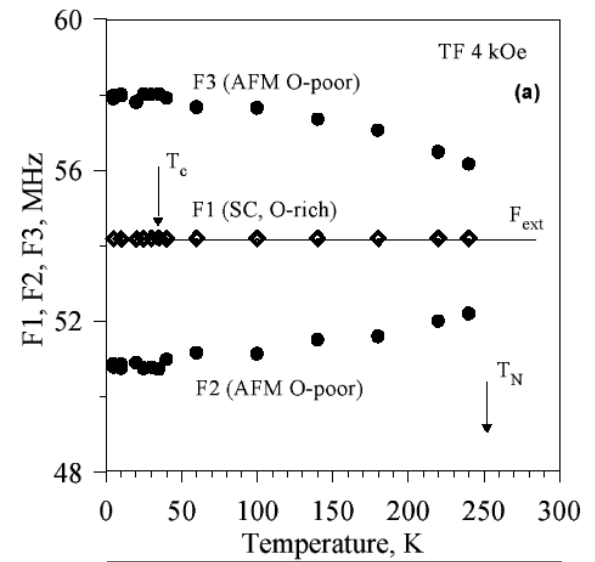
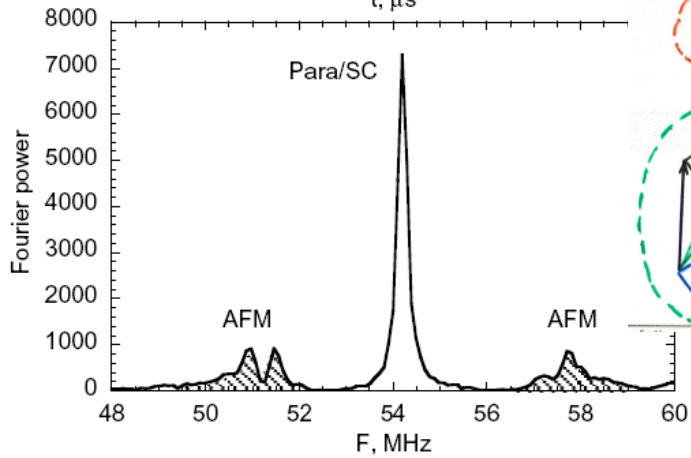
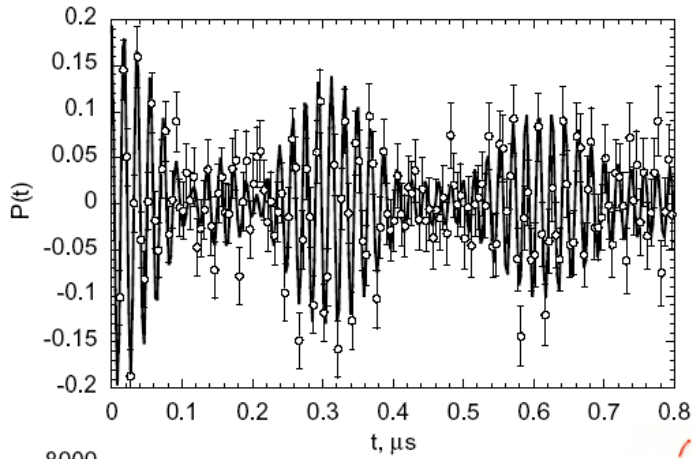
I(T) in LPCM



Essential physics of manganites

1. Octahedral coordination. Crystal field splitting scheme
2. Spin state is from balance between $10Dq$ and on atom exchange
3. J/T distortion of $Mn^{3+}O_6$. e_g -level splitting.
4. CO Mn^{3+}/Mn^{4+} state
5. AFM SE Mn-O-Mn:
6. FMM delocalized state for Mn^{3+x} . Double exchange.
7. Strong electron-lattice coupling due to (anti)J/T polarons
8. Competition between FMM and AFMI/CO gives macroscopic phase separation, metastable states.

muSR



Absence of AFM in LOM LCO.

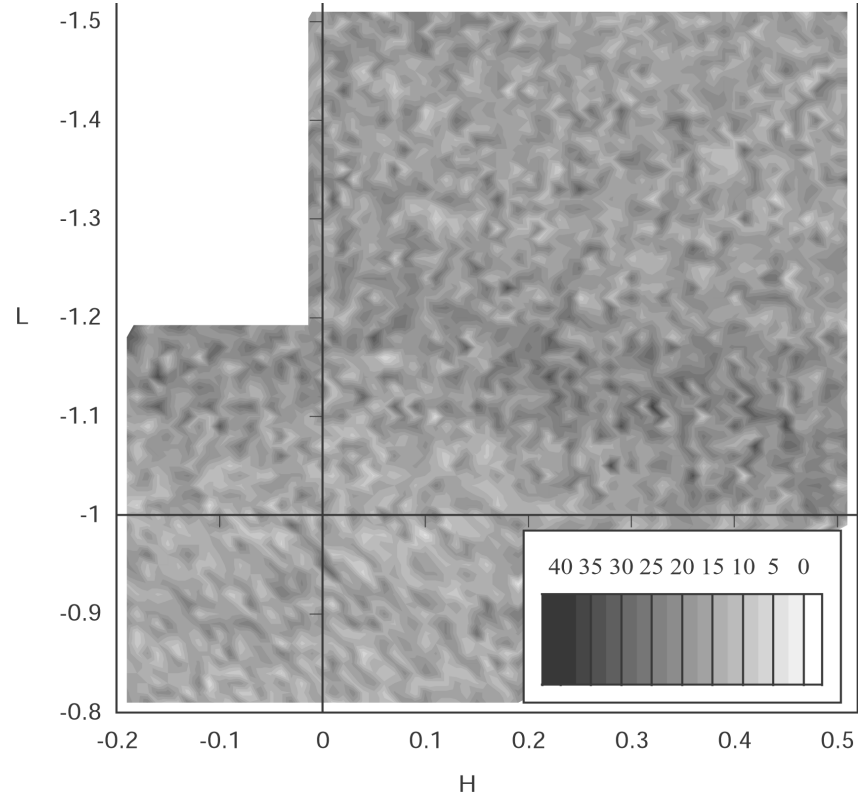
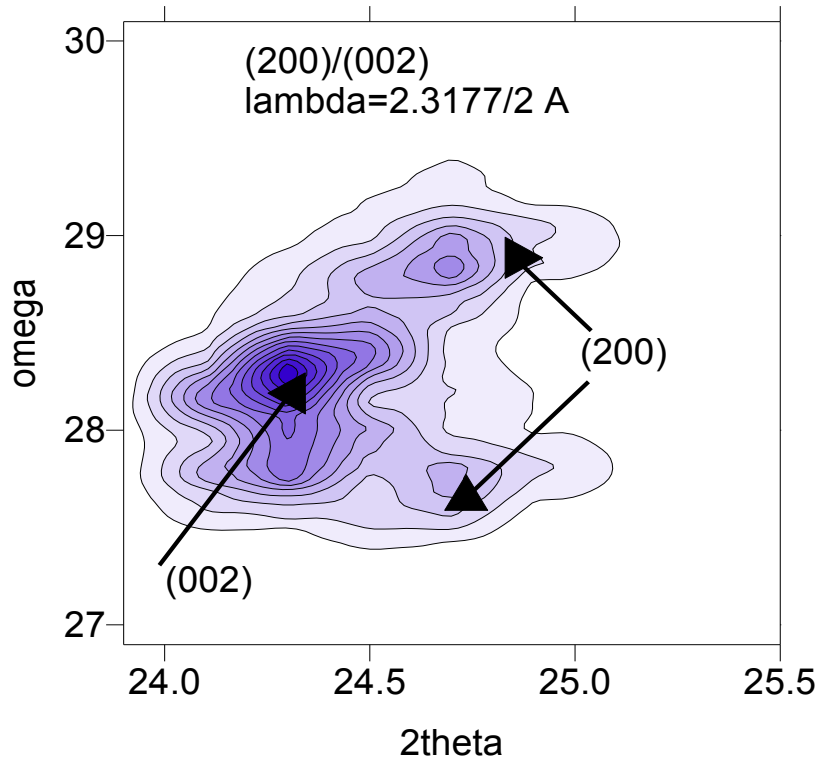


Fig. 1: 2θ - ω scan in (ac) plane around (200) at $T=1.5K$ making use $\lambda/2$ contamination. The twin domain structure is in excellent accordance with our previous X-ray and neutron diffraction data [6].

Fig. 3: Two-dimensional scan of the reciprocal lattice plane (a^*c) around $(0,0,-1)$ measured with $\lambda=2.3177\text{\AA}$, $\Delta h=\Delta k=0.01$. Neutron monitor 100'000/point.